

Summary of Discussion Session #3 (November 7, 2012)

**"Multiple-field(\*) Inflation"**

(\*) Definition of "multiple-field inflation" here is the inflation models in which there are multiple fields whose masses are smaller than or comparable to the Hubble rate during inflation.

*Question: What are the promising (general) ways to produce  $f_{NL}=O(10)$ ?*

*Answer: There are two classes of models:*

1. Turning of the trajectories in field space. There are three sub-classes:
  - 1a. "Ridge" - diverging field trajectories. For the canonical kinetic term, they produce a negative  $f_{NL}$
  - 1b. "Focus" - converging field trajectories. For the canonical kinetic term, they produce a positive  $f_{NL}$
  - 1c. "Quasi Single-field" - turning couples inflaton and "isocurvatons" (fields whose masses are comparable to the Hubble rate during inflation)
2. Modulation of the end-of-inflation (or reheating) surface. This includes curvaton; modulated reheating; modulated trapping; preheating; multi-brid; etc

*Question: How can we test multi-field models?*

*Answer: Observational signatures include:*

- Slope of the halo bias [see summary of the "large-scale structure" session for more complete description]
- $f_{NL}-g_{NL}$  relation; and Suyama-Yamaguchi (in)equality  $\tau_{NL} \geq (6f_{NL}/5)^2$ 
  - Strictly speaking, the SY relation should always be an inequality due to loop corrections
- Scale-dependence of  $f_{NL}$ ,  $g_{NL}$ ,  $\tau_{NL}$  etc
- Isocurvature (entropy) perturbations
- Subtle shape dependence of the bispectrum
  - E.g.,  $f_{NL}(\mathbf{k}_{long} \cdot \mathbf{k}_{short})$  from higher-spin fields
- Tensor-to-scalar ratio
  - E.g., detection of the tensor-to-scalar ratio at the level of  $O(0.01)$  puts the curvaton scenario in the inflation-dominated regime
- Spectral tilt
  - E.g.,  $1-n_s=O(0.01)$  implies "large-field"  $\epsilon=O(0.01)$  or "hilltop"  $\eta=O(0.01)$
- A definitive way to rule out the single-field inflation with the canonical kinetic term is to show the violation of  $r=-8n_{tensor}$