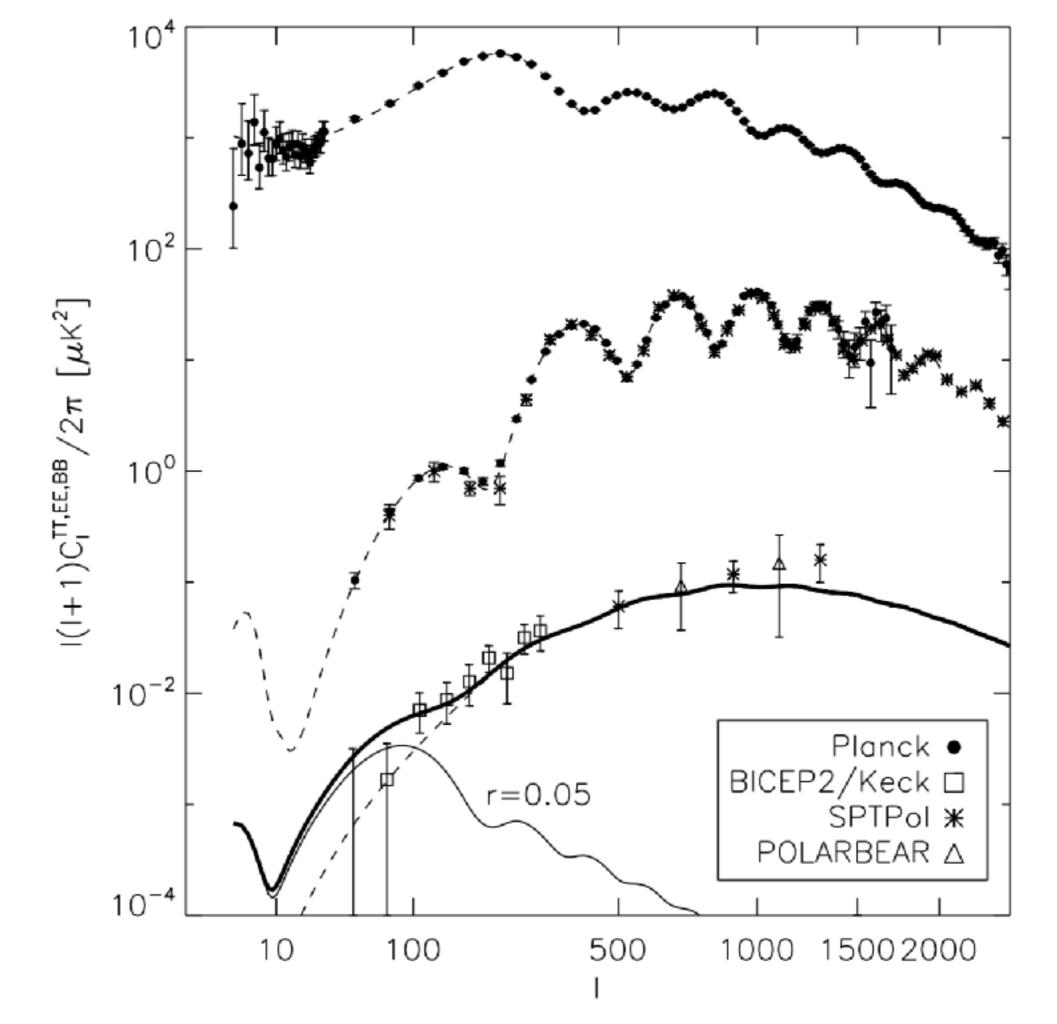
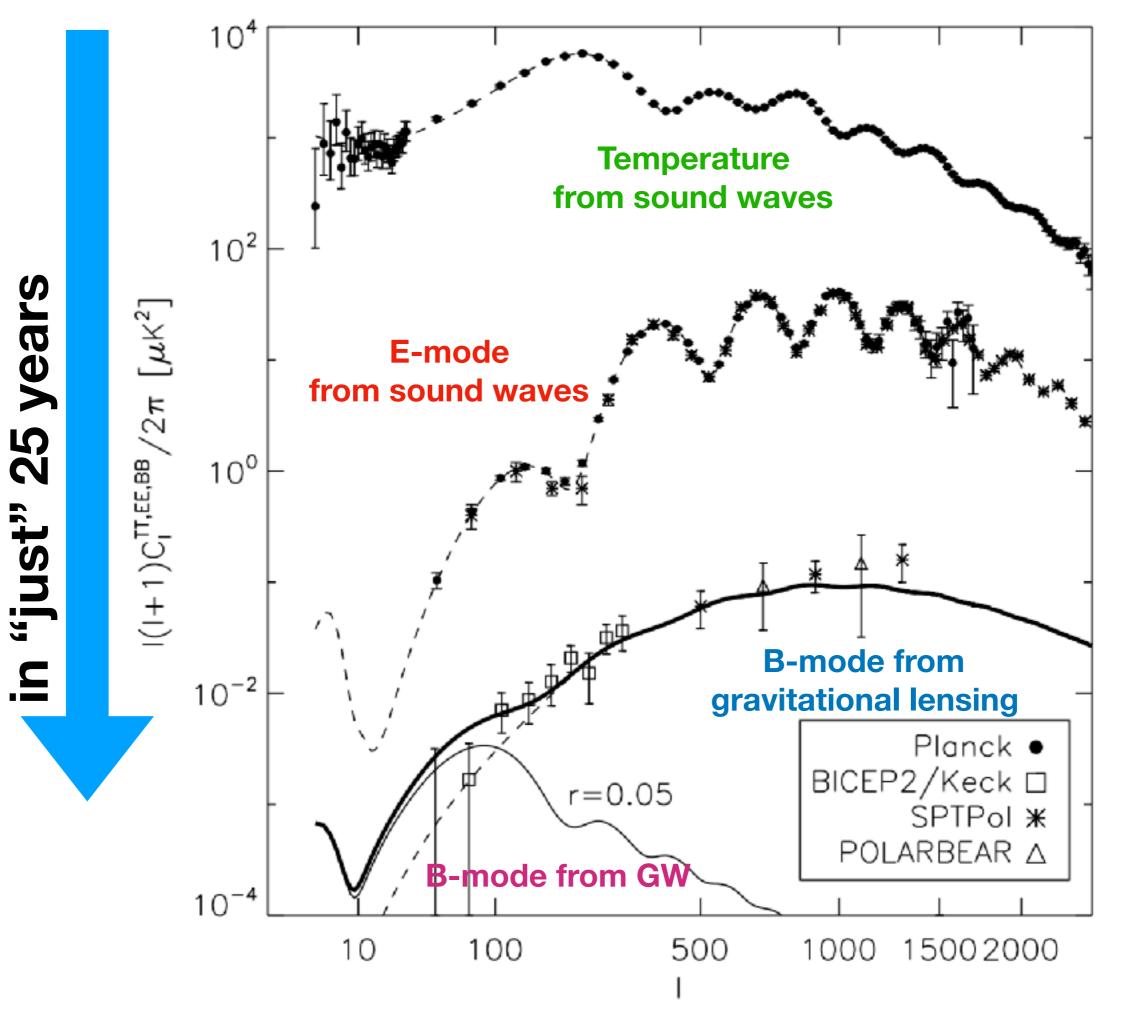
Critical Tests of Theory of the Early Universe using the Cosmic Microwave Background

