

Isotropic cosmic birefringence from early dark energy

Kai Murai

(U. Tokyo, final year of PhD course)

Collaborator: Eiichiro Komatsu(MPA), Toshiya Namikawa(IPMU)

Mini-workshop at MPA
2022/7/19

- Rotation of the CMB polarization (= CMB Birefringence)

T. Fujita, Y. Minami, KM, H. Nakatsuka

Phys. Rev. D 105 103519, arXiv: 2110.03228

T. Fujita, KM, H. Nakatsuka, S. Tsujikawa

Phys. Rev. D 105 103518, arXiv: 2203.03977

This talk

“Isotropic cosmic birefringence from early dark energy”

E. Komatsu, KM, T. Namikawa

In preparation

- Big Bang Nucleosynthesis
- Primordial black holes
- Axion-gauge dynamics in inflation

- I. Cosmic birefringence
- II. Early dark energy
- III. CB from EDE
- IV. Summary

- I. **Cosmic birefringence**
- II. Early dark energy
- III. CB from EDE
- IV. Summary

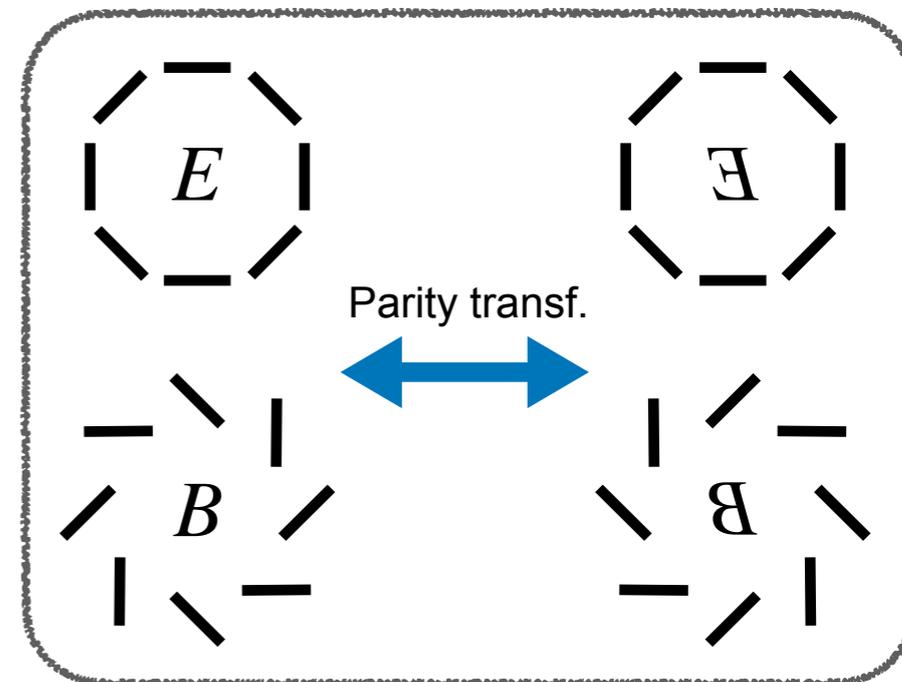
Cosmic birefringence

■ Cosmic birefringence

Cosmic birefringence is a rotation of the plane on linear polarization in CMB.

CMB polarization is decomposed into

- Parity-even E mode
- Parity-odd B mode



Cosmic birefringence mixes E and B modes:

After birefringence

$$C_l^{EE} = \cos^2(2\beta)\tilde{C}_l^{EE} + \sin^2(2\beta)\tilde{C}_l^{BB}$$

$$C_l^{BB} = \cos^2(2\beta)\tilde{C}_l^{BB} + \sin^2(2\beta)\tilde{C}_l^{EE}$$

$$C_l^{EB} = \frac{1}{2}\sin(4\beta)(\tilde{C}_l^{EE} - \tilde{C}_l^{BB})$$

Before birefringence
 $\tilde{C}_l^{BB} \ll \tilde{C}_l^{EE}$
 $\tilde{C}_l^{EB} = 0$

Cosmic birefringence

■ Parity violating signal in CMB

New analysis of the Planck data reported “cosmic birefringence”.
[Minami & Komatsu(2020)]

The measured cosmic birefringence is considered to be
(isotropic
independent of the photon frequency

The isotropic rotation angle is estimated as

$$\beta = 0.342^{\circ} \begin{matrix} +0.094^{\circ} \\ -0.091^{\circ} \end{matrix} \text{ at 68\% C.L.} \quad [\text{Eskilt \& Komatsu (2022)}]$$

This signal indicates the existence of new physics!

Cosmic birefringence

■ Cosmic birefringence from axion

Axion is a candidate of the origin of β .

$$\mathcal{L} = -\frac{1}{2} \left(\partial_\mu \phi \right)^2 - V(\phi) - \frac{1}{4} F_{\mu\nu} F^{\mu\nu} - \frac{1}{4} g \phi F_{\mu\nu} \tilde{F}^{\mu\nu}$$

Dispersion relations for left/right circular polarization photons:

$$\omega_\pm \simeq k \mp \frac{g}{2} \left(\frac{\partial \phi}{\partial t} + \frac{\vec{k}}{k} \cdot \vec{\nabla} \phi \right) = k \mp \frac{g}{2} \frac{d\phi}{dt}$$

→ β is represented by the difference of the axion field value:

