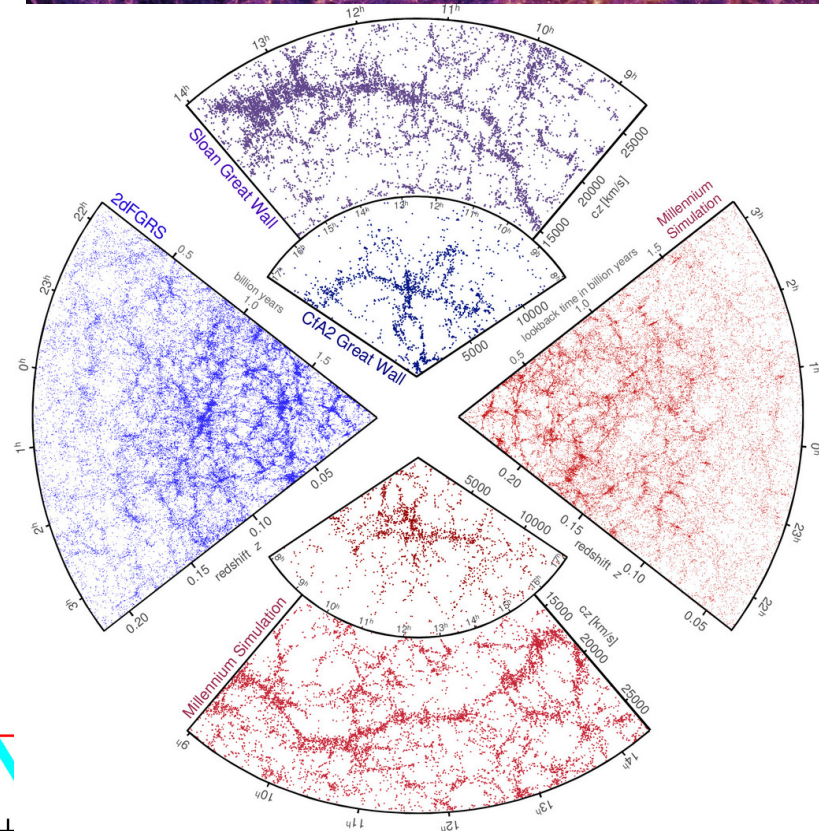
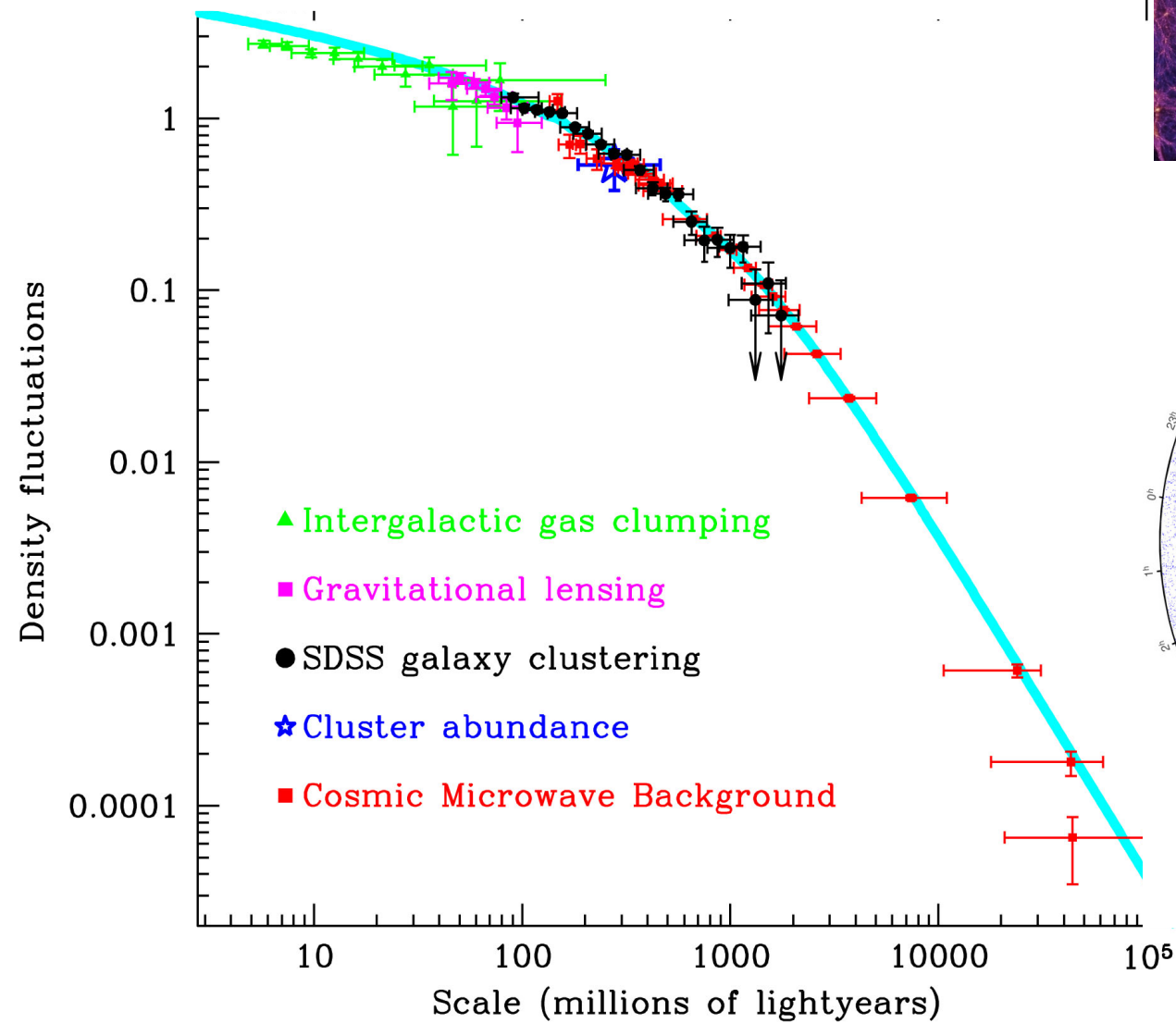
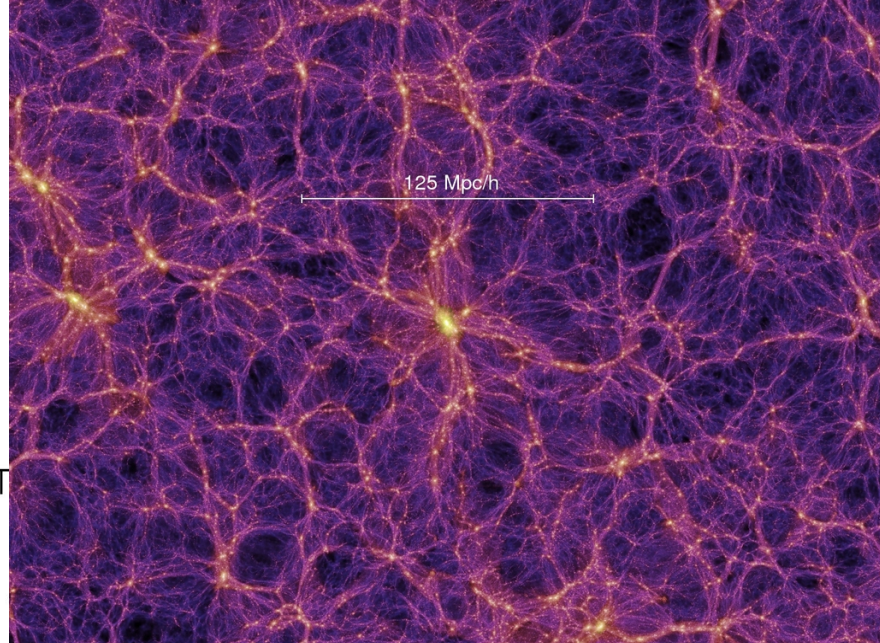
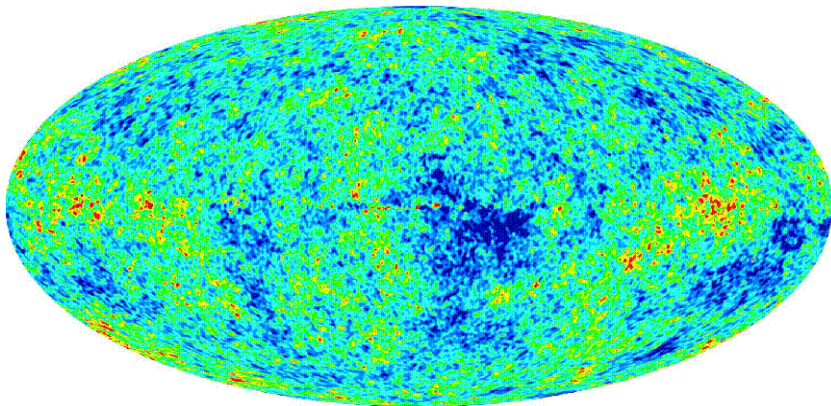