Eiichiro Komatsu [Max-Planck-Institut für Astrophysik]

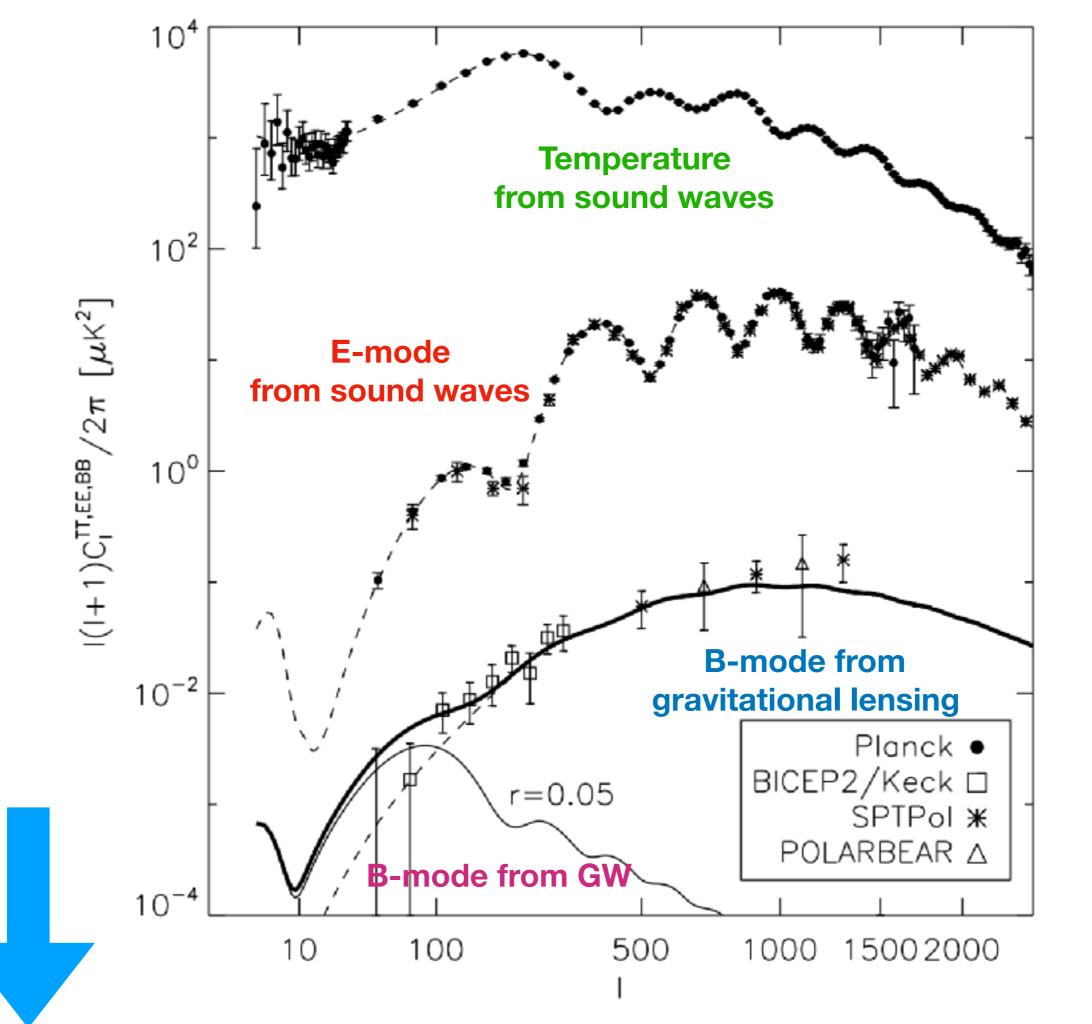
Simons Summer Workshop "Forefronts in Cosmology and Numerical General Relativity" Schloss Leopoldskron, July 6, 2018