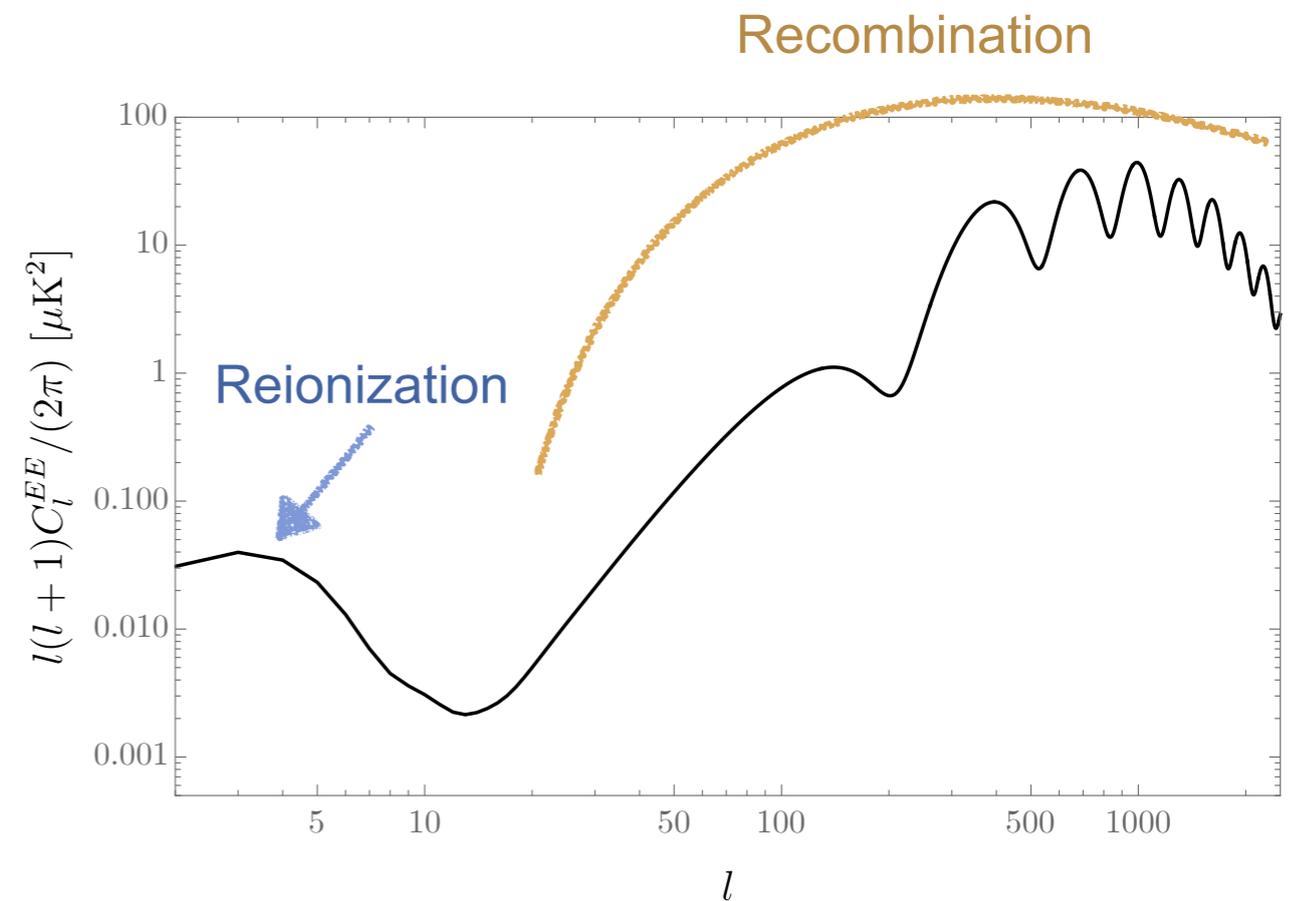
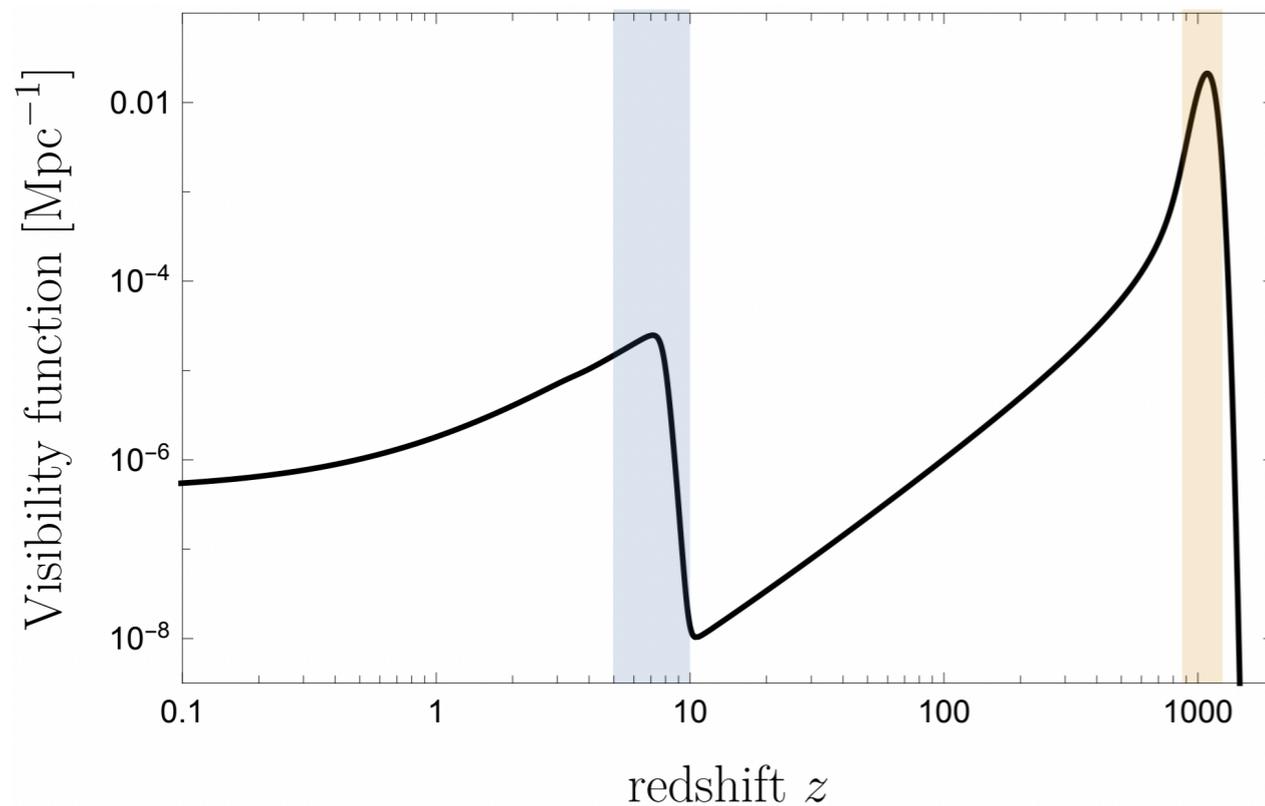
$$\beta(t) = -\frac{1}{2} \int_t^{t_0} dt (\omega_+ - \omega_-) = \frac{g}{2} [\phi(t_0) - \phi(t)]$$