Unveiling the Mass,
Queens University
June 2009

The masses of galaxy halos

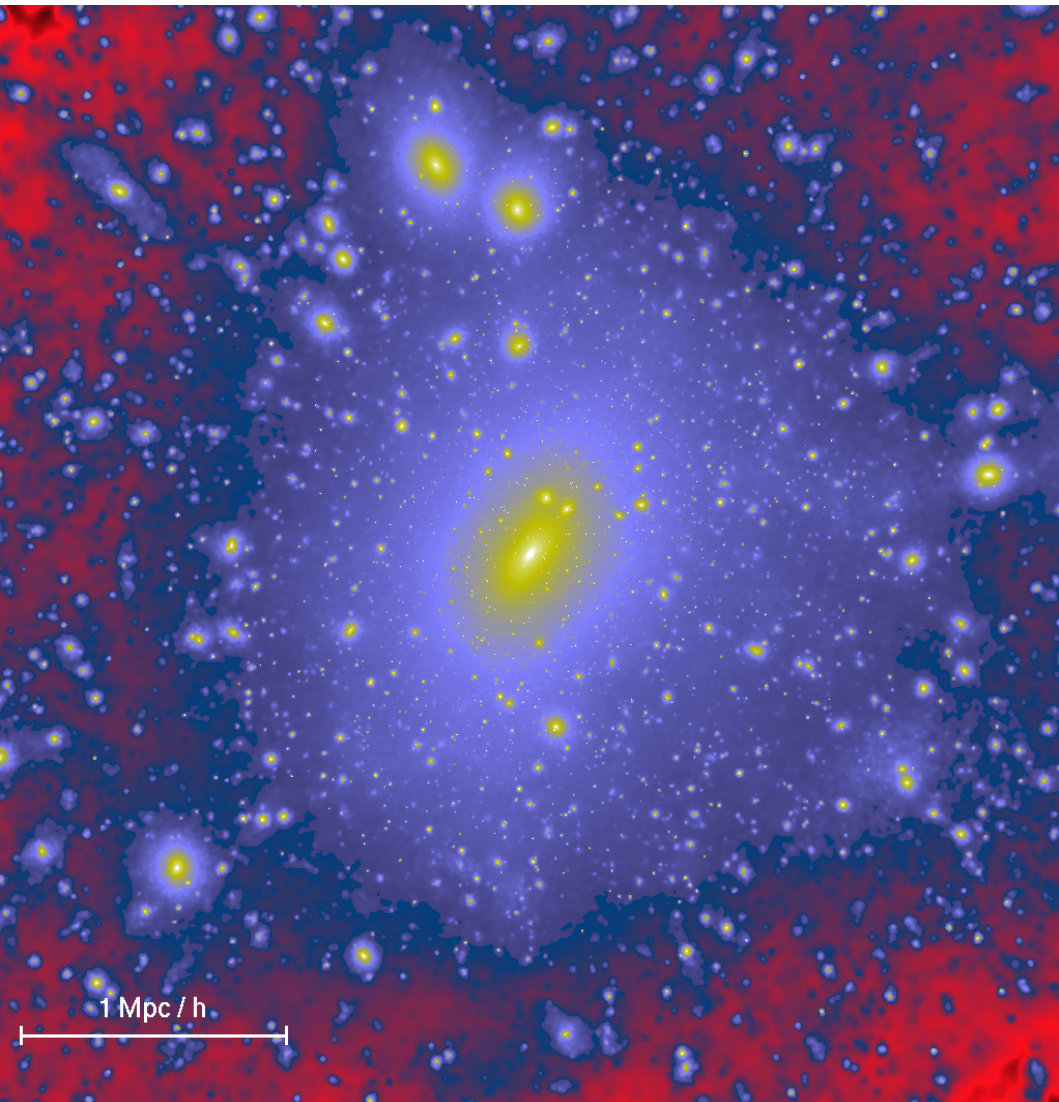
Simon White

Max Planck Institute for Astrophysics

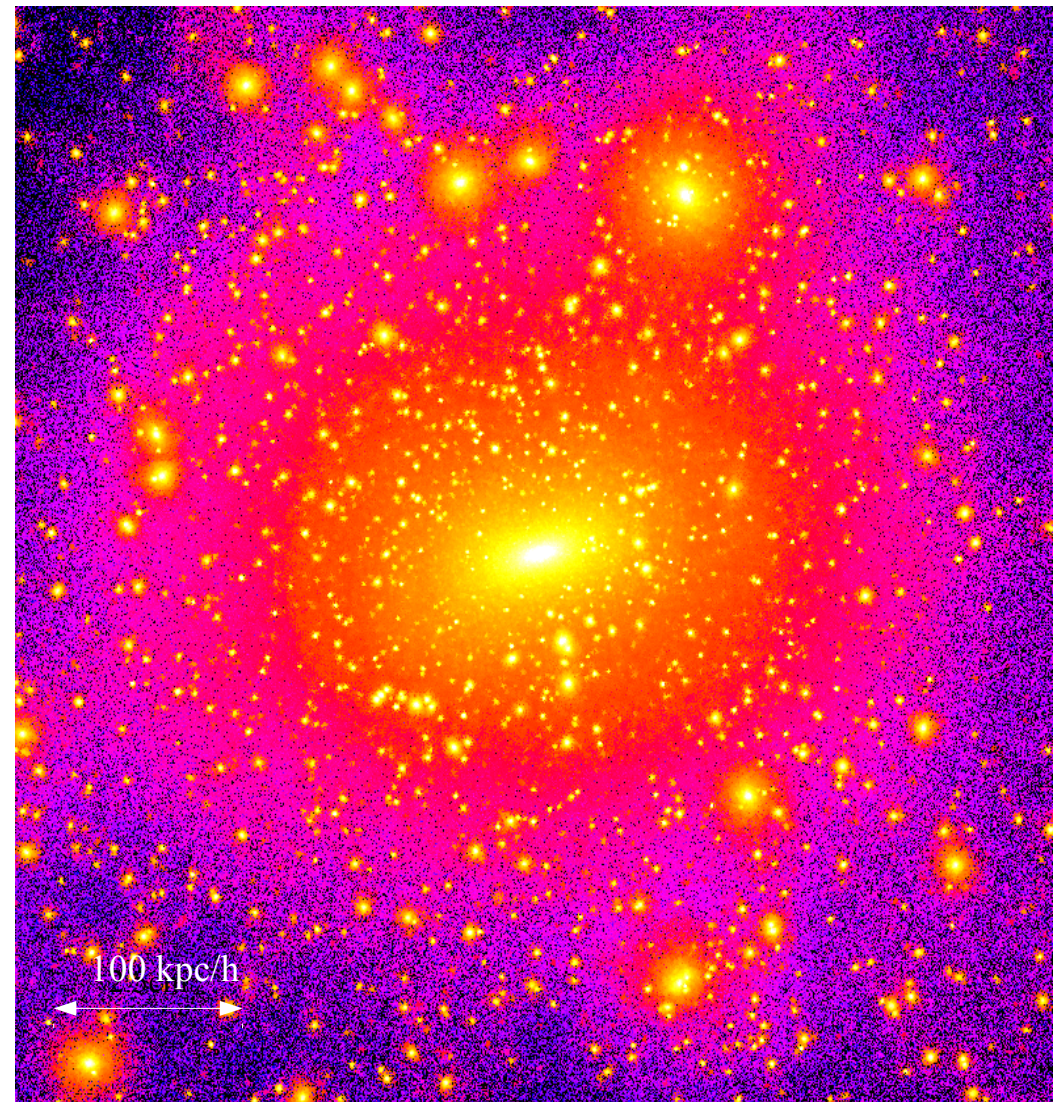


The dark matter structure of Λ CDM halos


A rich galaxy cluster halo
Springel et al 2001



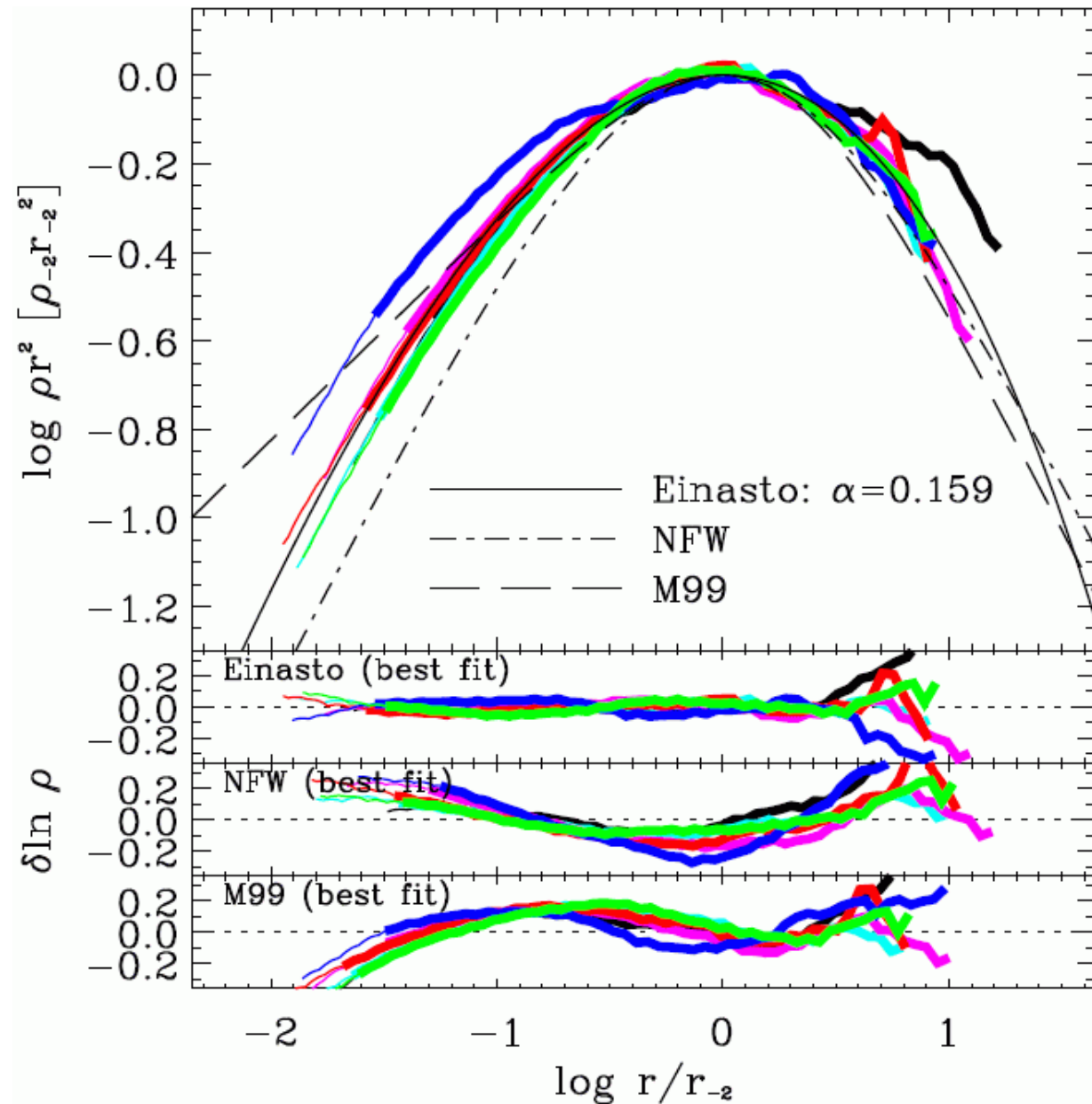
A 'Milky Way' halo
Power et al 2002



Λ CDM galaxy halos (without galaxies!)

- Halos extend to ~ 10 times the 'visible' radius of galaxies and contain ~ 10 times the mass in the visible regions
 - Halos are not spherical but approximate triaxial ellipsoids
 - more prolate than oblate
 - axial ratios greater than two are common
 - "Cuspy" density profiles with outwardly increasing slopes
 - $d \ln \rho / d \ln r = \gamma$ with $\gamma < -2.5$ at large r
 - $\gamma > -1.0$ at small r
 - Substantial numbers of self-bound subhalos contain $\sim 10\%$ of the halo's mass, are concentrated at large r and have $dN/dM \sim M^{-1.9}$
-  Most substructure mass is in most massive subhalos

Navarro et al 2009



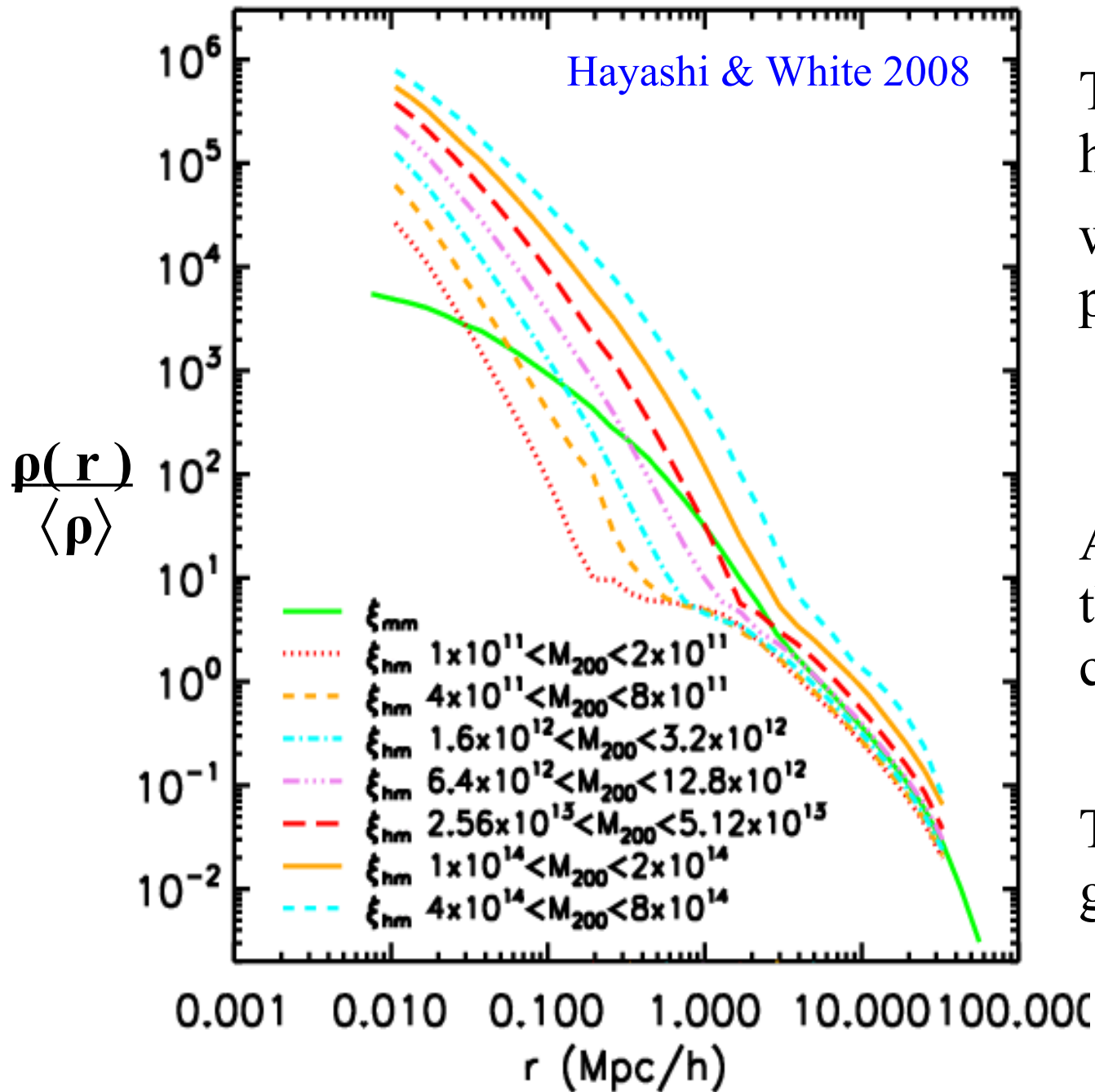
Density profiles for Λ CDM galaxy halos

- Six MW-like halos at very high resolution from the Aquarius project
- Density profiles differ from halo to halo
- Two-parameter functions can fit $150\text{pc} < r < 75\text{kpc}$ to an *rms* accuracy of
 - $\sim 10\%$ (Moore 1999)
 - $\sim 6\%$ (NFW)
 - $\sim 2.5\%$ (Einasto, $\alpha = 0.15$)

Conclusions about Λ CDM galaxy halos

- Most are triaxial/prolate
- Most are NFW to 5%, and Einasto to 2.5% in the relevant regions
- Baryon effects exceed the scatter/noise in the visible regions
 - inner regions become denser and more nearly axisymmetric
 - dependent on details of galaxy assembly
 - effects of bars?
- Substructure “noise” is large beyond 50 to 100 kpc
 - stack data to study mean profiles at larger radii?

Stacked mean halo density profiles to large radius

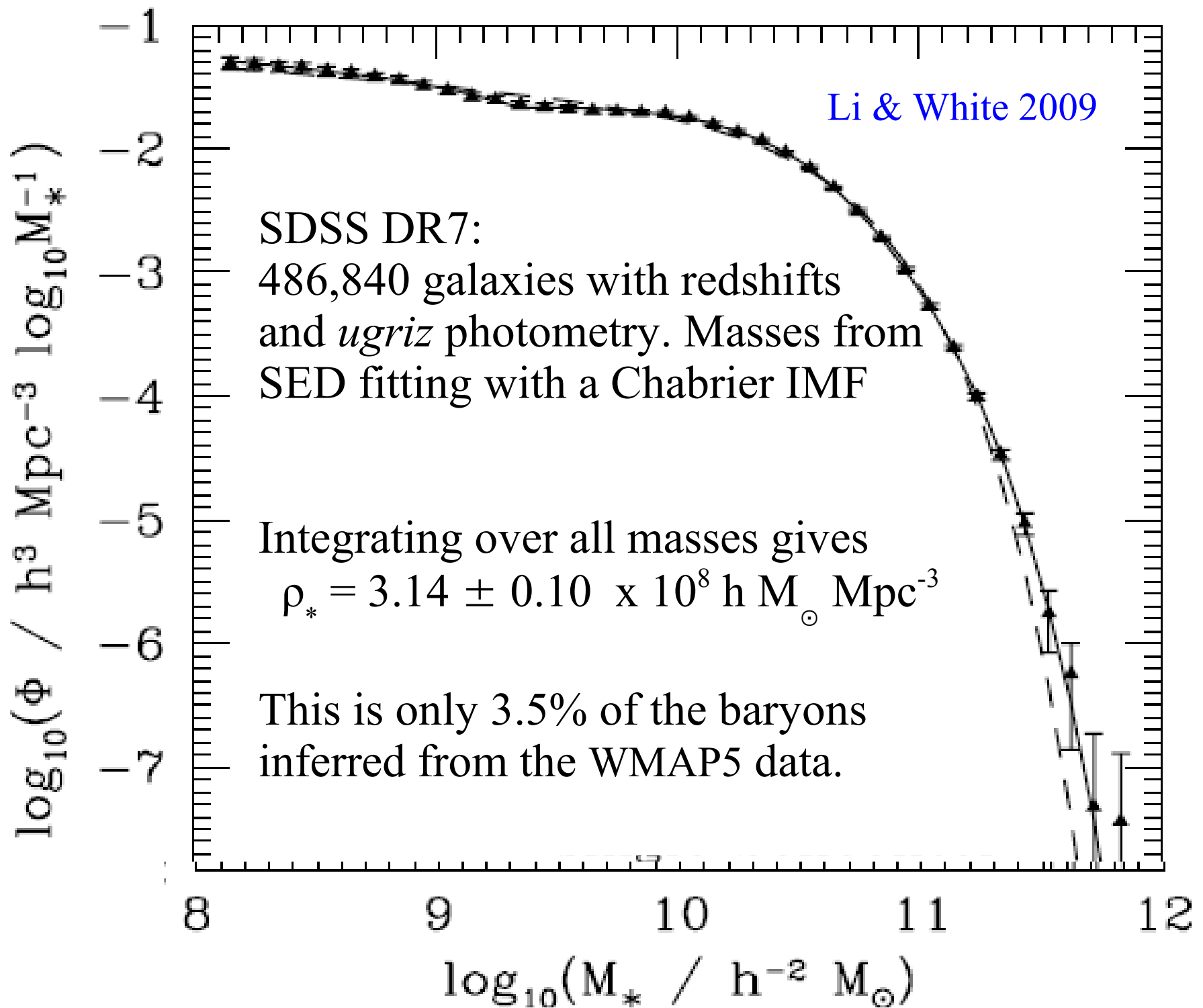


The mean profile of many halos of similar M_{200} is well fit by an Einasto profile out to

$$\rho(r) \sim 10 \langle \rho \rangle$$

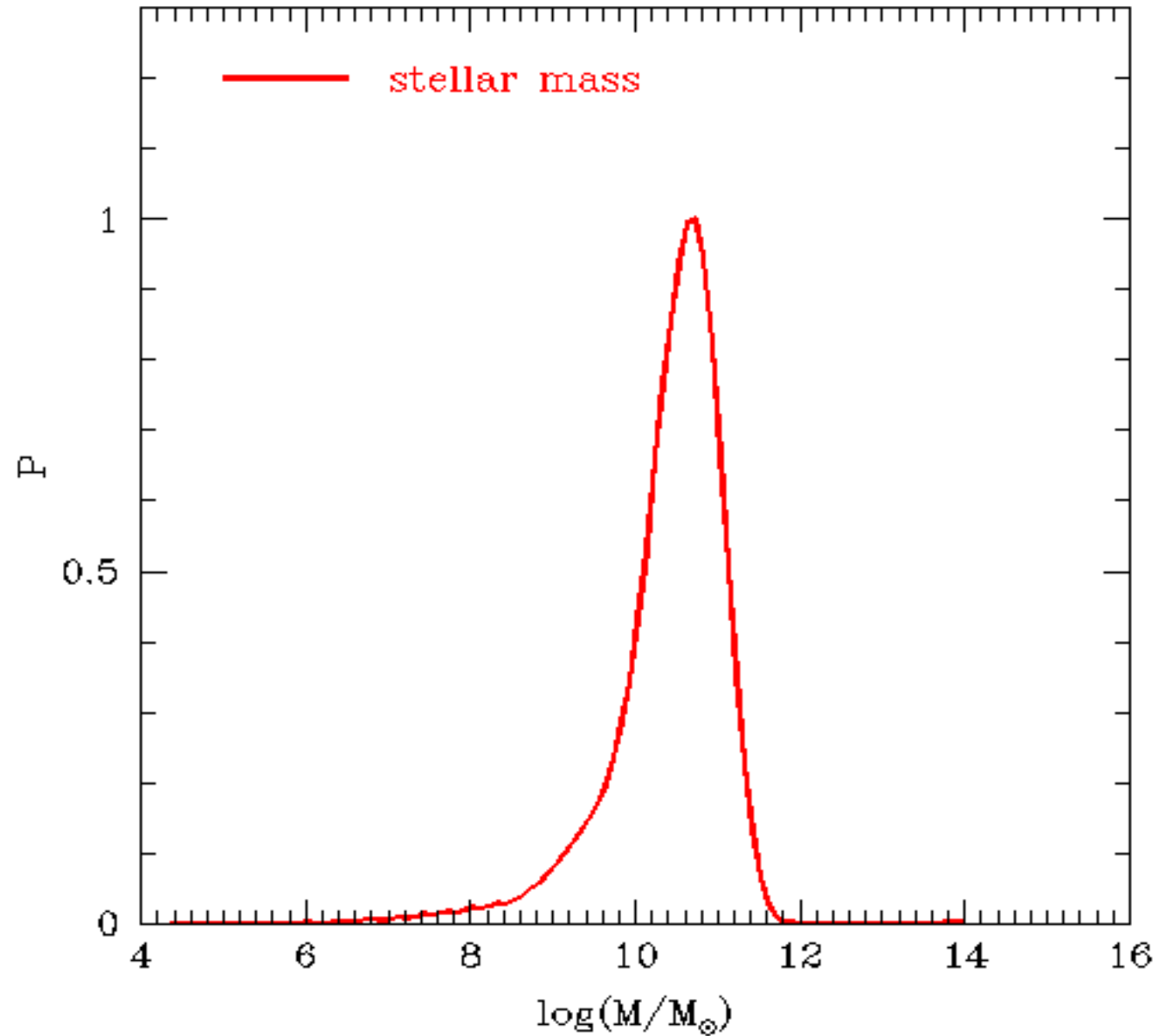
At larger radii it parallels the *linear* mass auto-correlation function