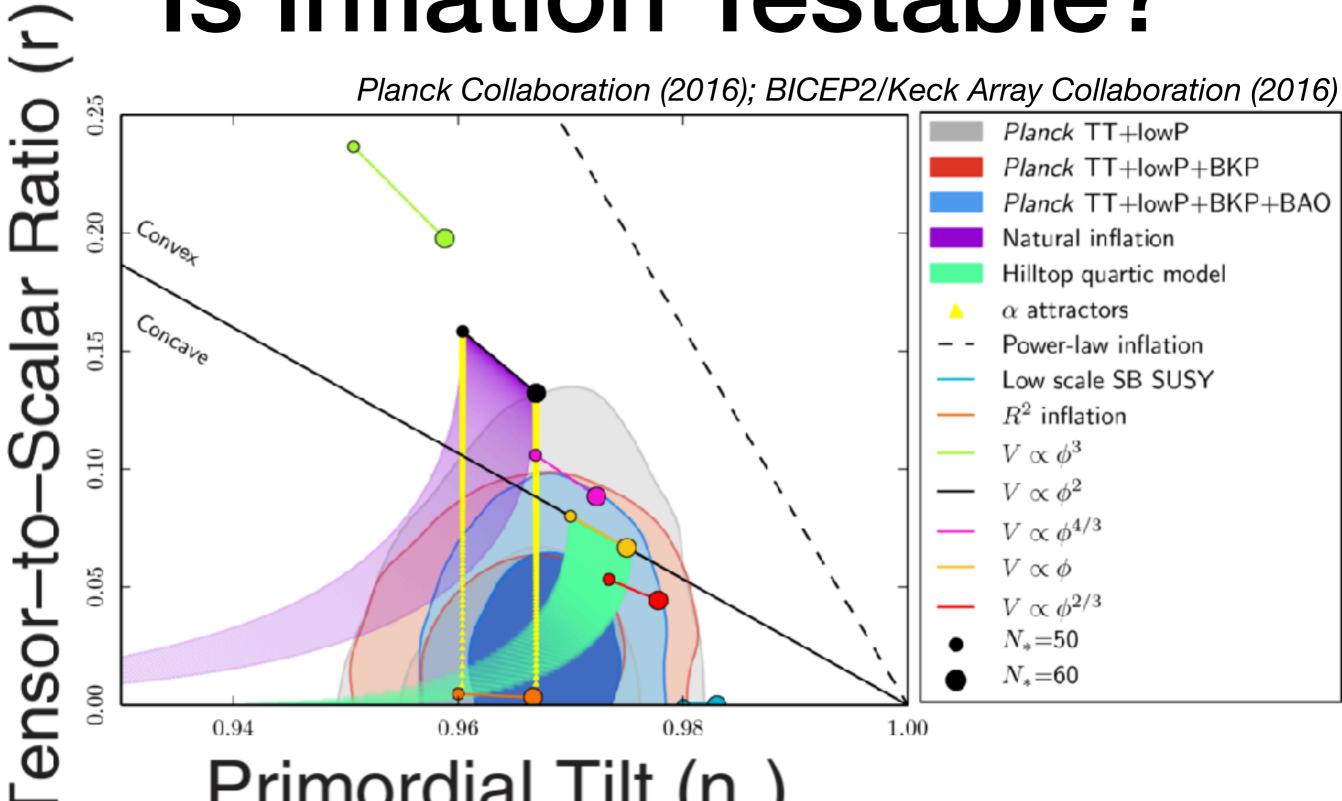
2



Another two orders of magnitude in the next 10-15 years

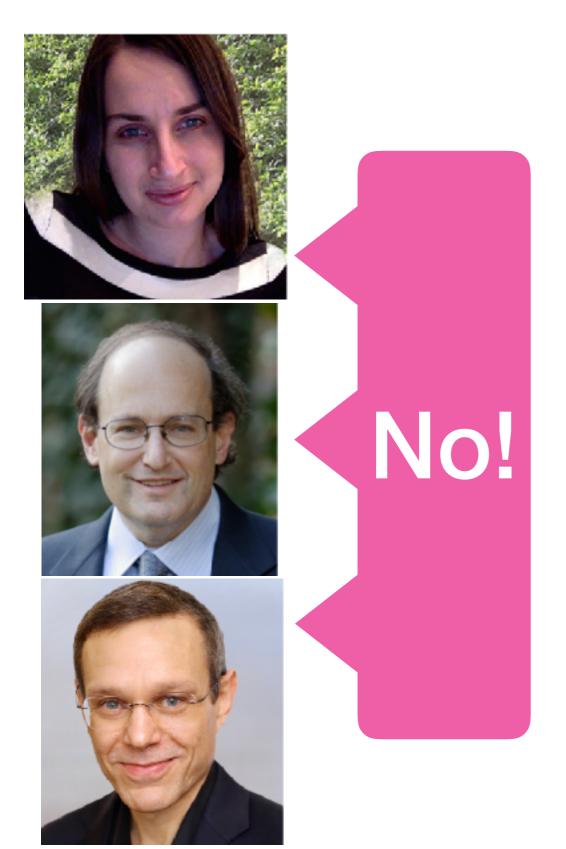


Is Inflation Testable?