Cosmic birefringence

■ Tomographic approach

CMB polarization mainly comes from

- Recombination ($z \sim 1090$)
- Reionization ($z \sim 7$)

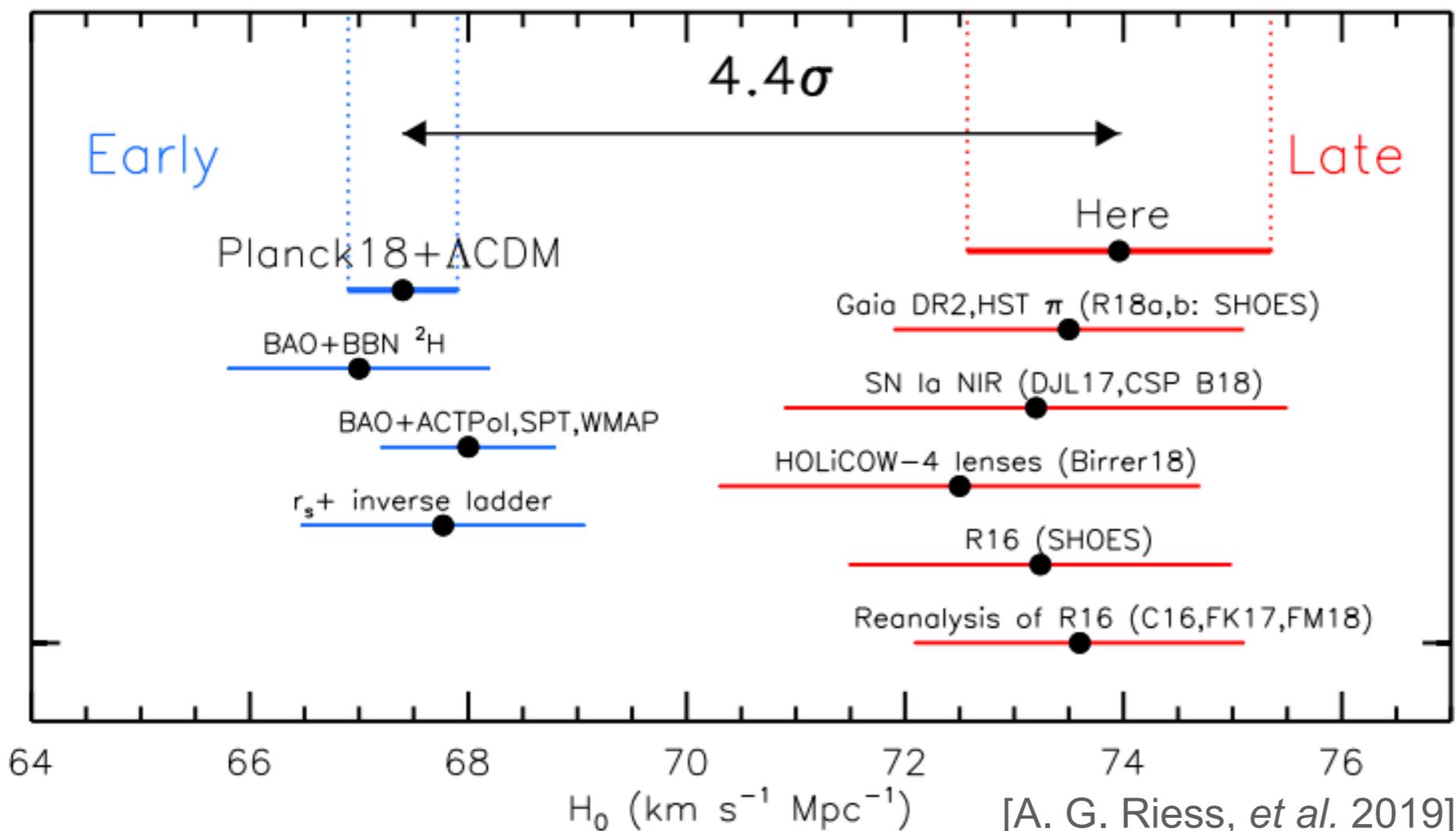


- I. Cosmic birefringence
- II. Early dark energy**
- III. CB from EDE
- IV. Summary

Early dark energy

■ Hubble tension

Hubble tension is a discrepancy of the value of H_0 between the local measurement and early-universe predictions.



Hubble Space Telescope

$74.03 \pm 1.42 \text{ km/s/Mpc}$

Planck 2018

$67.4 \pm 0.5 \text{ km/s/Mpc}$

Early dark energy

■ Idea of Early dark energy [Karwal & Kamionkowski (2016)]

Angle of sound horizon

$$\theta_s^\star = \frac{r_s^\star}{D_A^\star}$$

$$\int_{z_\star}^{\infty} dz \frac{c_s(z)}{H(z)} \quad : \text{ Sound horizon}$$

Recombination

$$\int_0^{z_\star} \frac{dz}{H(z)} \quad : \text{ Angular diameter distance}$$

Increase $H(z)$ at $z \gtrsim z_\star$

→ Decrease r_s^\star and then D_A^\star

→ The inferred value of H_0 increases.