This also holds for *central* galaxies of similar L



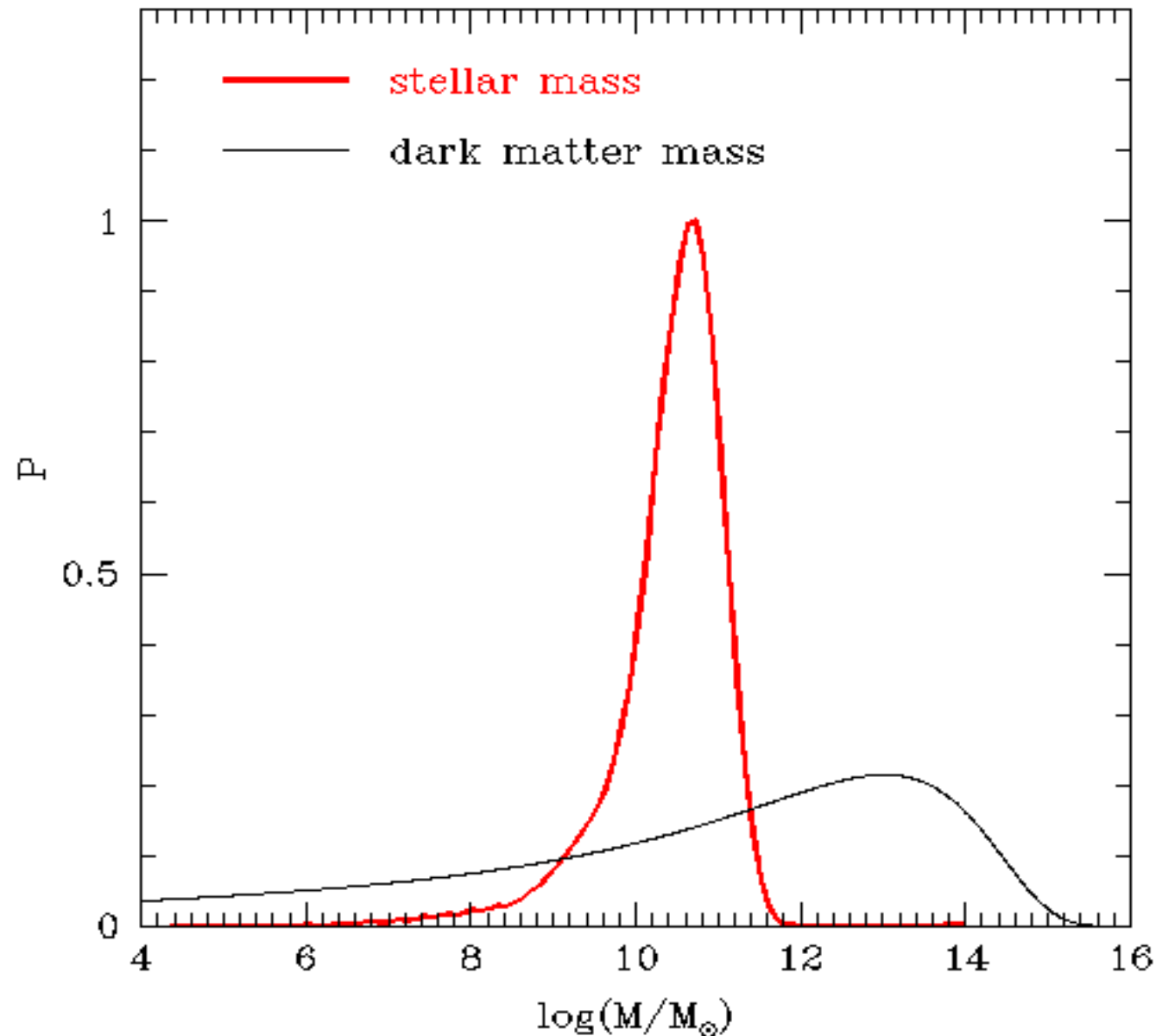
Most stars are in galaxies with similar stellar mass to the Milky Way

Li & White 2009



Most stars are in galaxies with similar stellar mass to the Milky Way
Dark matter (and baryons) are *much* more broadly distributed across
halo mass in the WMAP5 cosmology

Li & White 2009



A counting argument relating halo and galaxy masses

The SDSS/DR7 data give a precise measurement of the abundance of galaxies as a function of stellar mass threshold, $n(> M_*)$

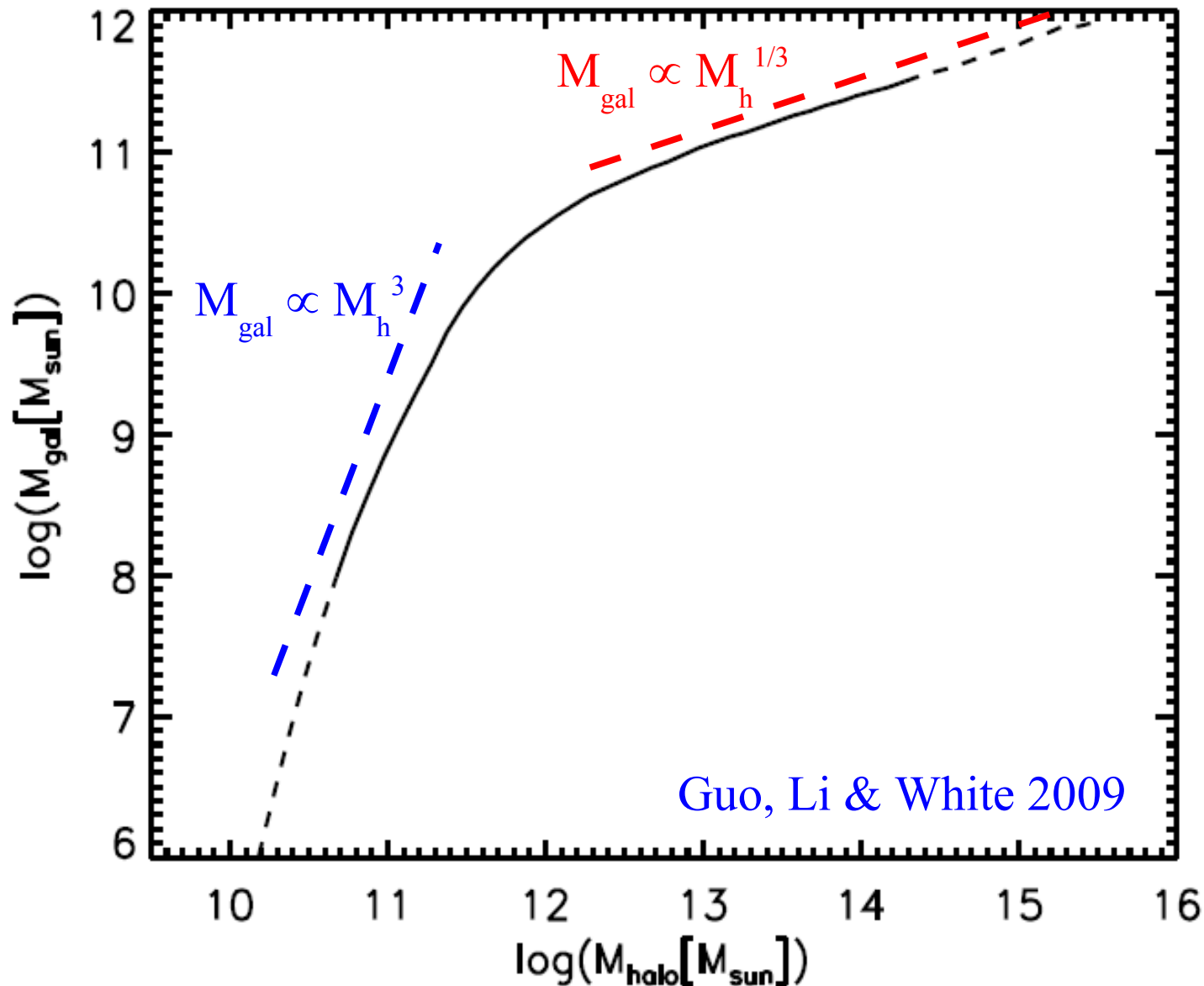
The Millennium and MS-II simulations allow all halos/subhalos massive enough to host $z=0$ galaxies to be identified

Define $M_{h,max}$ as the maximum mass *ever* attained by a halo/subhalo

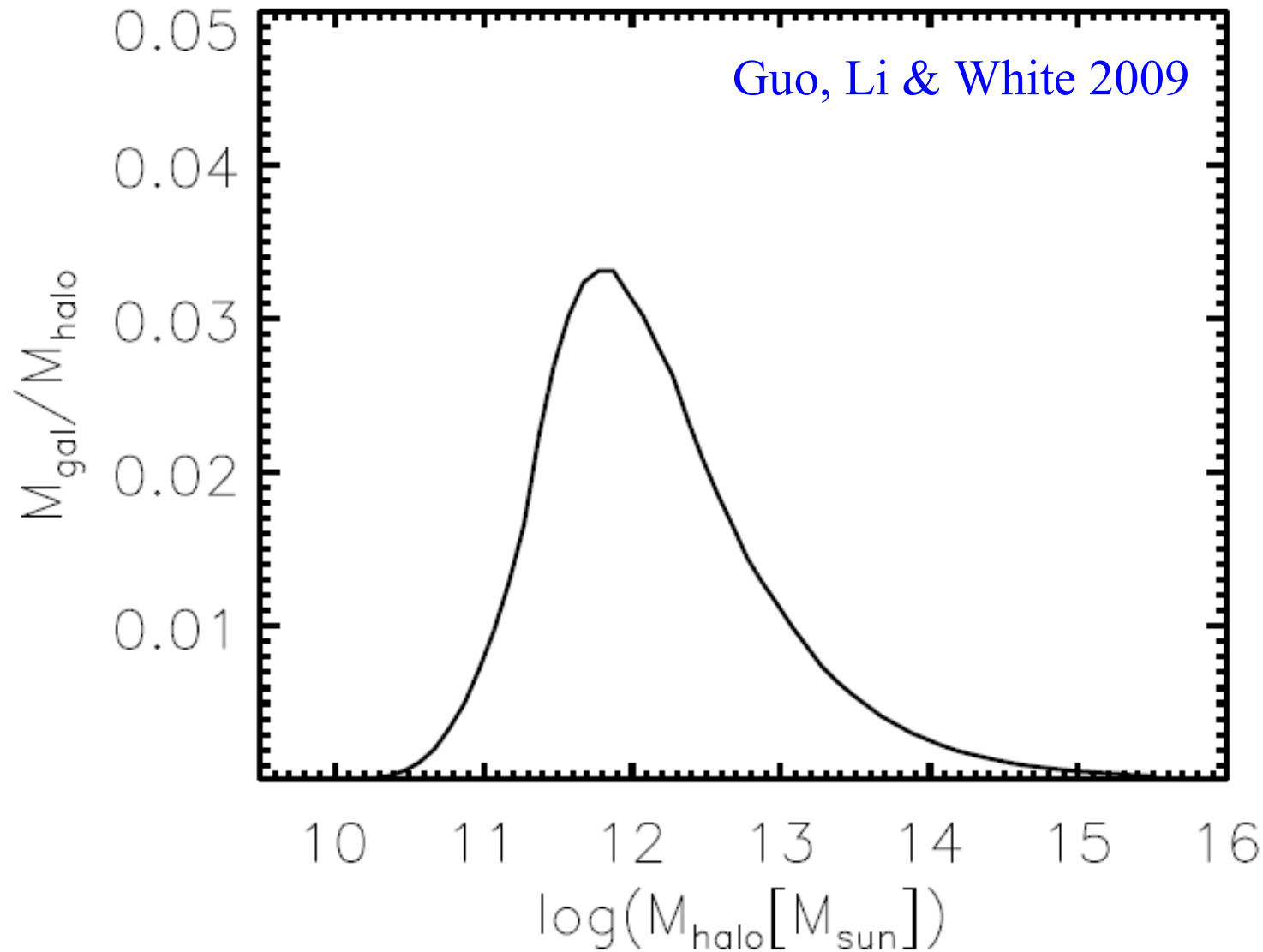
The simulations then give the halo/subhalo abundance, $n(> M_{h,max})$

Ansatz: Assume the stellar mass of a galaxy to be a monotonically increasing function of the maximum mass ever attained by its halo

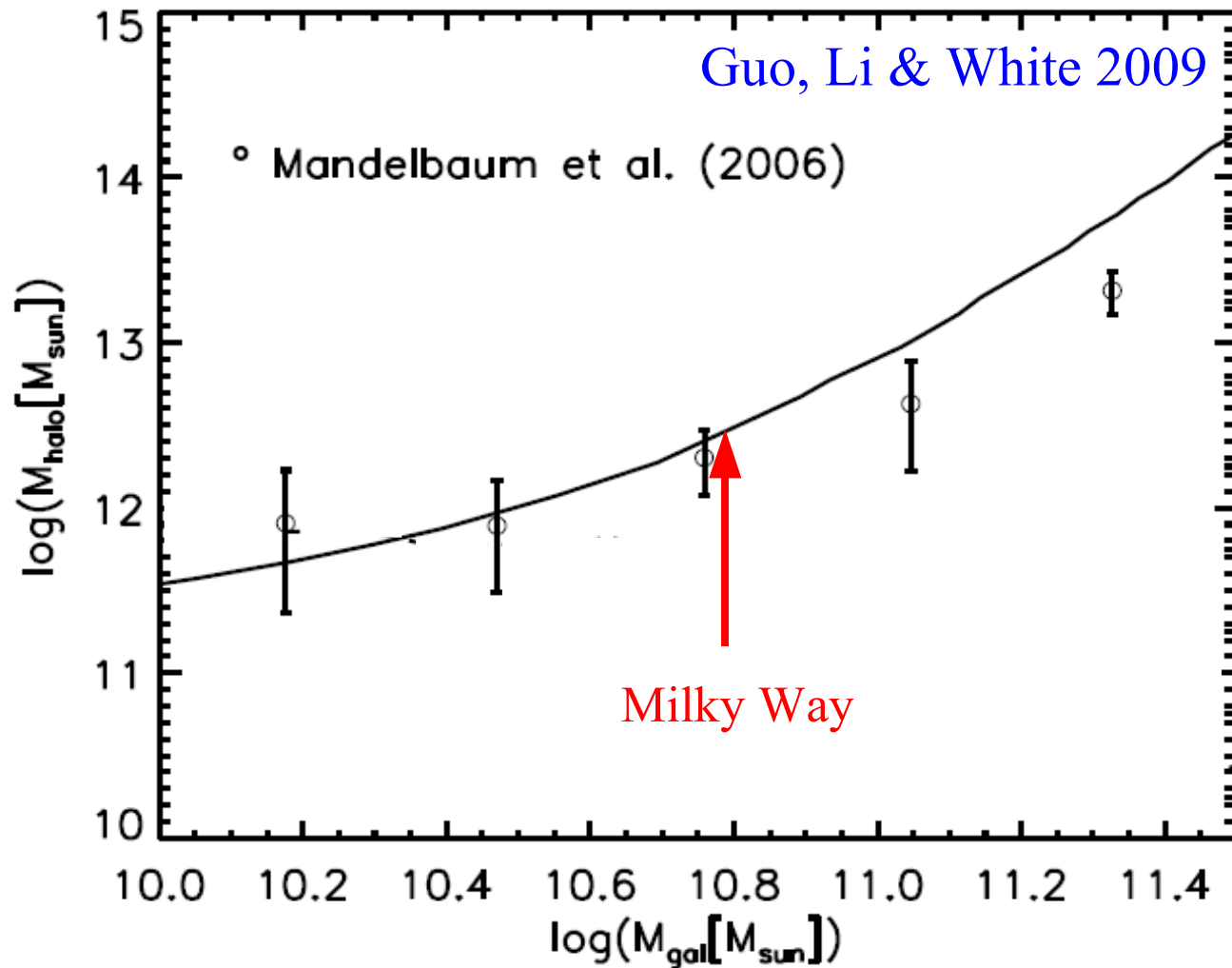
We can then derive $M_*(M_{h,max})$ by setting $n(> M_*) = n(> M_{h,max})$