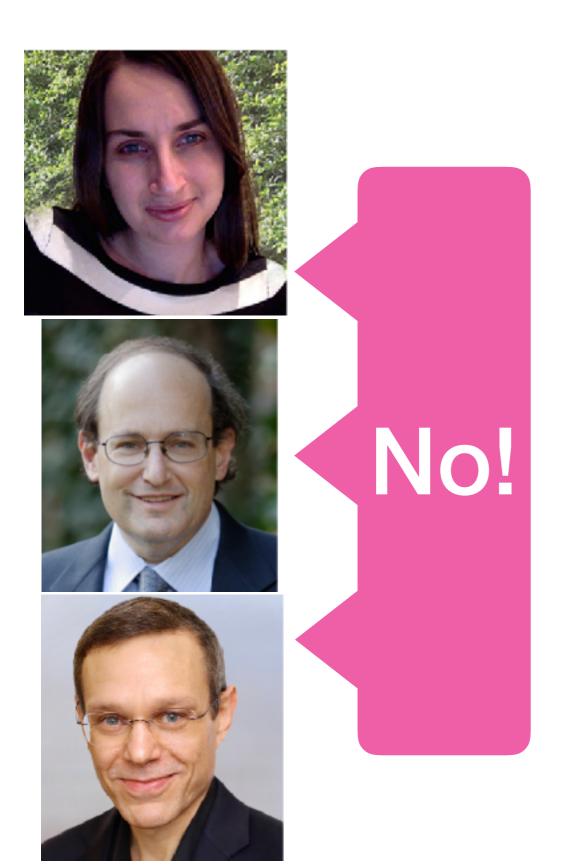


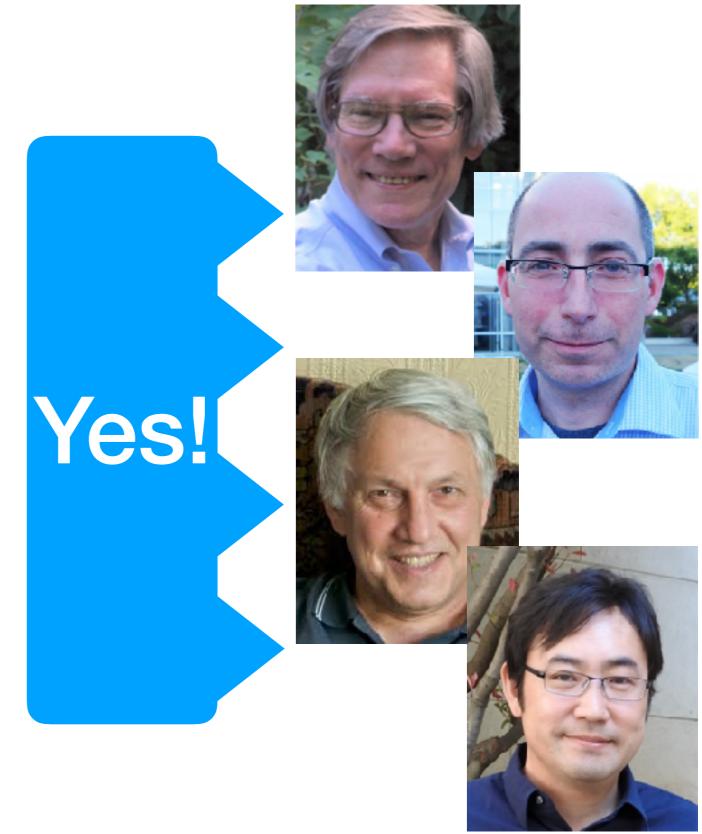
Primordial Tilt (n_s)

Is Inflation Testable?



