Lensing in modified lensing potentials

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 $\Psi_? = \frac{7}{2} 4\pi$



WANTED

2015

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1917

Theoretical and Observational Progress on Large-scale Structure of the Universe

Thursday, 23th July 2015, Garching, Germany

In modified gravity cosmologies

1) The Universe can expand at different rates

$$H^{2} = H_{0}^{2} \left[\Omega_{r0} a^{-4} + \Omega_{m0} a^{-3} + \Omega_{de}(a) \right]$$

Not a constant !

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Key to this talk: lensing potential is directly modified !

• Cubic Galileon
$$S = \int d^4x \sqrt{g} \left[\frac{R}{16\pi G} + \mathcal{L}_m + \nabla^\mu \varphi \nabla_\mu \varphi \left(\frac{c_2}{2} + \frac{c_3}{2\mathcal{M}^3} \Box \varphi \right) \right]$$

Nicolis et al. (2009); Defayet et al. (2009)

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Time and density dependent gravitational strength

 $\nabla^2 \Phi = \frac{4\pi G \bar{\rho}_m \delta}{4\pi G \bar{\rho}_m \delta} + \frac{f(a) \nabla^2 \varphi(a, \delta)}{f(a) \nabla^2 \varphi(a, \delta)}$

 $= 4\pi G_{\rm eff}(a,\delta)\bar{\rho}_m\delta$

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Outline

1) Lensing by clusters

Barreira et al ; arXiv:1505.03468

2) Lensing by voids

Barreira et al ; arXiv:1505.05809

Lensing by clusters







and c200 on the **assumed theory of gravity**?





Cluster lensing masses



 $Black: \Lambda CDM$ Red: Galileon

Cluster lensing masses











Lensing by voids

Line of reasoning



Void abundances



Void abundances



DM density of halo field voids





DM density of halo field voids





$$\delta(R' = R/R_v) = \delta_v \frac{1 - (R'/s_1)^{\alpha}}{1 + (R'/s_2)^{\beta}}$$

Will use it to compute **lensing** analytically.



DM density of halo field voids



Cai et al. (2014) arXiv:1410.1510













Before rigorously comparing to observations:

1) Void/source redshift distribution

 \rightarrow Time evolution of the fifth force.

2) Quantify importance of substructure and intervening matter

→ Specially given intrinsically low S/N

→ Substructure may induce some screening effects.

The strength of the signal opens good prospects to use voids to test gravity.

Some data exists already: [1] - Melchior et al, 2014 using SDSS [2] - Clampitt&Jain, 2014 using SDSS [3] - Gruen et al. 2015 using DES





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→ Void finder (watershed, sph. und., troughs), sizes, tracer bias, abundance ...



 10^{0}

 10^{1}

 10^{2}

 θ [arcsec]

 \approx Beyond R_{200}

 10^{3}

 10^{4}

RXC J2248 7 **1)** Cluster lensing $\chi^2 = 1.31$ 6 5 200 2500 =1.213 m • Mass estimates based on data for R<R200</p> 2 are unchanged due to screening efficiency. 0.5 1.0 1.5 2.0 2.5 3.0 $M_{200} \left[10^{15} \, M_{\odot} / h \right]$ isters *Rel. diff.* 50 Larger effects at R>R200 may be probed via galaxy- $\kappa(\theta)$ galaxy and/or galaxy infall dynamics. 0.0

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Force profiles