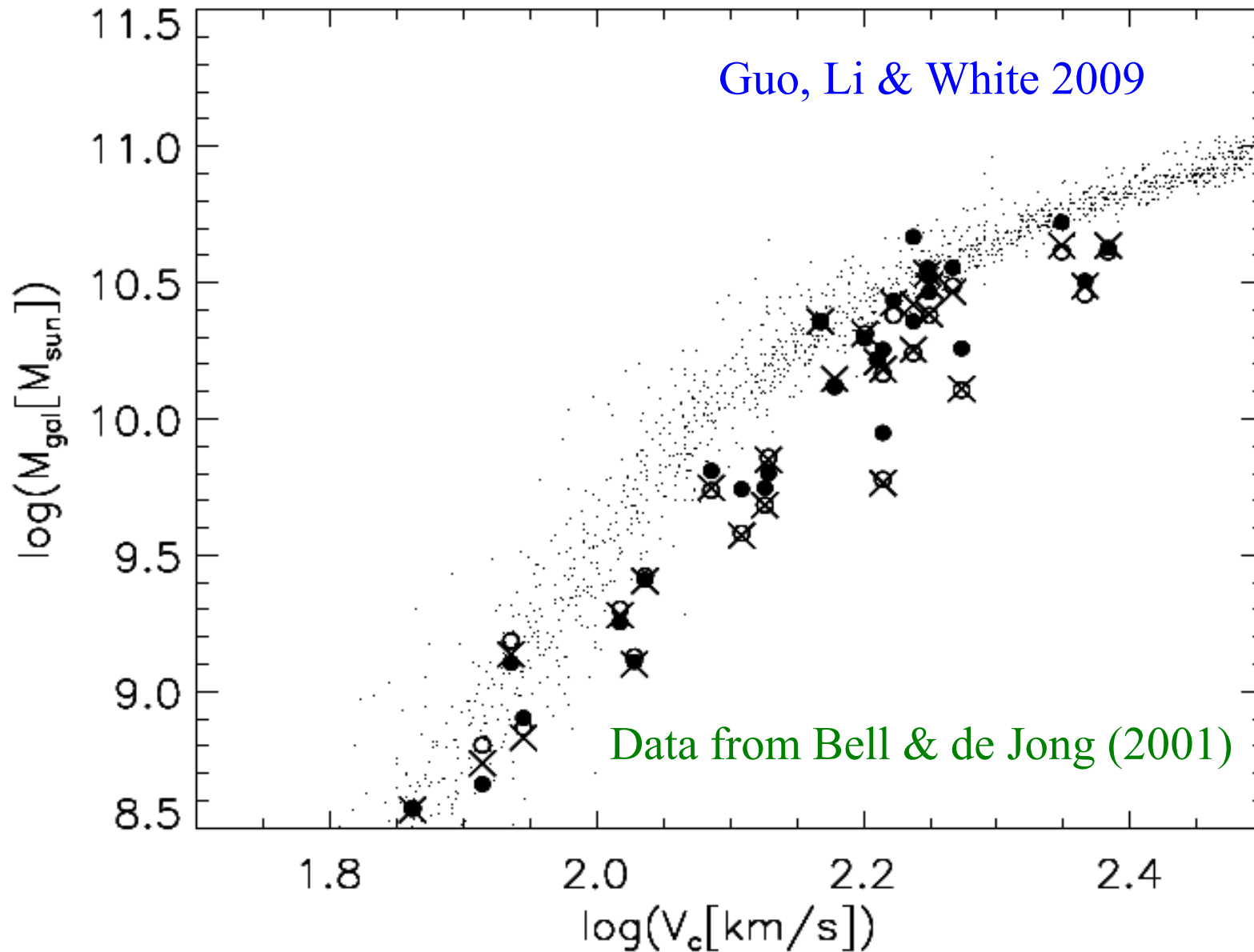
- The stellar mass of the central galaxy increases rapidly with halo mass at small halo mass, but slowly at large halo mass
- The characteristic halo mass at the bend is $5 \times 10^{11} M_{\odot}$



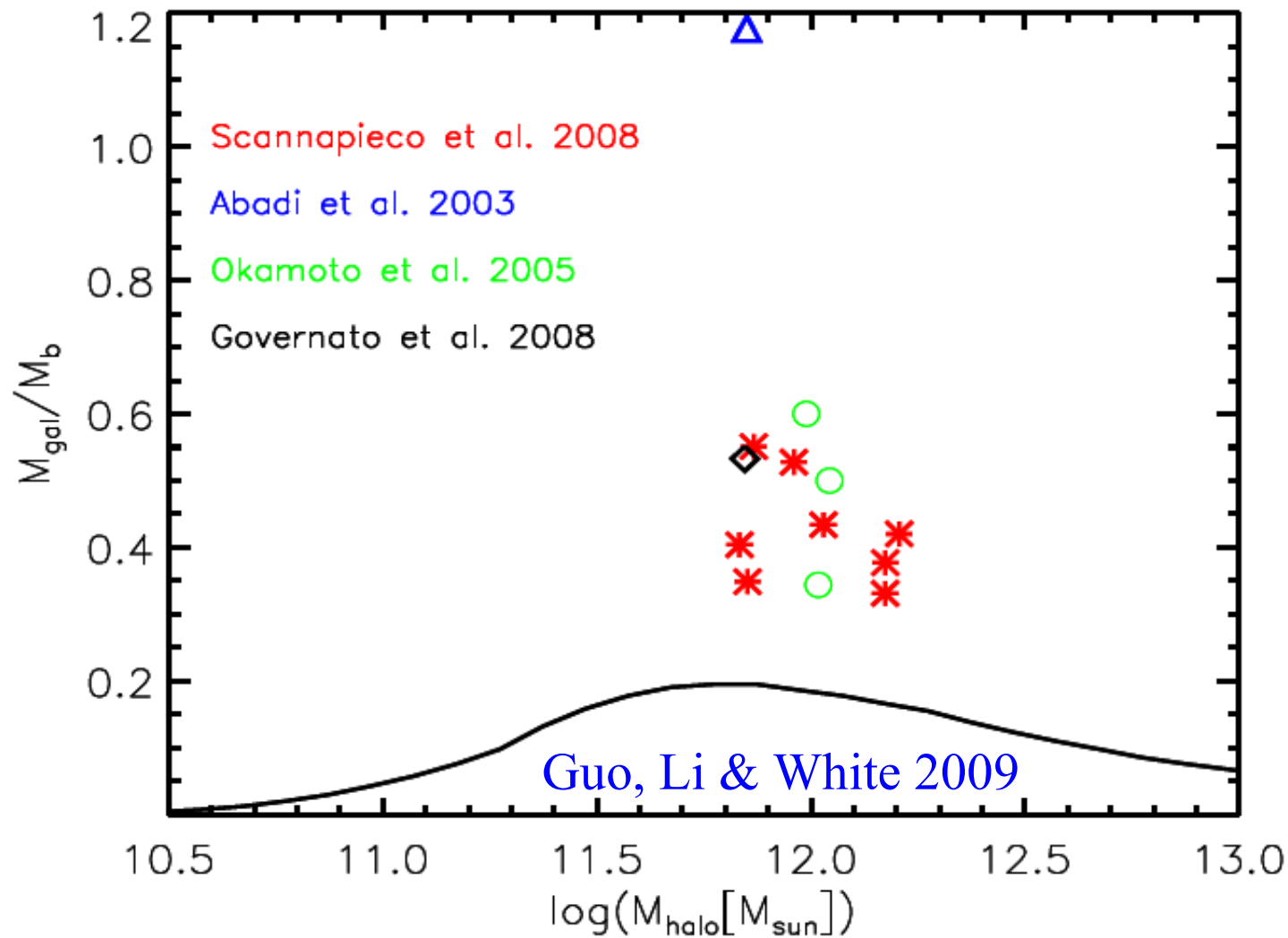
- The maximum halo mass fraction in central galaxy stars is 3.5%
- This is attained for halos similar in mass to the Milky Way's halo
- The fraction drops very rapidly to higher and lower masses



- The (maximum) halo masses inferred as a function of stellar mass agree well with those inferred from galaxy-galaxy lensing
- For $M_* = 6 \times 10^{10} M_{\odot}$ the Milky Way should have $M_h = 2 \times 10^{12} M_{\odot}$
- For $M_h = 1.0 \times 10^{12} M_{\odot}$ it should have $M_* = 3.5 \times 10^{10} M_{\odot}$

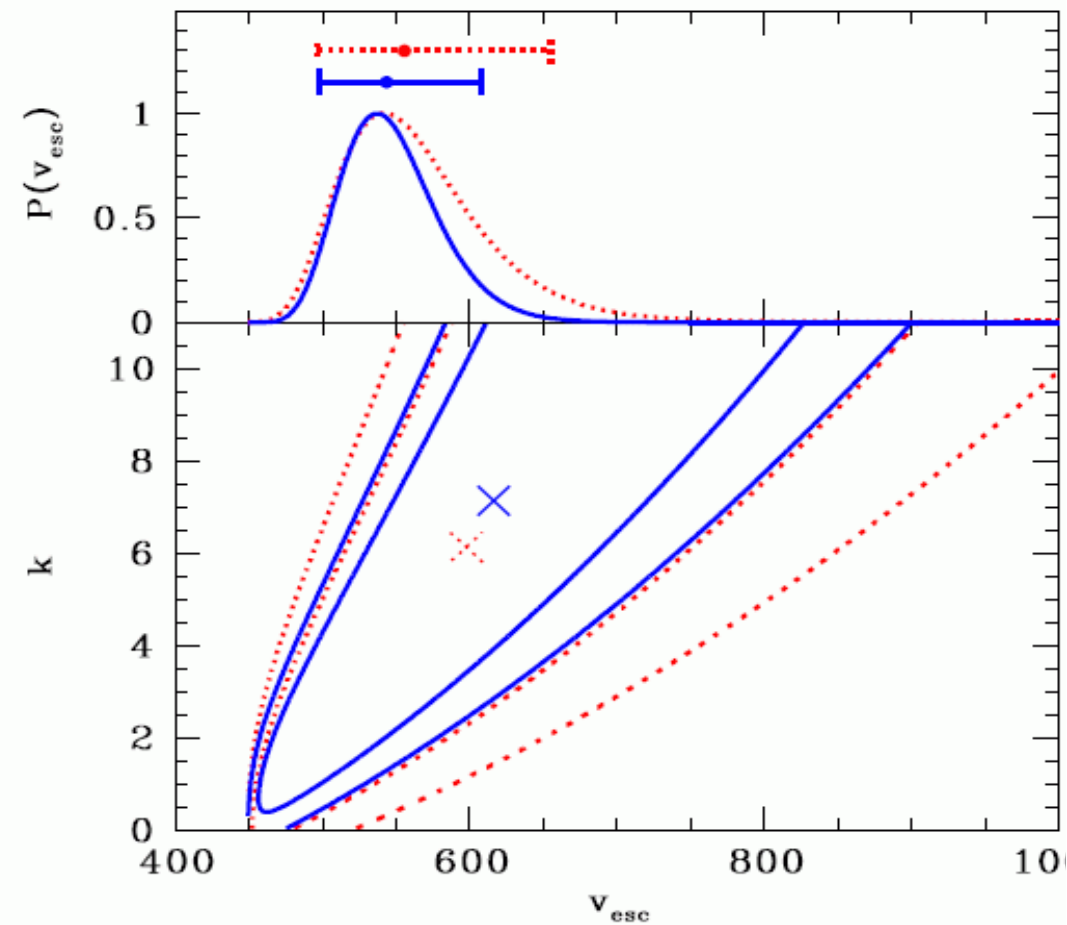
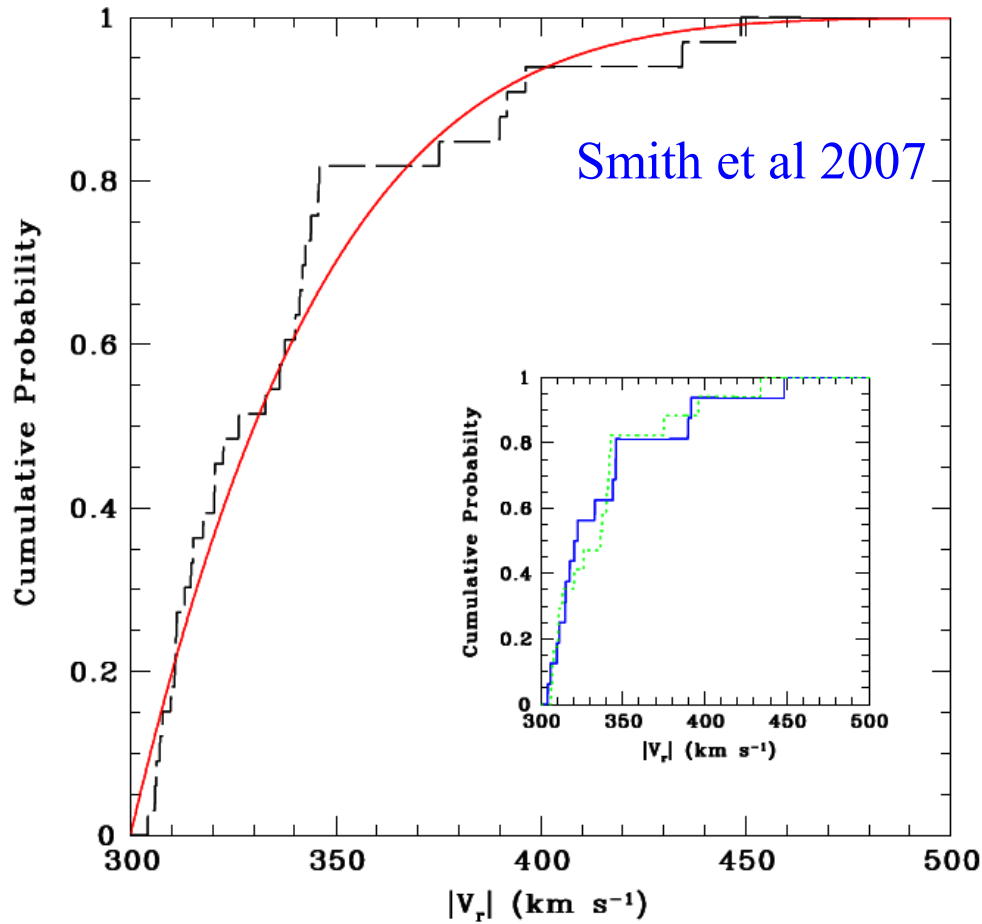


- The inferred relation between stellar mass and halo maximum circular velocity is consistent with the M_* “Tully-Fisher” relation



- Galaxy formation efficiency is: $\epsilon = M_* / (\Omega_b M_{h,\text{max}} / \Omega_m)$
- This *maximises* at about 20%
- It is much lower than in all current galaxy formation simulations
- In the Milky Way about $2 \times 10^{11} M_{\odot}$ of baryons are “missing”