Is Inflation Testable?





ts Institute

rsitv

SUSTAINABILITY EDUCATION



Observations

A Cosmic Controversy

Alan H. Guth

Victor F. Weisskopf Professor of Physic of Technology

http://web.mit.edu/physics/people/fac

David I. Kaiser

Germeshausen Professor of the History of Science

of Physics, Massachusetts Institute of Technol http://web.mit.edu/physics/people/fac

Andrei D. Linde

Harald Trap Friis Professor of Physics, https://physics.stanford.edu/people/fa

Yasunori Nomura

Professor of Physics and Director, Berkeley Center f Physics, University of California, Berkeley

http://physics.berkeley.edu/people/faculty/yasuno



goes the universe

THE LATEST ASTROPHYSICAL MEASUREMENTS. COMBINED WITH THEORETICAL PROBLEMS, CAST DOUBT ON THE LONG-CHERISHED INFLATIONARY THEORY OF THE EARLY COSMOS AND SUGGEST WE NEED NEW IDEAS

By Anna Ijjas, Paul J. Steinhardt and Abraham Loeb





Debate

- Ijjas et al. criticise inflation by saying that, if inflation produces multiverses, it is not a proper scientific model because it makes all possible predictions with no preferences with equal probabilities. In other words, inflation is not falsifiable
- Guth et al.'s rebuttal argues that we should focus on learning which inflation model gave rise to our own Universe, instead of worrying about all possible outcomes for multiverses that are outside of our Universe

These two arguments can be formulated using Bayes' formula, which helps sharpen the debate

- Ijjas et al. criticise inflation by saying that, if inflation produces multiverses, it is not a proper scientific model because it makes all possible predictions with no preferences with equal probabilities. In other words, inflation is not falsifiable
- Guth et al.'s rebuttal argues that we should focus on learning which inflation model gave rise to our own Universe, instead of worrying about all possible outcomes for multiverses that are outside of our Universe

Disclaimer

- I have spent most of my career "testing inflation", so I am certainly biased
 - In fact, I signed Guth et al.'s letter
- I have posted my Bayesian interpretation of the debate to Facebook on May 13, 2017. I received numerous feedback, which improved my formulation. I would like to thank especially Tiberiu Teşileanu for useful discussion
 - https://www.facebook.com/eiichiro.komatsu/posts/ 10213084685537602

$$P(\theta|D, \text{inflation}) = \frac{P(D|\theta, \text{inflation})P(\theta|\text{inflation})}{P(D|\text{inflation})}$$

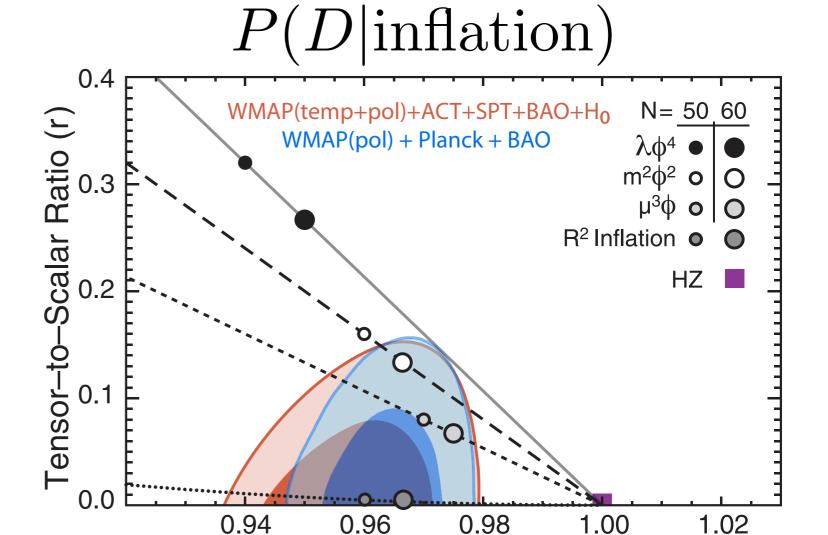
- θ: Parameters. E.g., Ωk, As, ns, r, fNL, isocurvature, ...
- D: Data. E.g., power spectrum/bispectrum of the CMB, galaxies, ...
- All the probability densities are normalised to unity