Early dark energy

■ Early dark energy model

EDE must satisfy the followings:

- Relevant at matter-radiation equality
- Behaves like dark energy at early times
- Dilutes faster than the matter after z_\star

An EDE model includes a field with a potential:

$$V_{\text{cos}}^{(n)} \equiv m^2 f^2 \left[1 - \cos \left(\frac{\phi}{f} \right) \right]^n, \quad n \geq 2$$

[Poulin, Smith, Karwal, Kamionkowski (2019)]

Around $\phi = 0$, $V(\phi)$ is approximated $\propto \phi^{2n}$.

$$\rho_\phi \propto a^{-6n/(n+1)} \quad [\text{Turner (1983)}]$$

Early dark energy

■ Best-fit for EDE

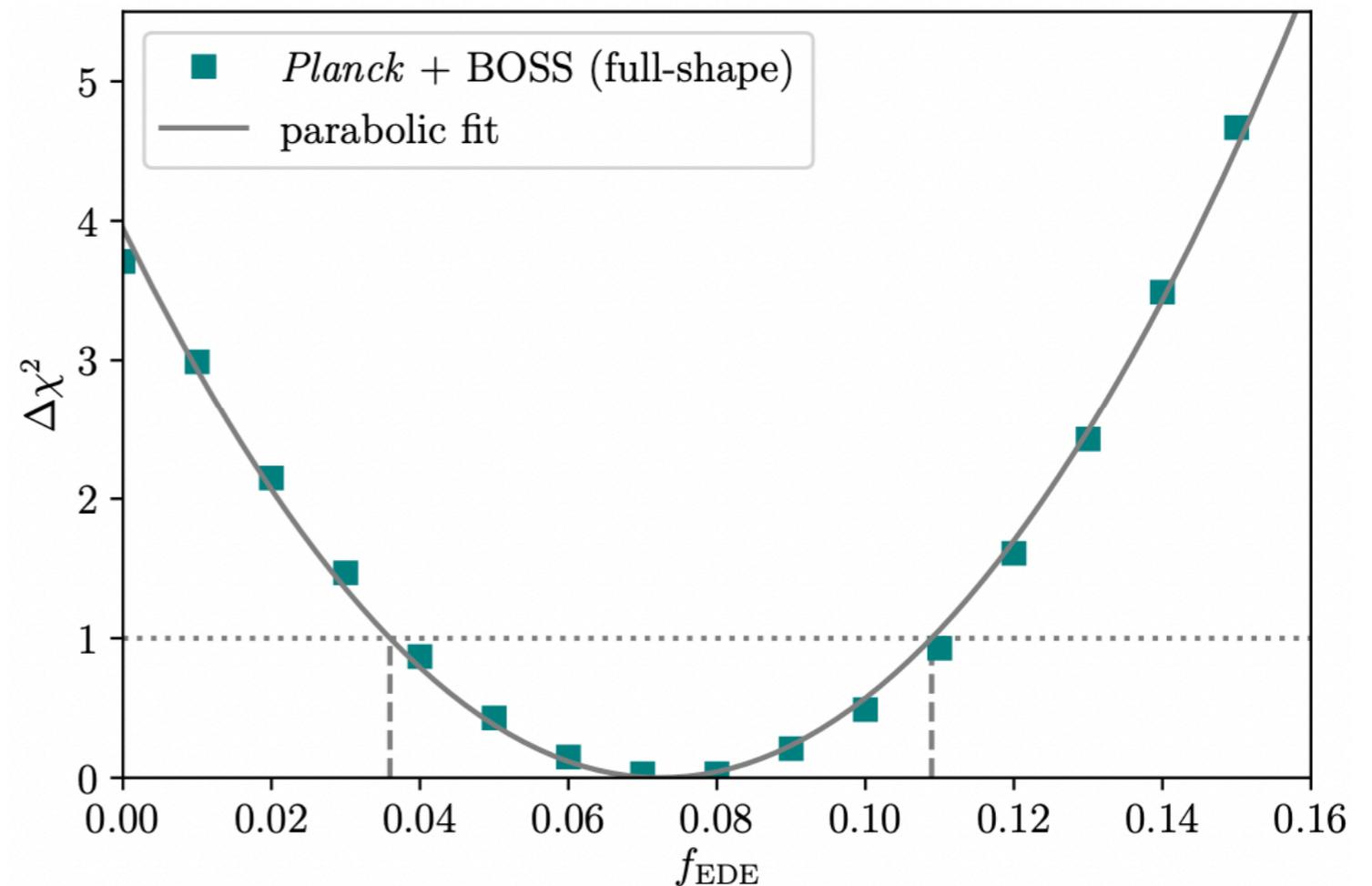
We consider a model with $V = m^2 f^2 \left[1 - \cos \left(\frac{\phi}{f} \right) \right]^3$.

Using a profile likelihood, the favored value of f_{EDE} is estimated:

$$f_{\text{EDE}} = 0.072^{+0.071}_{-0.060}$$

at 95% C.L.

[Herold, Ferreira, Komatsu (2022)]



- I. Cosmic birefringence
- II. Early dark energy
- III. CB from EDE**
- IV. Summary

Isotropic CB from EDE

■ Implementation

In the previous work, the effect of β has been implemented with an input data of $\phi(\eta)$. [Nakatsuka, Namikawa, Komatsu (2022)]

$$\begin{aligned} \pm 2\Delta_{P,l}(\eta_0, q) &= -\frac{3}{4} \sqrt{\frac{(l+2)!}{(l-2)!}} \int_0^{\eta_0} d\eta \tau' e^{-\tau(\eta)} \Pi(\eta, q) \frac{j_l(x)}{x^2} e^{\pm 2i\beta(\eta)} \\ \text{Fourier of } Q, U & \quad \Delta_{E,l}(q) \pm i\Delta_{B,l}(q) \equiv -\pm 2\Delta_{P,l}(\eta_0, q) \quad \beta(\eta) = \frac{g}{2} [\phi(\eta_0) - \phi(\eta)] \end{aligned}$$

To deal with EDE, $\phi(\eta)$ should be solved consistently with the background cosmology.