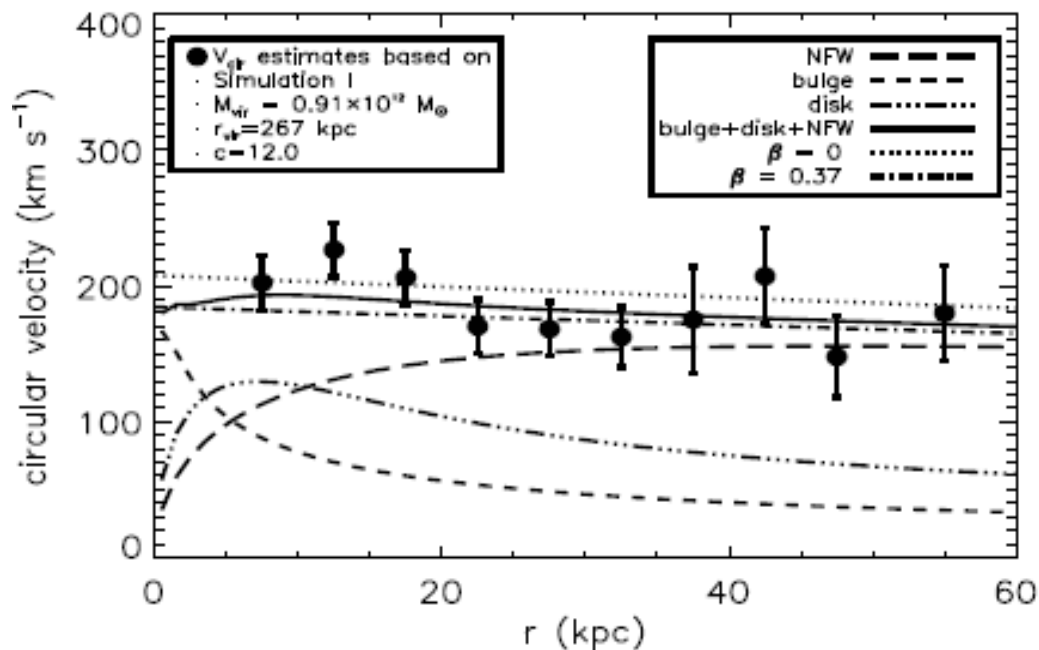
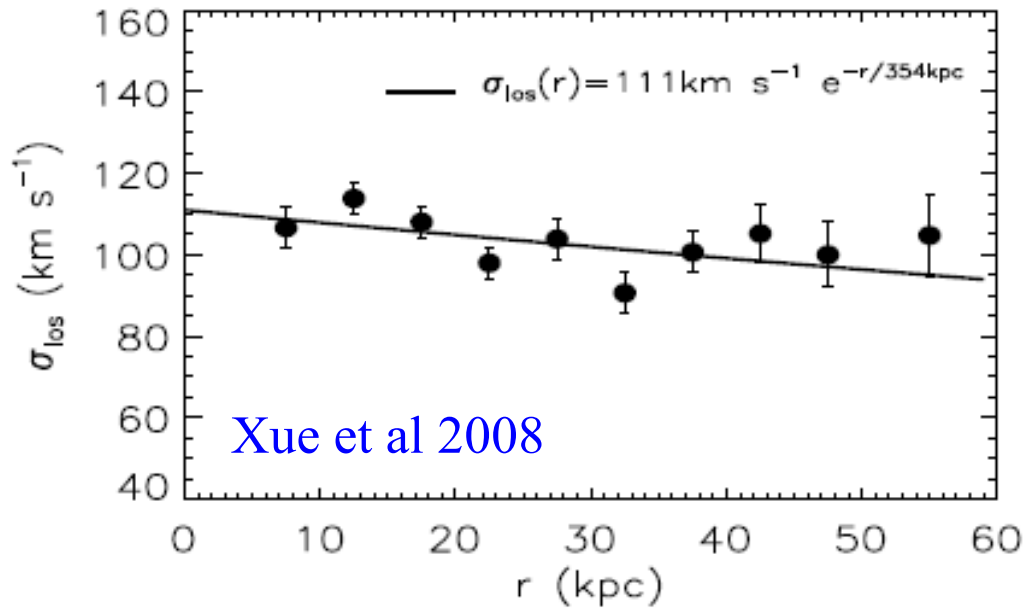
Milky Way mass from local escape velocity



- Estimate based on 16 RAVE+ 17 archival stars with $V > 300$ km/s
 $498 \text{ km/s} < V_{\text{ESC}} < 608 \text{ km/s}$
 $\rightarrow 9 \times 10^{11} M_{\odot} < M_{\text{NFW}} < 2.5 \times 10^{12} M_{\odot}$ (90% confidence)

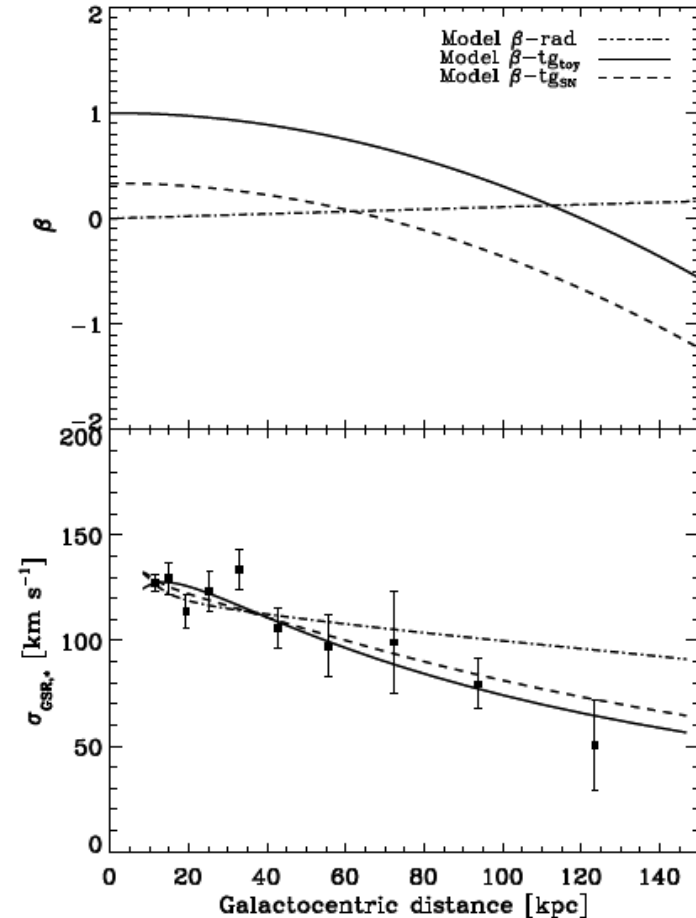
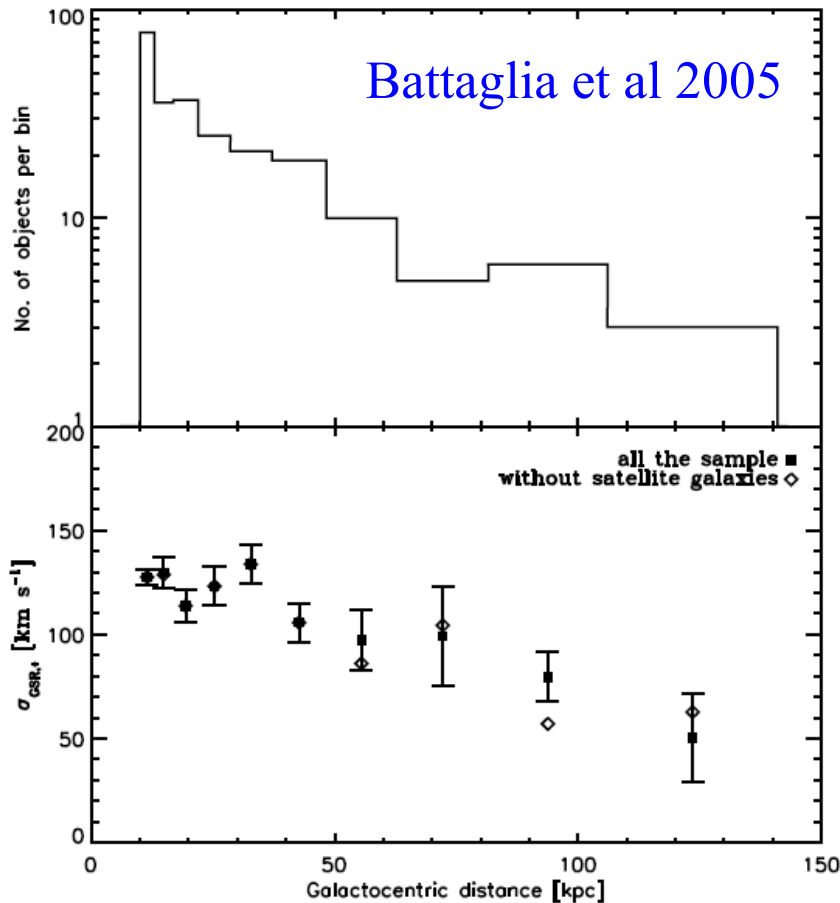
- Sensitive to assumptions about shape and cut-off of high-velocity tail

Milky Way mass from distant tracer velocities



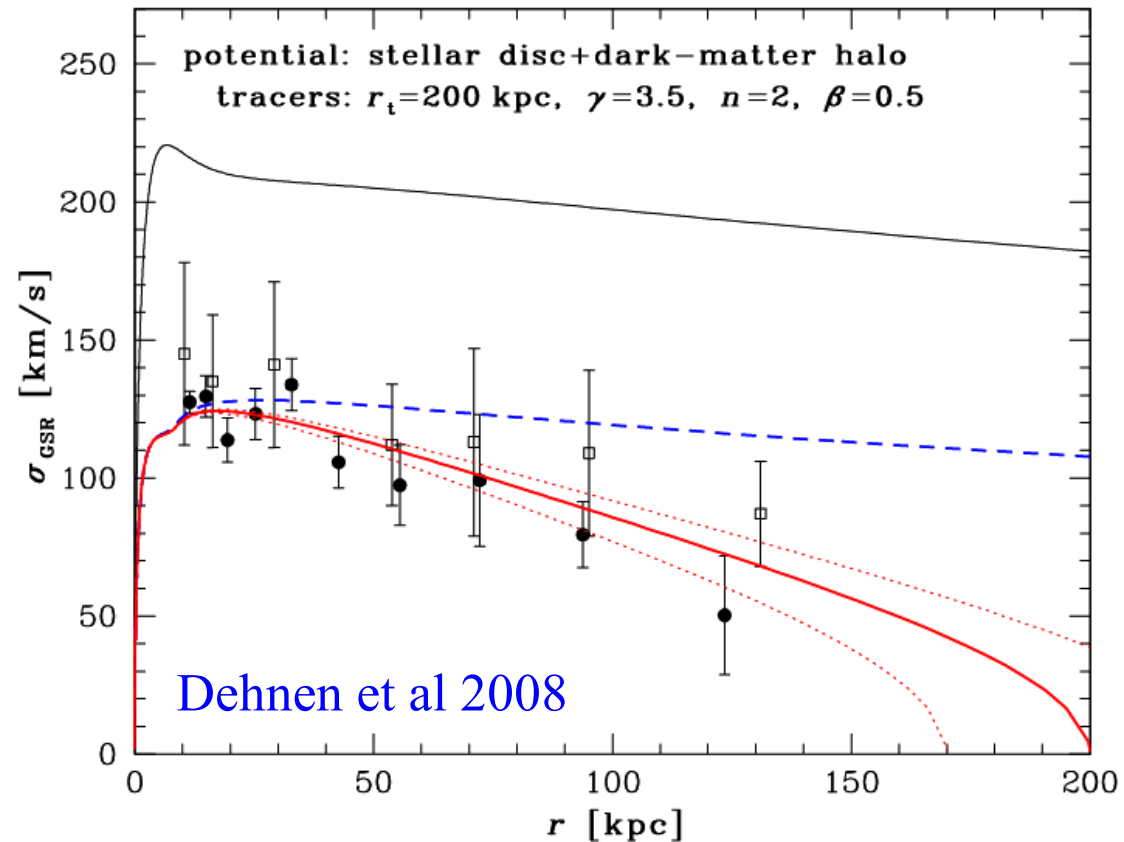
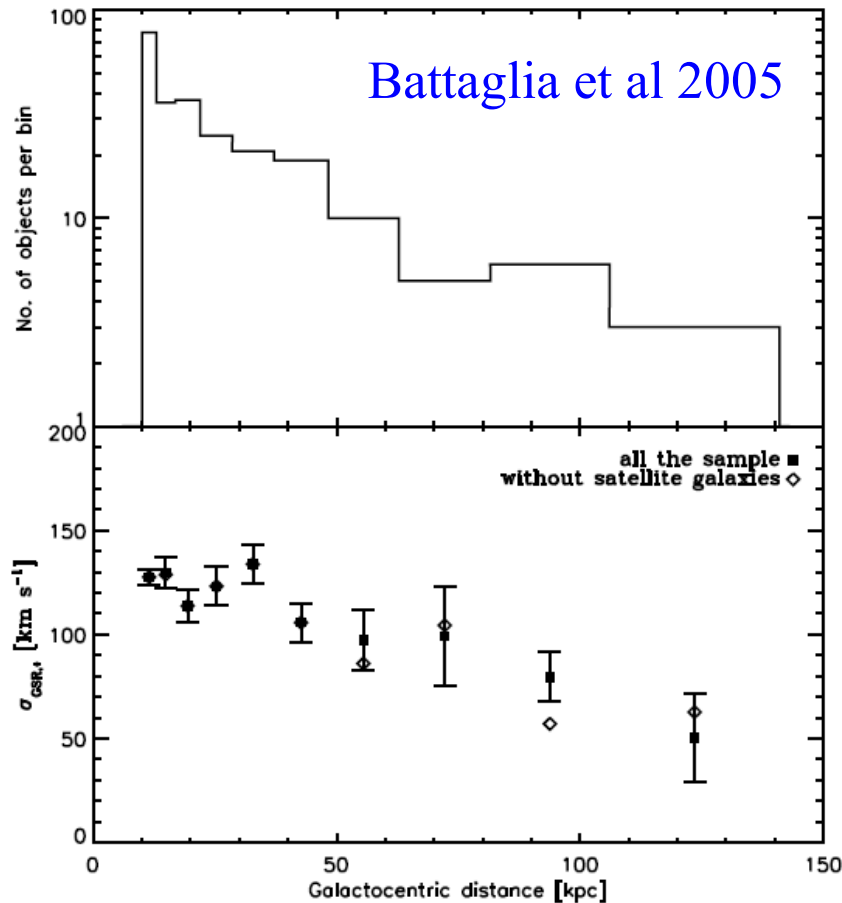
- Dispersions based on 2401 BHB stars from SDSS with $|z| > 4 \text{ kpc}$
- Fit to CDM simulations of galaxy formation, adjusted using Jeans equations for differences in halo tracer profile and in V_{circ}
- Good fits to NFW+disk for halo masses (at 68% confidence)
 $8 \times 10^{11} M_{\odot} < M_{\text{NFW}} < 1.6 \times 10^{12} M_{\odot}$