Posterior distribution of

parameters, given data and the inflation paradigm

$$P(\theta|D, \text{inflation}) =$$

 $P(D|\theta, \text{inflation})P(\theta|\text{inflation})$



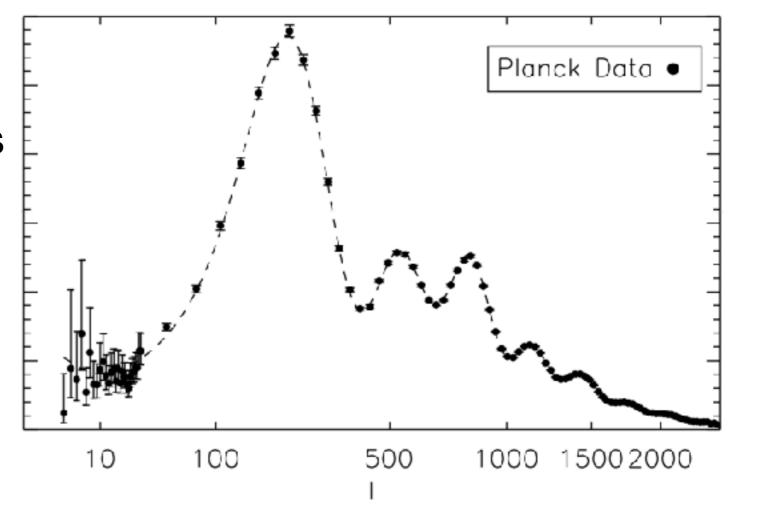
Primordial Tilt (n_s)

E.g.,

Likelihood of data, given parameters and the inflation paradigm

$$P(\theta|D, \text{inflation}) = \frac{P(D|\theta, \text{inflation})P(\theta|\text{inflation})}{P(D|\text{inflation})}$$

 This is what CMB scientists (including myself) calculate by comparing the model CMB spectra with the measured ones



Prior distribution of parameters given the inflation paradigm

$$P(\theta|D, \text{inflation}) = \frac{P(D|\theta, \text{inflation})P(\theta|\text{inflation})}{P(D|\text{inflation})}$$

• This is the main source of the debate.

$$P(\theta|D, \text{inflation}) = \frac{P(D|\theta, \text{inflation})P(\theta|\text{inflation})}{P(D|\text{inflation})}$$

$$Normalisation \ factor \ to \ give$$

$$\int d^N \theta \ P(\theta|D, \text{inflation}) = 1$$

Let's integrate both sides over the parameters

Result

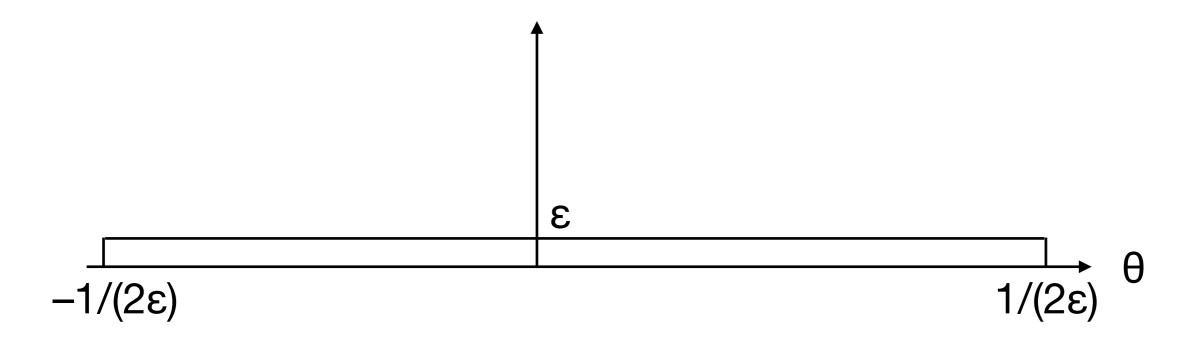
$$P(D|\text{inflation}) = \int d^N \theta \ P(D|\theta, \text{inflation}) P(\theta|\text{inflation})$$

- Left hand side (normalisation factor; a.k.a. Bayes' factor or "Evidence")
 - How likely is it to find the data we collect given the inflation paradigm?
- The answer depends crucially on the prior knowledge, P(θ|inflation)!