We extend the code to solve following CLASS_EDE code.

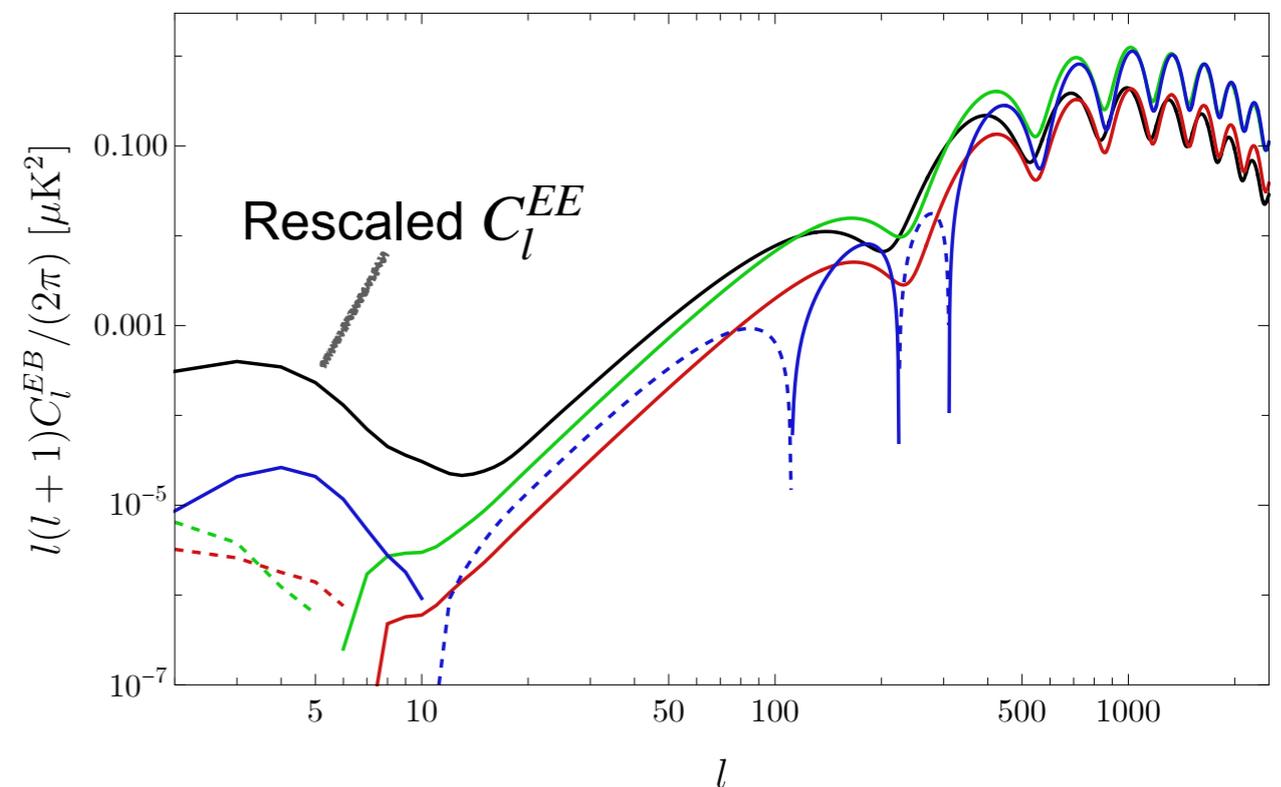
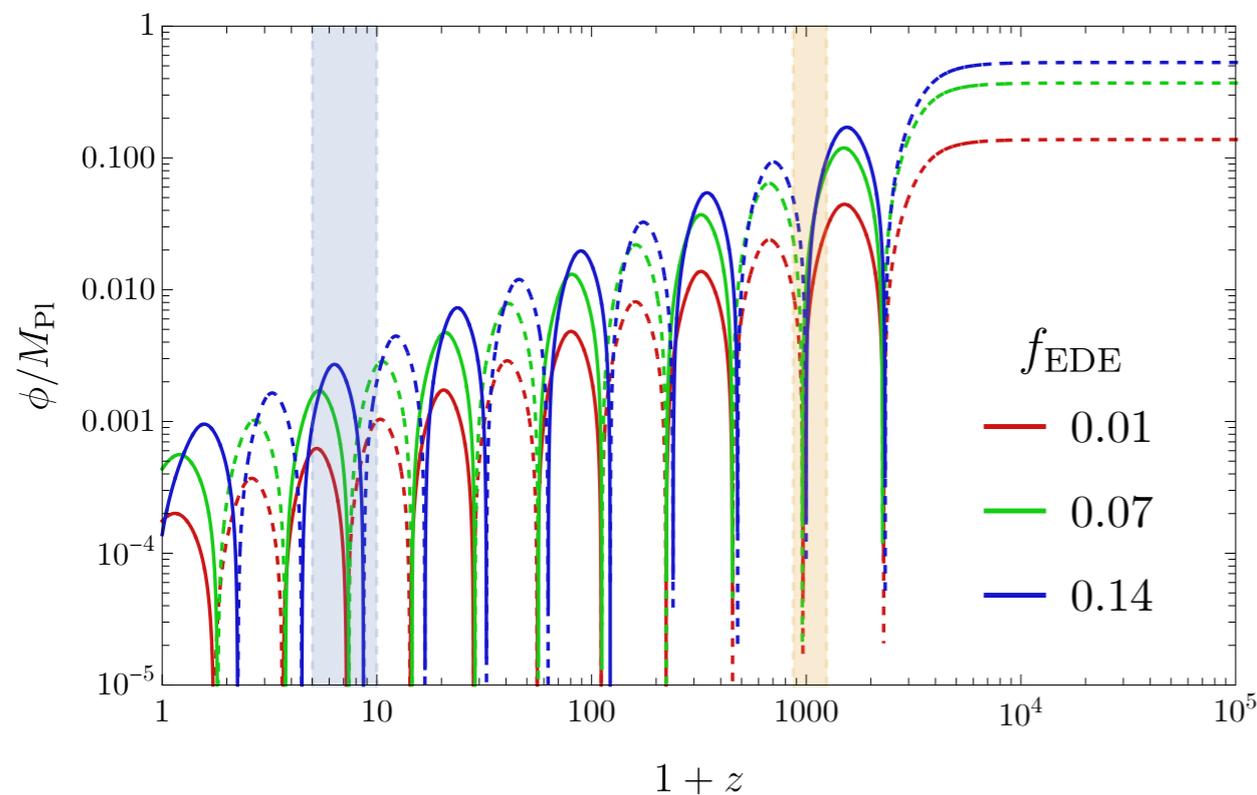
[Hill, McDonough, Toomey, Alexander (2020)]