Milky Way mass from distant tracer velocities



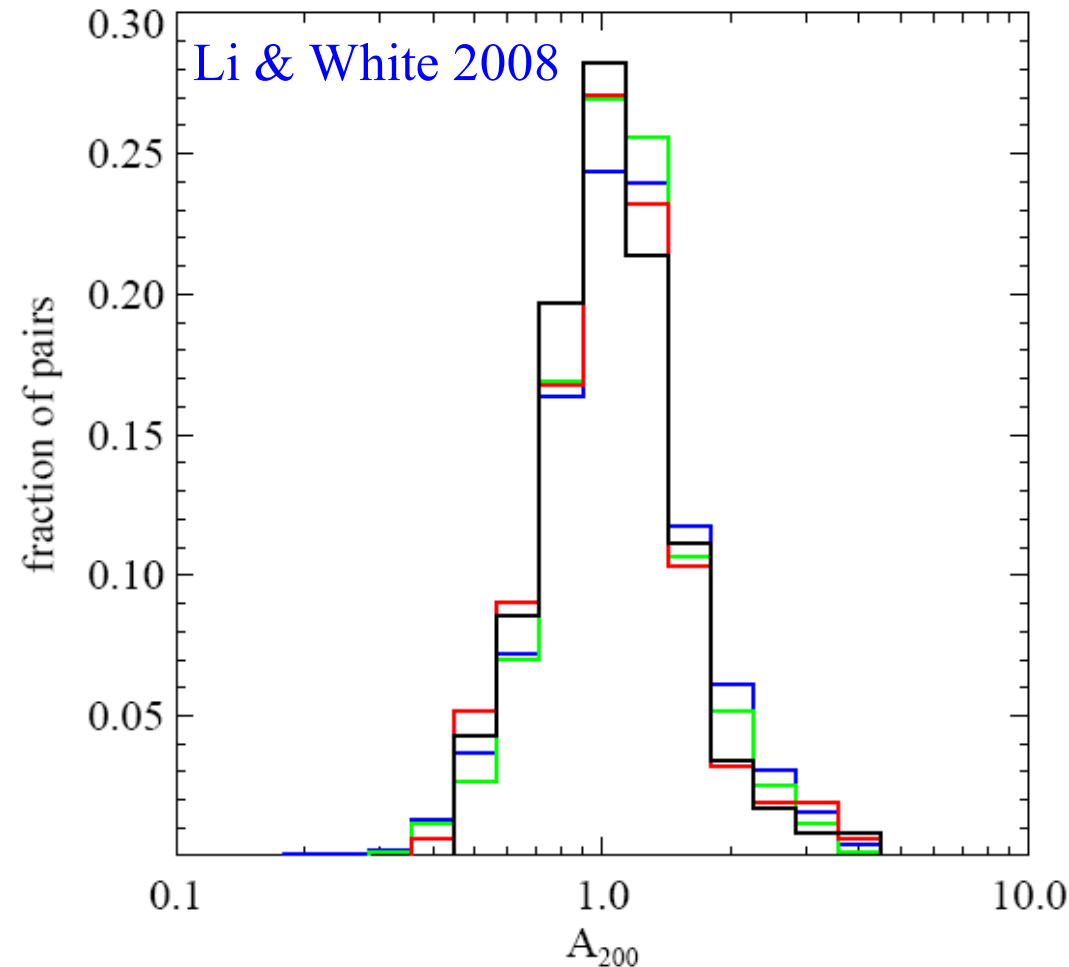
- Velocity dispersion from 240 halos stars + glob.clusters + satellites
- Jeans equations assuming $\rho \propto r^{-3.5}$
- Tangentially biased velocities at large r needed to match fall in σ
 $6 \times 10^{11} M_{\odot} < M_{\text{NFW}} < 2.0 \times 10^{12} M_{\odot}$ (at 68% confidence)

Milky Way mass from distant tracer velocities



- Velocity dispersion from 240 halo stars + glob.clusters + satellites
- Jeans equations assuming a cut-off in tracer density at $r \sim 200$ kpc
- Radially anisotropic models now fit and there is *no* strong constraint on M_{NFW} from the data

Timing Argument masses in the Local Group



The Kahn & Woltjer timing argument estimates the mass of the Local Group from the age of the Universe and the separation and relative radial velocity of the MW and M31

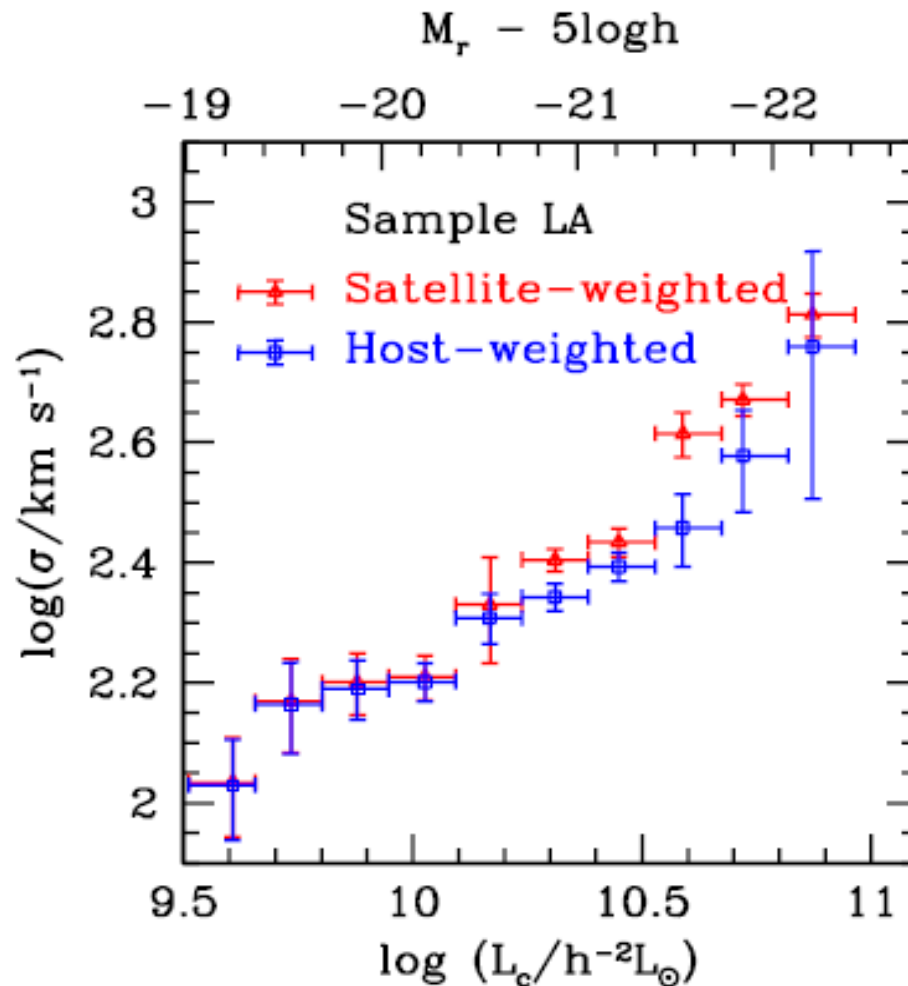
Calibrating using the Millennium Simulation gives (at 90% conf.)
 $1.9 \times 10^{12} M_{\odot} < M_{LG} < 1.0 \times 10^{13} M_{\odot}$

A similar argument using Leo I gives $M_{MW} \sim 2.4 \times 10^{12} M_{\odot}$ with
 $M_{MW} > 8 \times 10^{11} M_{\odot}$ at 95% conf.

$M_{\text{Timing Argument}} / (M_{200}(\text{MW}) + M_{200}(\text{M31}))$
 for $\sim 10^3$ Local Group analogues in
 the Millennium Simulation

Galaxy halo masses from (stacked) satellite dynamics

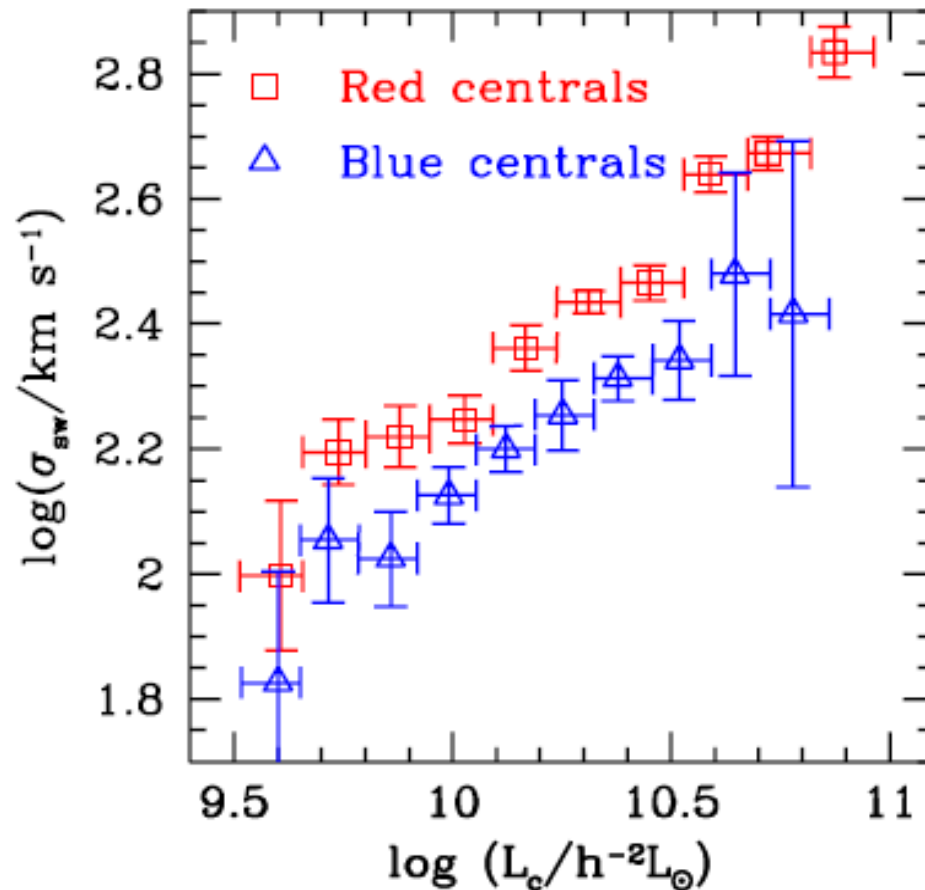
Surhud More, PhD thesis



Complete SDSS set of 6101 *central* galaxies. 3863 have ≥ 1 satellite
Velocity dispersions estimated within 0.375 x nominal “virial” radius
Clear trend of increasing dispersion with increasing central luminosity

Galaxy halo masses from (stacked) satellite dynamics

Surhud More, PhD thesis

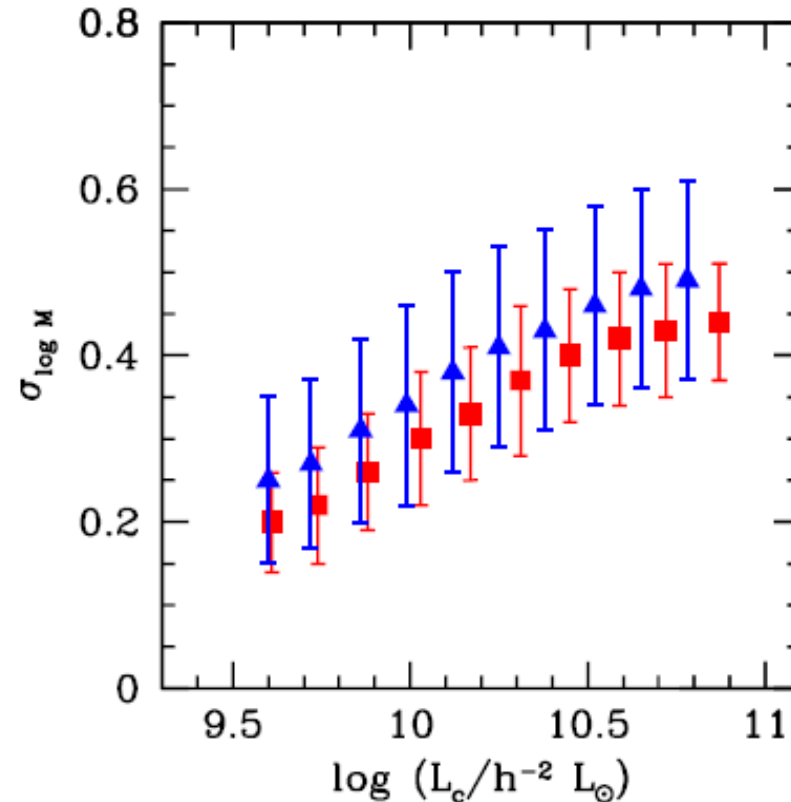
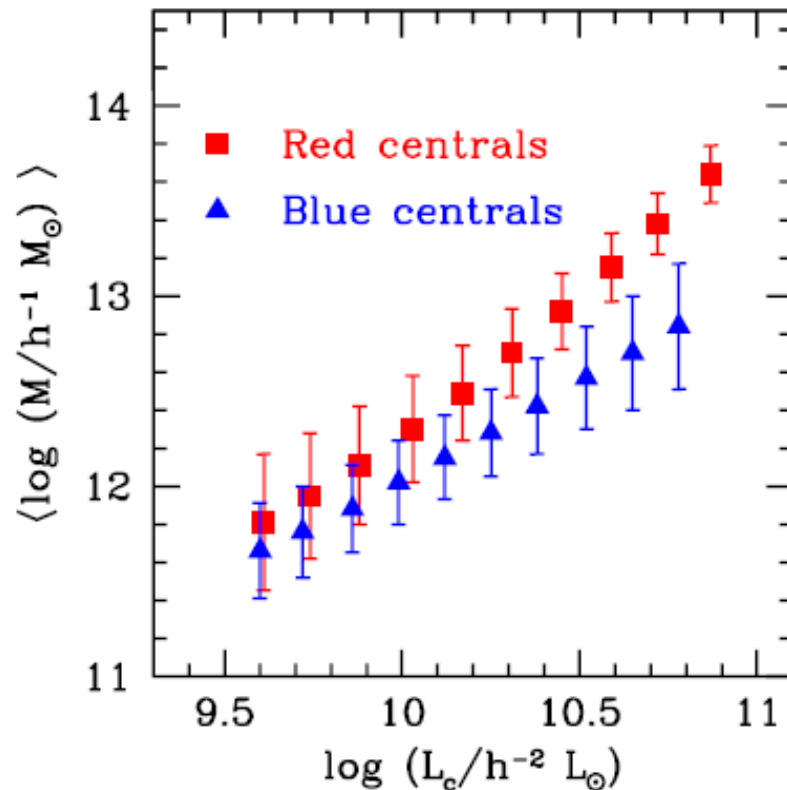


Complete SDSS set of 6101 *central* galaxies. 3863 have ≥ 1 satellite, of which 2503 are **red** and 1221 are **blue**

Velocity dispersions are higher for red centrals than for blue at given L

Galaxy halo masses from (stacked) satellite dynamics

Surhud More. PhD thesis

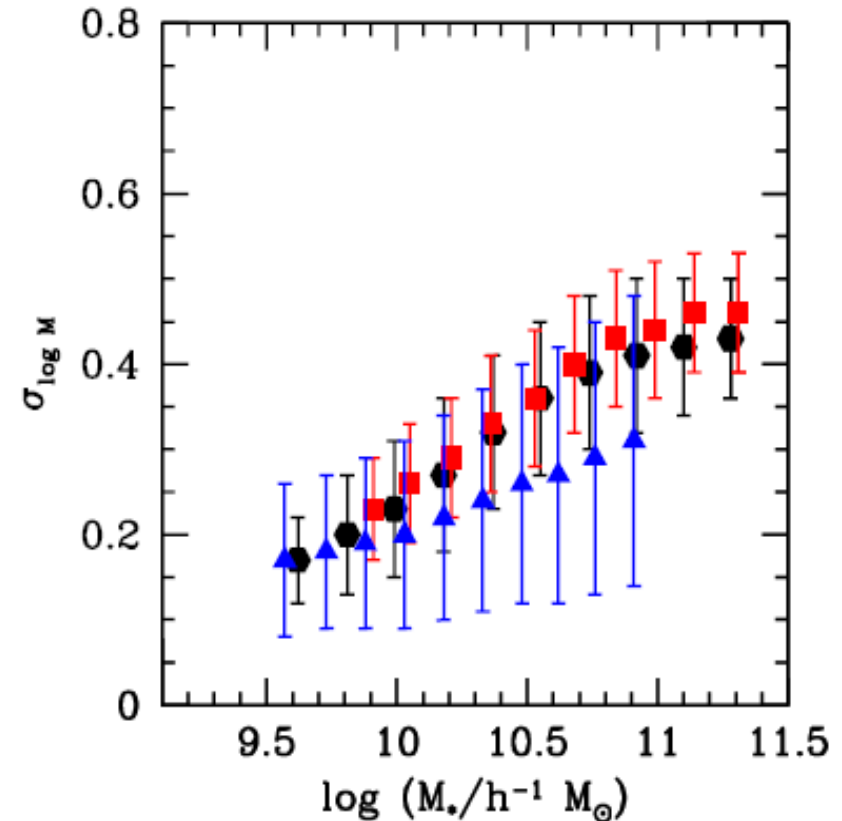
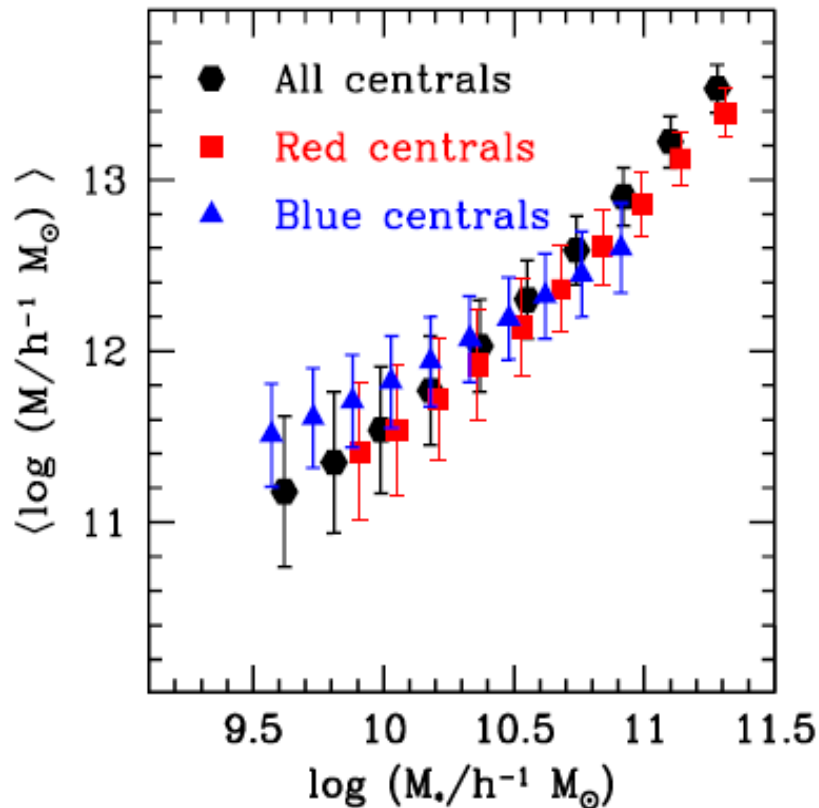


- Assume:
- (i) NFW halos with standard concentration mass relation
 - (ii) satellite radial distribution less concentrated than mass (fit to obs.)
 - (iii) scatter in satellite number at given mass (from HOD fit to obs.)
 - (iv) isotropic distribution of satellite velocities

Larger L galaxies have halos with larger mean virial mass and more scatter

Galaxy halo masses from (stacked) satellite dynamics

Surhud More. PhD thesis

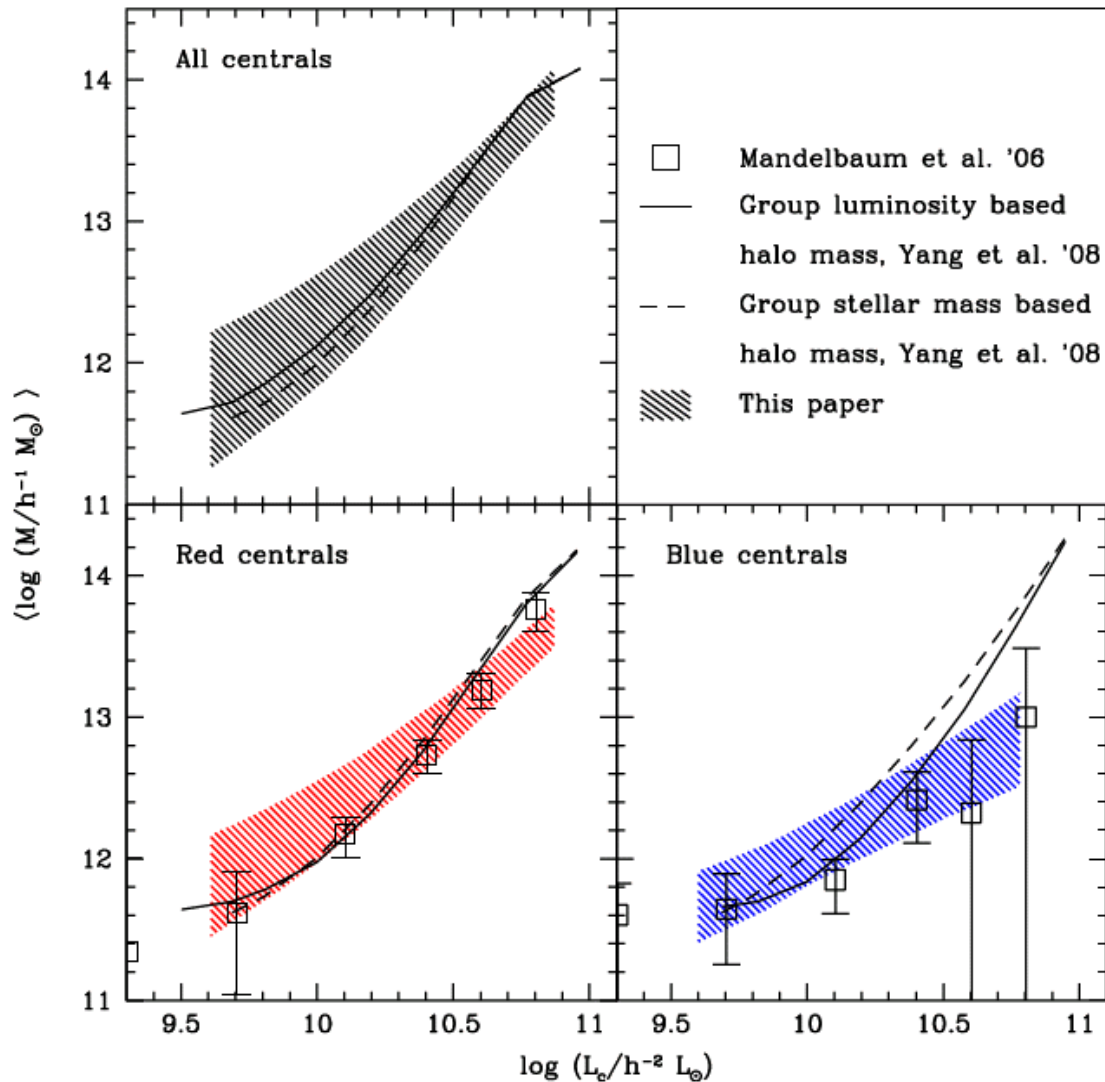


- Assume:
- (i) NFW halos with standard concentration mass relation
 - (ii) satellite radial distribution less concentrated than mass (fit to obs.)
 - (iii) scatter in satellite number at given mass (from HOD fit to obs.)
 - (iv) isotropic distribution of satellite velocities

At given M_* blue and red central galaxies have *similar* mass halos

Galaxy halo masses from (stacked) satellite dynamics

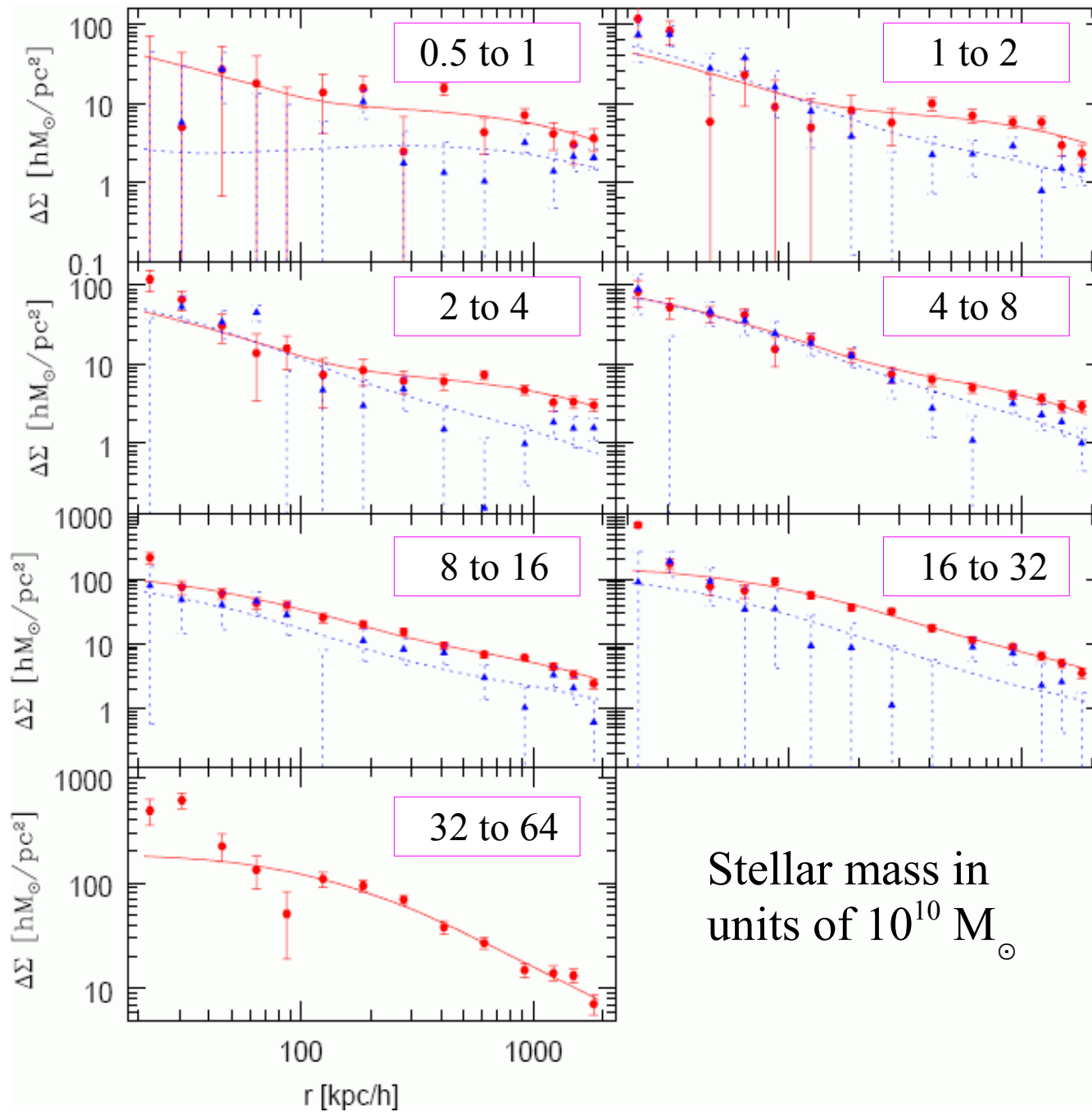
Surhud More, PhD thesis



Satellite dynamics estimates of halo masses agree well

- (i) with those from counting arguments
- (ii) with lensing estimates

Galaxy halo masses from (stacked) weak lensing

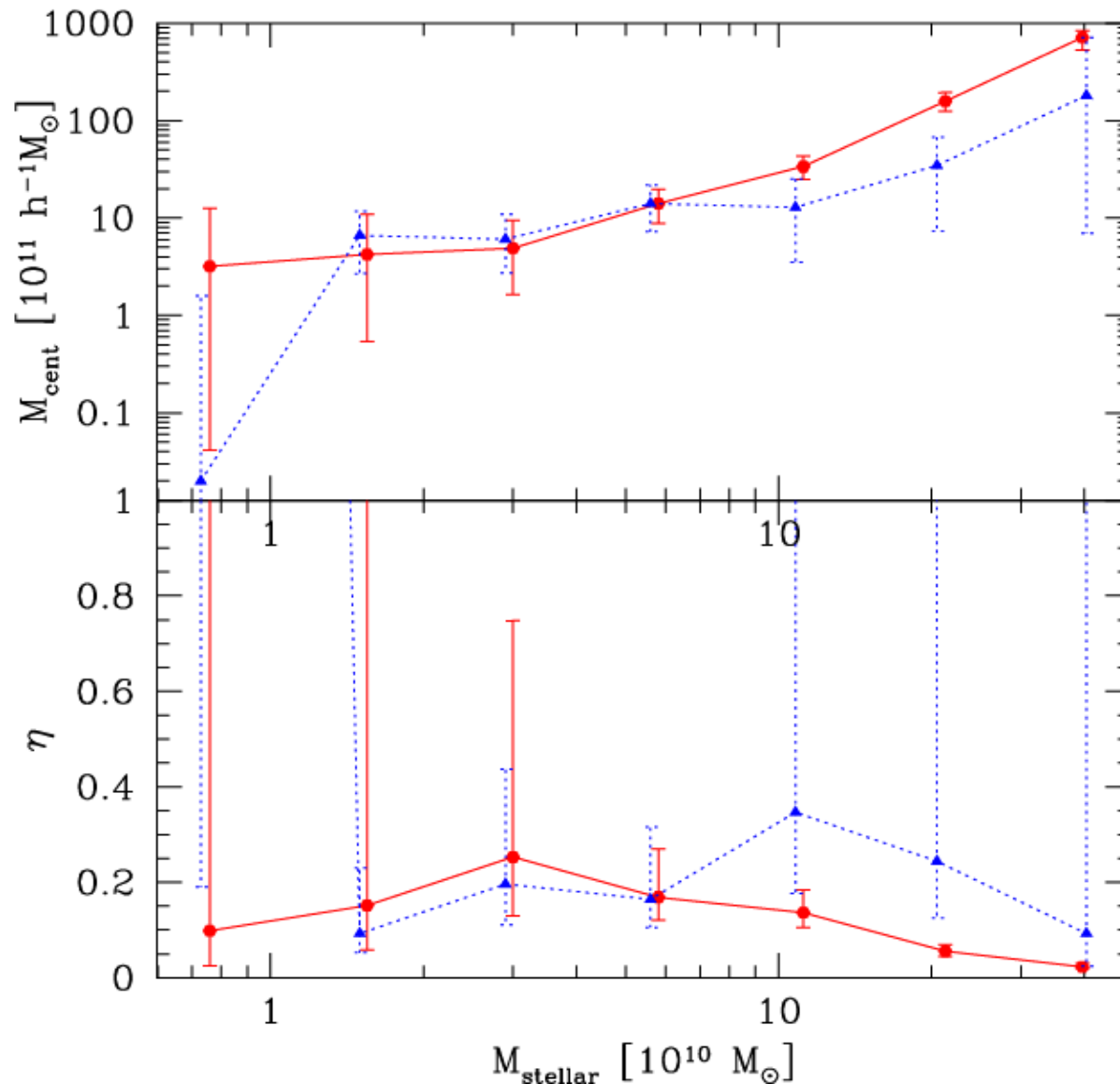


Mandelbaum et al 2006

- Halos detected for all stellar mass ranges
- Larger stellar mass
—▶ larger halo mass
- Red galaxies have more massive halos
- Substantial contribution from satellite galaxies