Isotropic CB from EDE

■ EB angular power spectrum

We consider the EDE model with the best-fit parameters for $f_{\text{EDE}} = 0.01, 0.07, \text{ and } 0.14$.

Here, we use $g = M_{\text{Pl}}^{-1}$ and C_l^{EB} scales as $\propto g$.

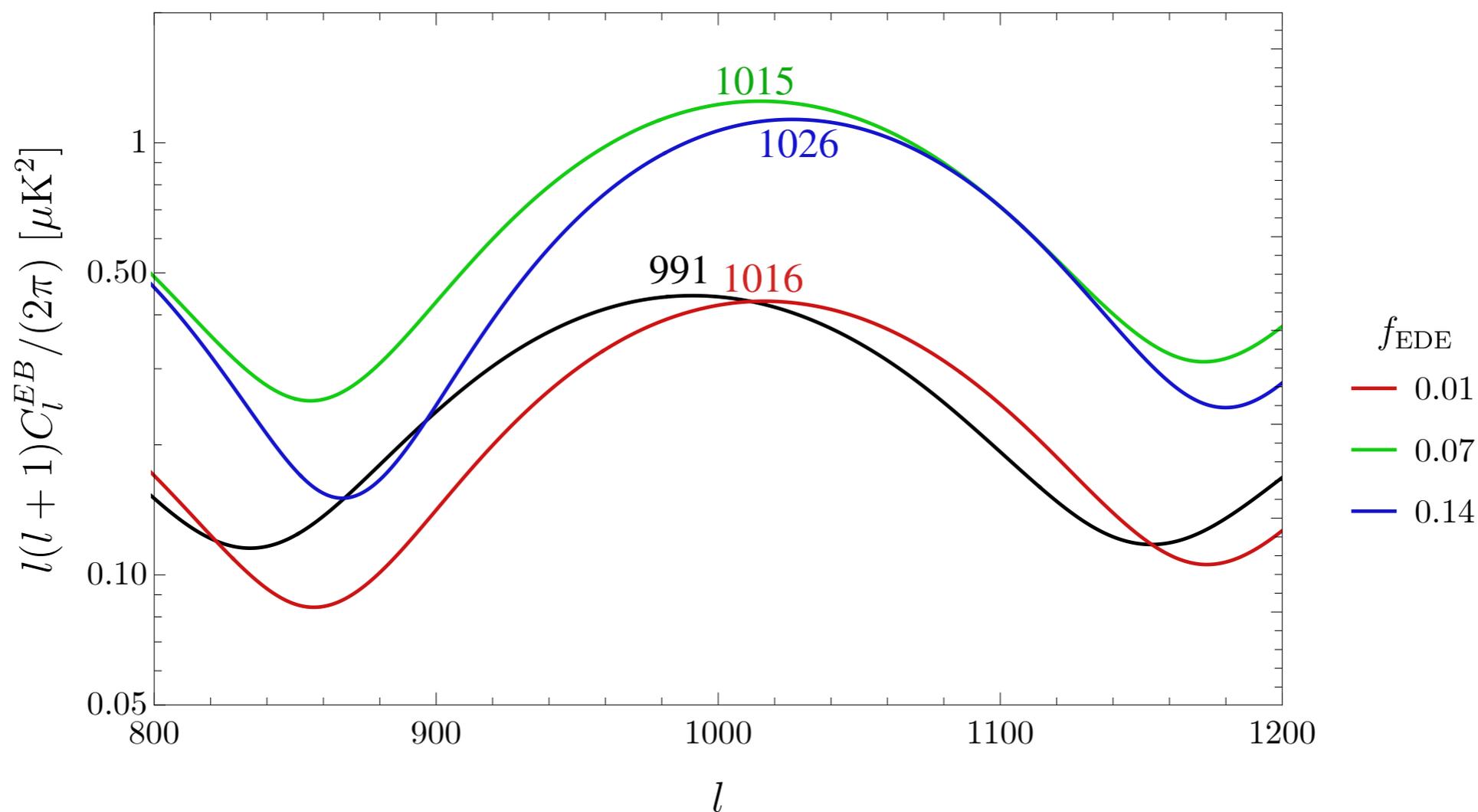


Isotropic CB from EDE

■ EB angular power spectrum

C_l^{EB} is not proportional to C_l^{EE} .