Galaxy halo masses from (stacked) weak lensing

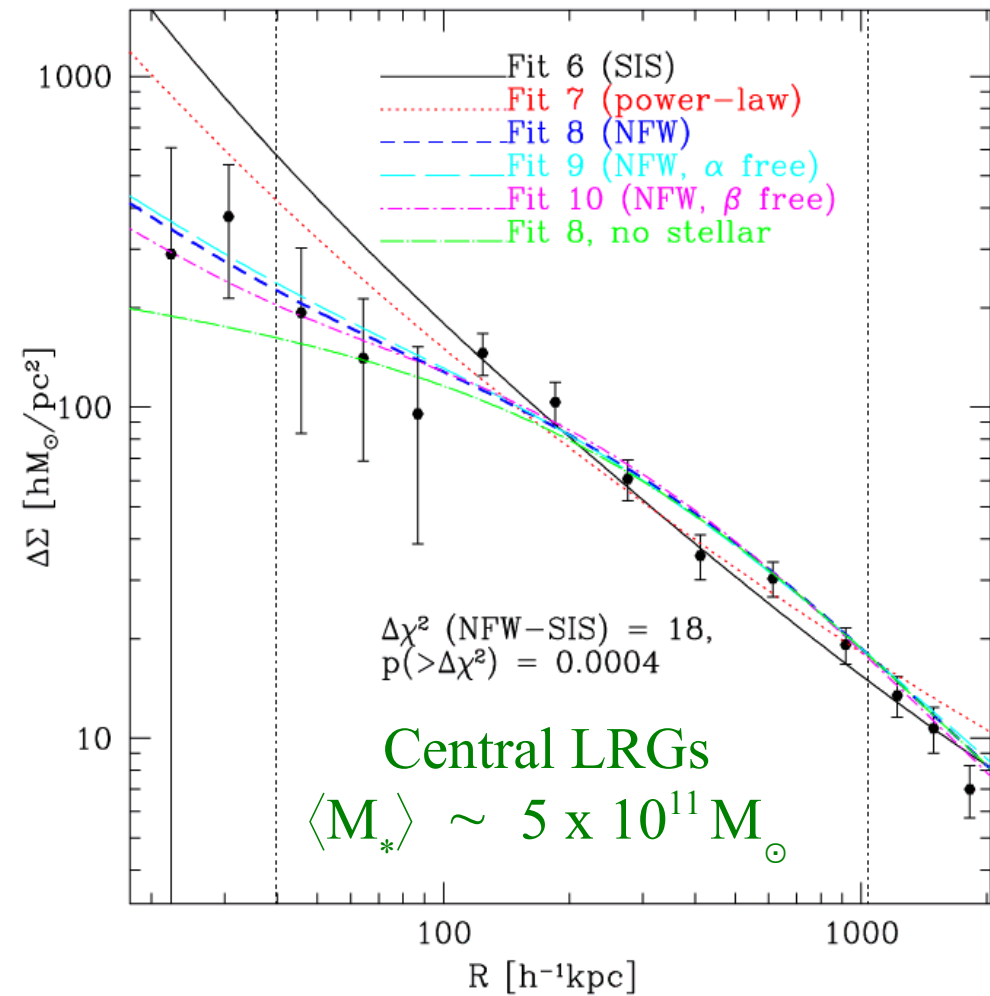
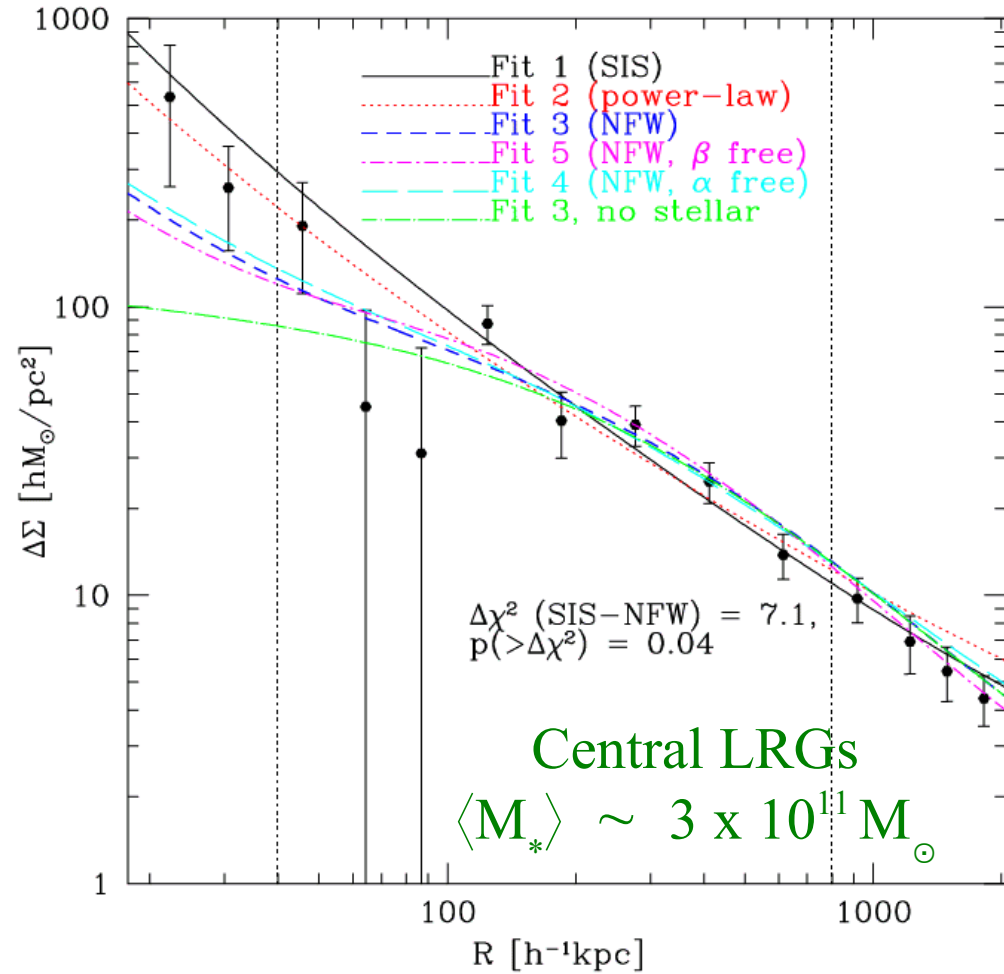
Mandelbaum et al 2006



- Halo masses for *central* galaxies and satellite fractions (from HODs)
- Satellite fractions small, esp. for red galaxies
- At low stellar mass, red and blue centrals have halos of similar mass
- At high stellar mass, red centrals have more massive halos

Galaxy halo masses from (stacked) weak lensing

Mandelbaum et al 2006

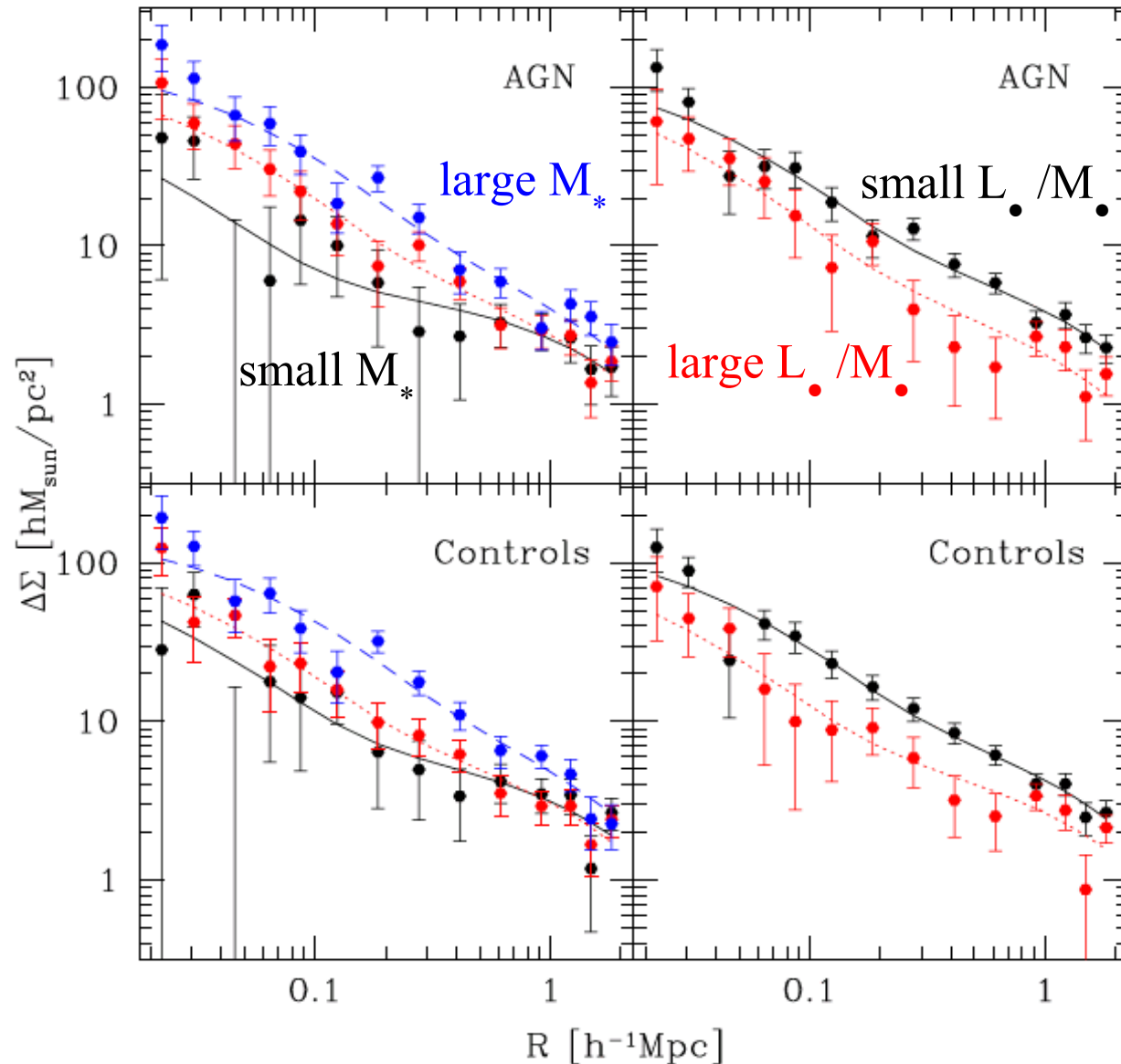


For massive centrals both the NFW profile and the stellar mass are seen

Galaxy halo masses from (stacked) weak lensing

Mandelbaum et al 2009

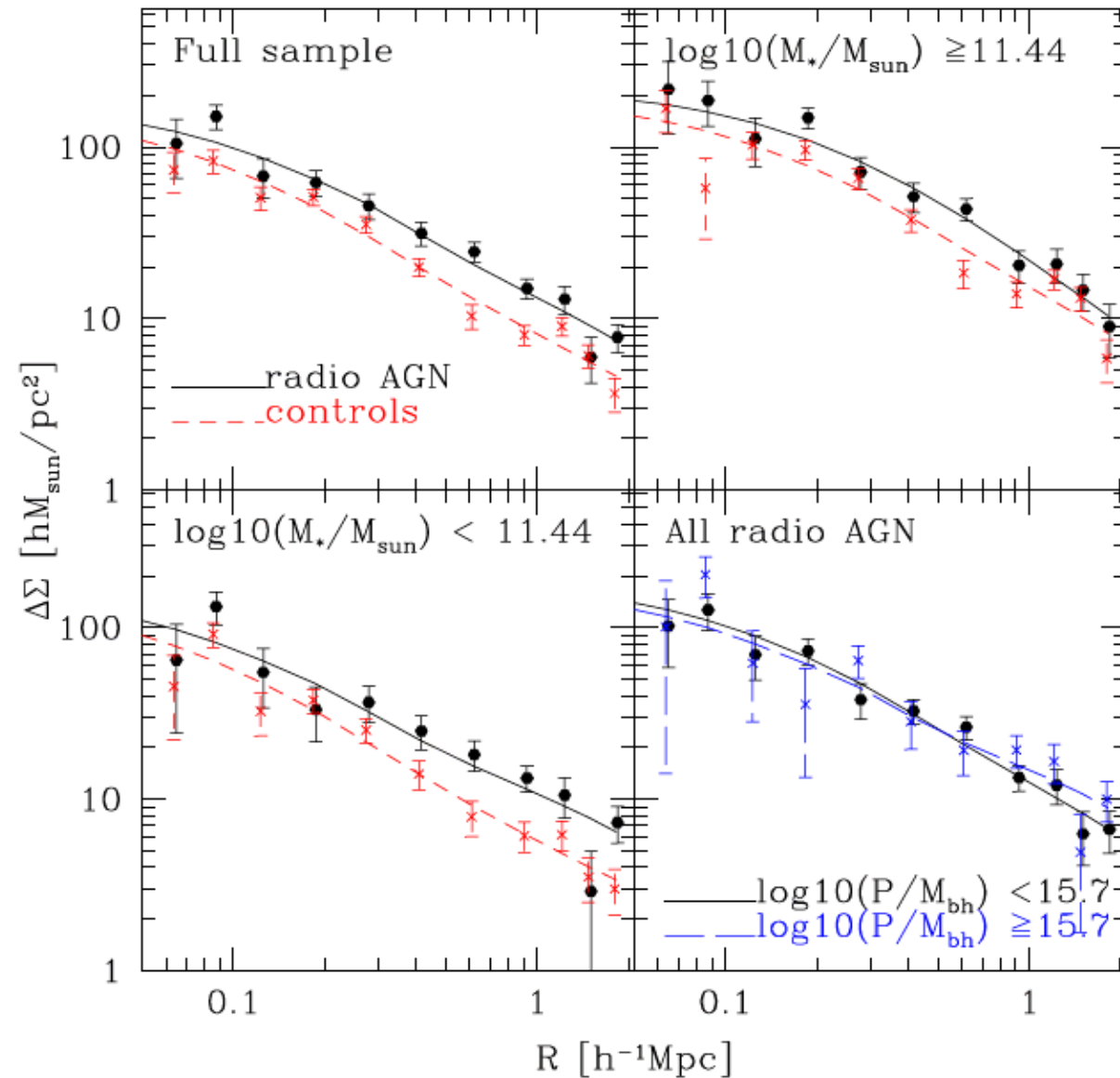
Lensing signal for optical AGN and controls



Optically luminous AGN have similar mass halos to inactive galaxies of similar stellar mass and population

Galaxy halo masses from (stacked) weak lensing

Mandelbaum et al 2009



Radio luminous AGN
have *more* massive halos than
inactive galaxies of similar
stellar mass and population

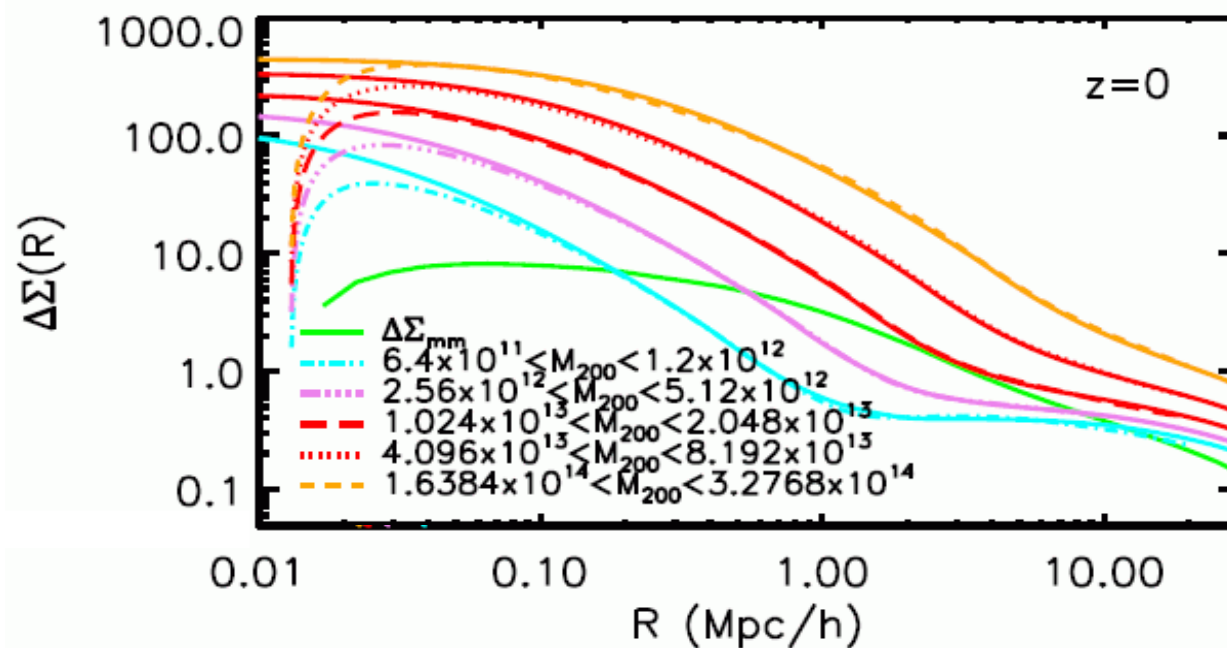
Halo mass increases with
stellar mass but *not* with
radio power for radio galaxies

Galaxy halo masses from X-ray imaging+spectroscopy

- For central ellipticals of groups and clusters there is now good agreement with lensing analyses in most cases
 - halo shapes?
- For central spirals there is still no confirmed detection of an extended hot halo
 - where are the missing baryons? (75% of the total!)

The next steps?

- Find the missing baryons
- Detect halo shapes by aligning central galaxies
- Detect the 1-halo/2-halo transition



Hayashi & White
2008