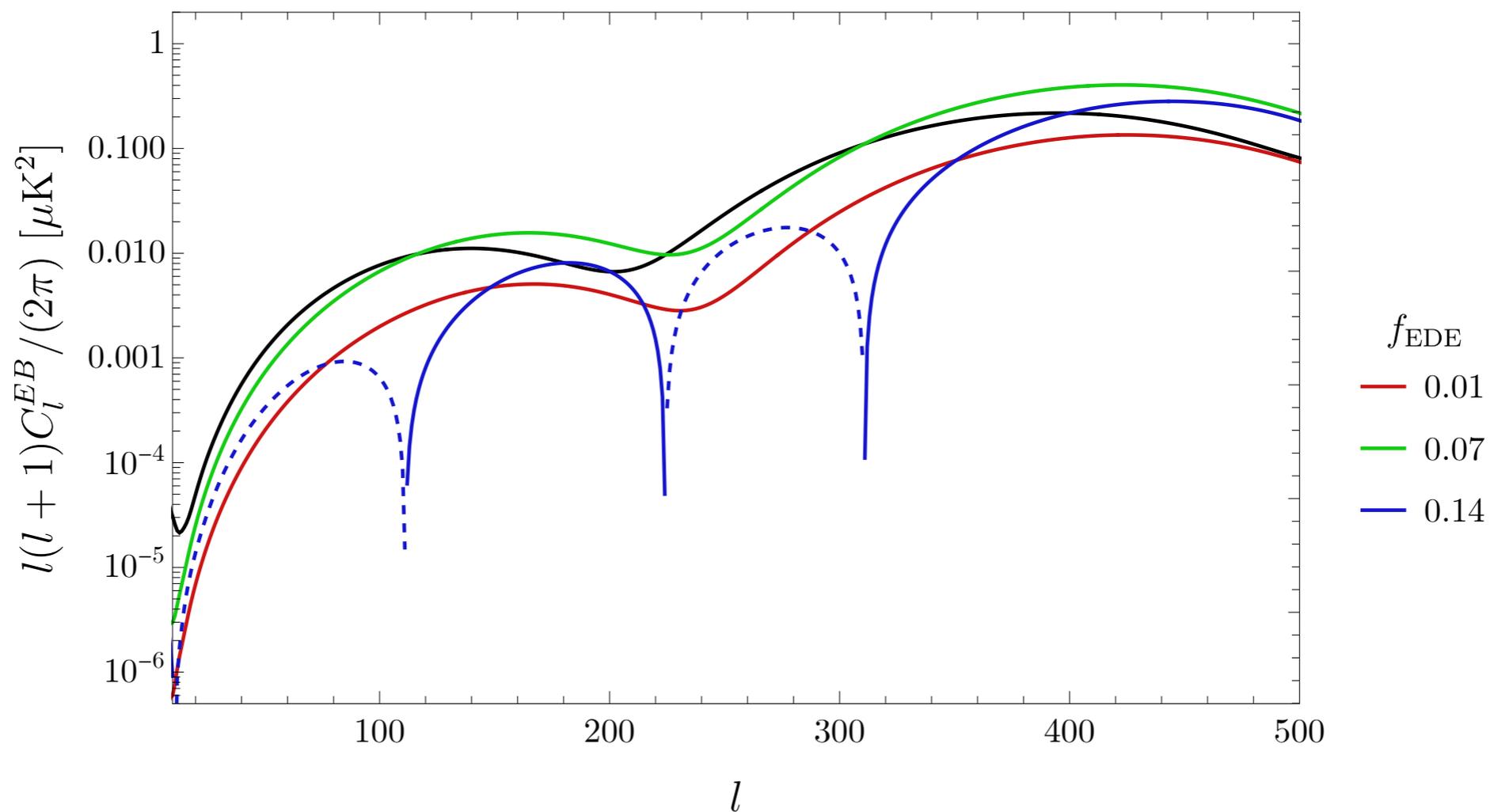
The peak is shifted by $\Delta l \gtrsim 10$.



Isotropic CB from EDE

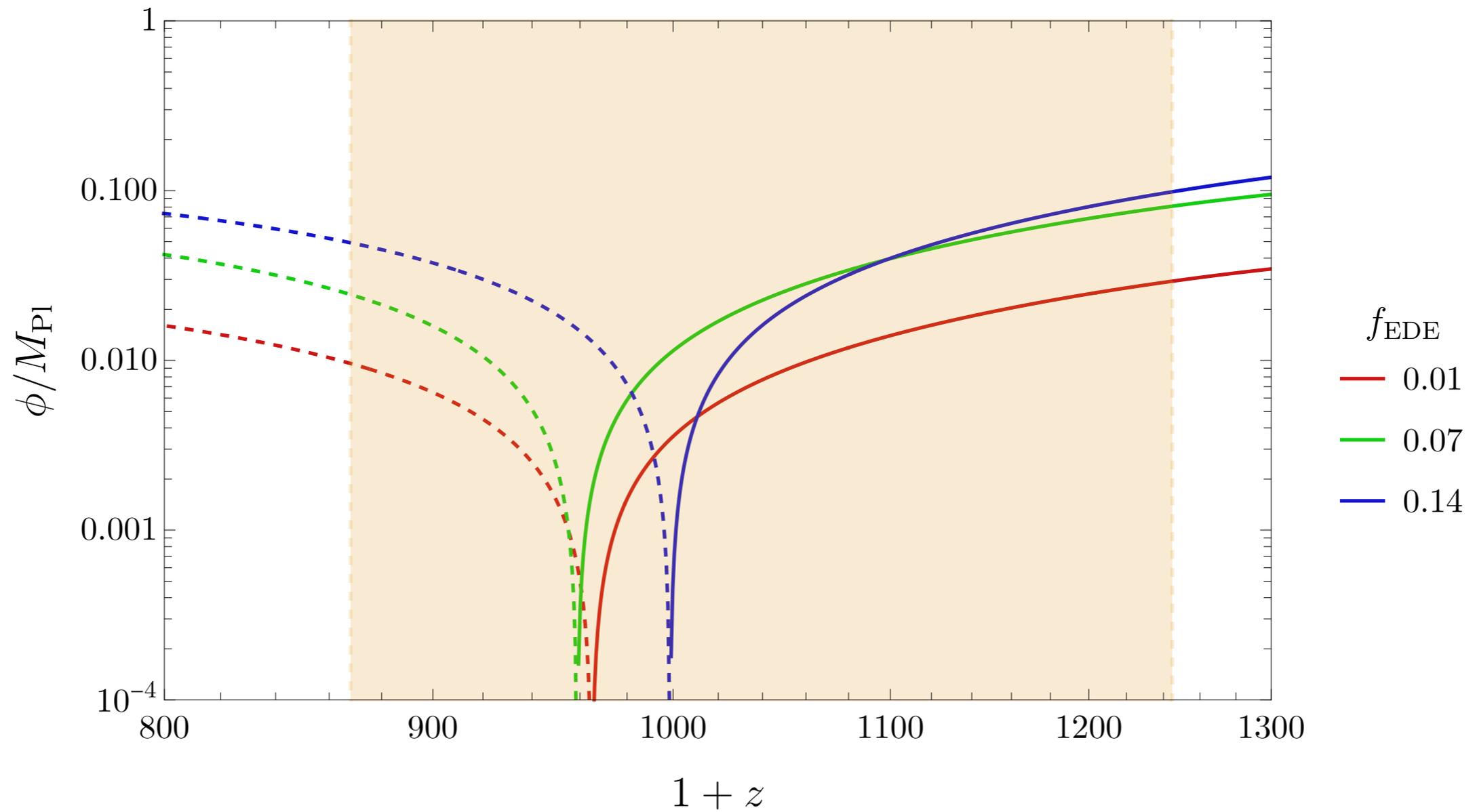
■ EB angular power spectrum

For $f_{\text{EDE}} = 0.14$, the sign of C_l^{EB} flips in mid l .



Isotropic CB from EDE

■ EB angular power spectrum



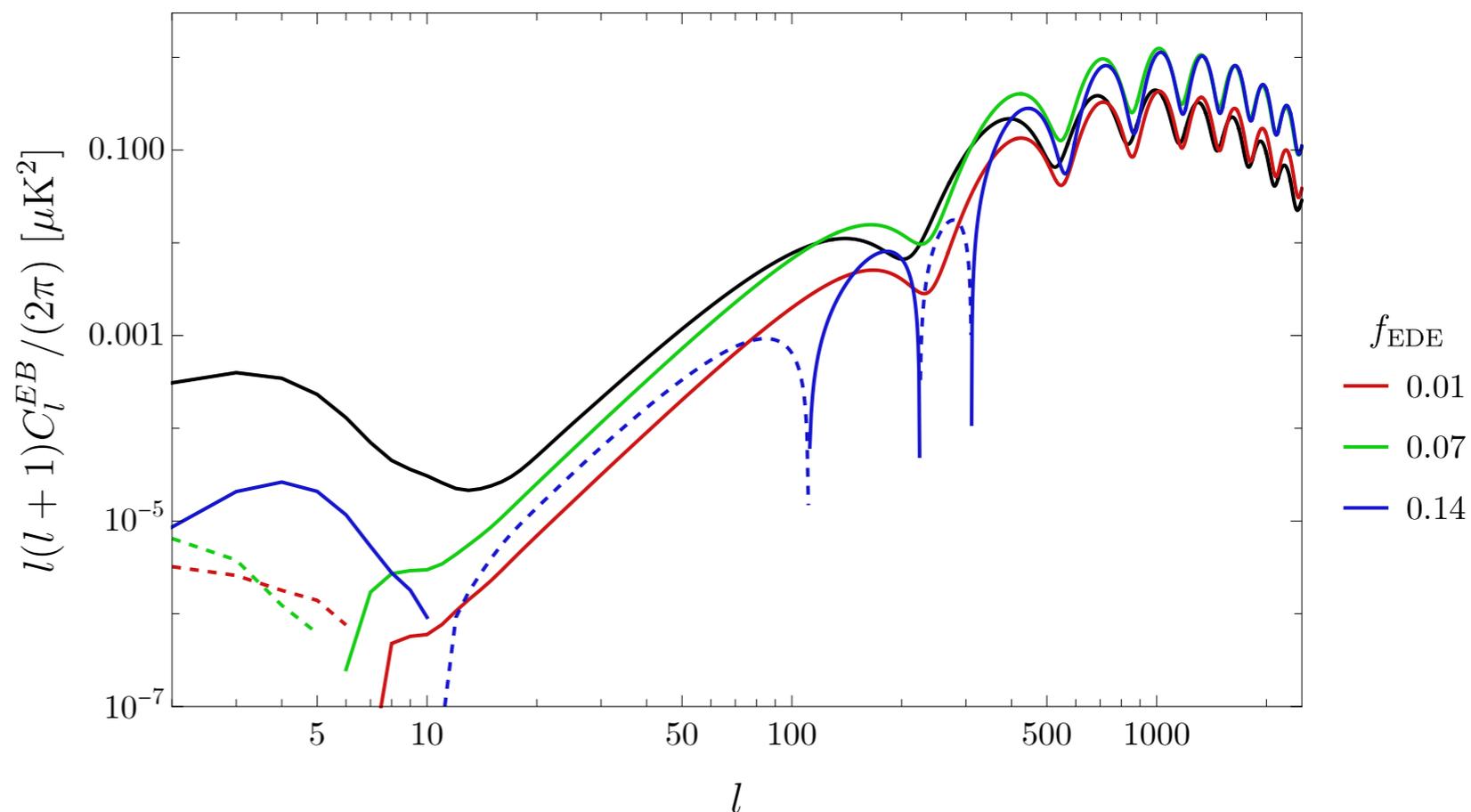
Isotropic CB from EDE

■ EB angular power spectrum

Rough translation into β :
$$\frac{\text{Max}[C_l^{EB}]}{\text{Max}[C_l^{EE}]} = \frac{1}{2} \sin(4\beta_{\text{eff}})$$

We obtain $\beta_{\text{eff}} = \beta_{\text{obs}}$ with
 $gM_{\text{Pl}} = \{1.2, 0.42, 0.47\}$.

→ $g = \mathcal{O}(M_{\text{Pl}}^{-1})$ is favored.



- I. Cosmic birefringence
- II. Early dark energy
- III. CB from EDE
- IV. Summary**

- I extended the modified CLASS codes and calculated the EB power spectrum when an EDE field induces cosmic birefringence.
- For all f_{EDE} I considered, the EB spectrum is not proportional to the EE spectrum.
- Especially, $f_{\text{EDE}} = 0.14$ has a distinct shape.
- Future direction:

(Anisotropic CB
Including lensing