lijas et al.'s argument implies:

$$P(D|\text{inflation}) = \int d^N \theta \ P(D|\theta, \text{inflation}) P(\theta|\text{inflation})$$

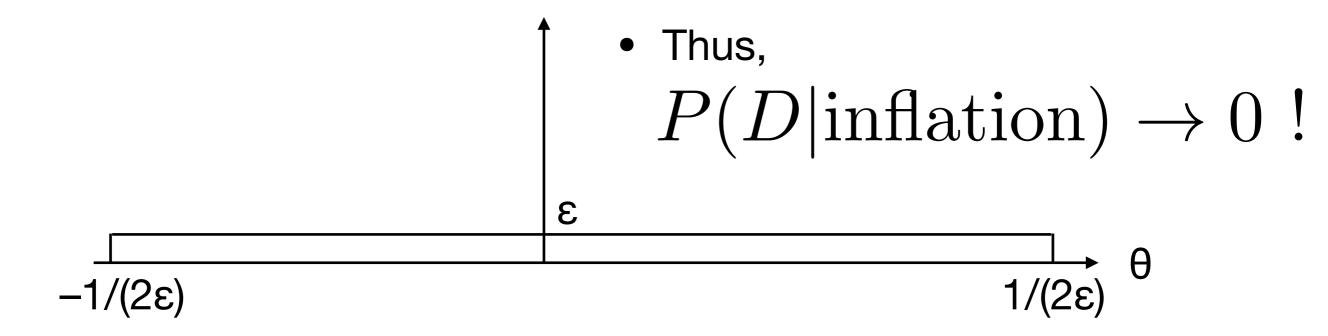
- "Inflation makes all possible predictions for θ"
 - Then, $P(\theta|\inf \text{lation})$ would look like, for $\epsilon \to 0$,



ljjas et al.'s argument implies:

$$P(D|\text{inflation}) = \int d^N \theta \ P(D|\theta, \text{inflation}) P(\theta|\text{inflation})$$

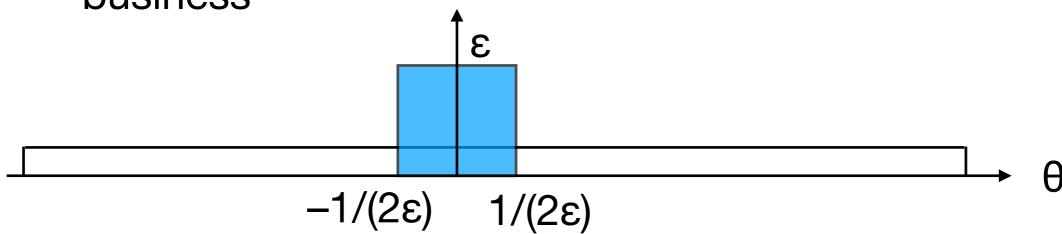
- "Inflation makes all possible predictions for θ"
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Guth et al.'s argument implies:

$$P(D|\text{inflation}) = \int d^N \theta \ P(D|\theta, \text{inflation}) P(\theta|\text{inflation})$$

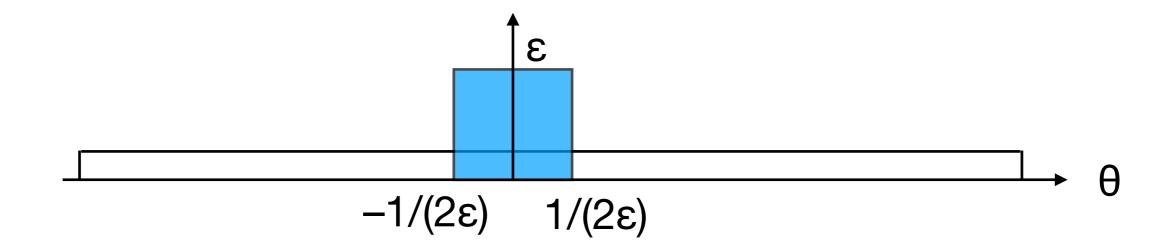
- "We can always calculate the likelihood of data given an inflation model that led to our Universe"
 - And, if we assume that ε remains finite, we are in business



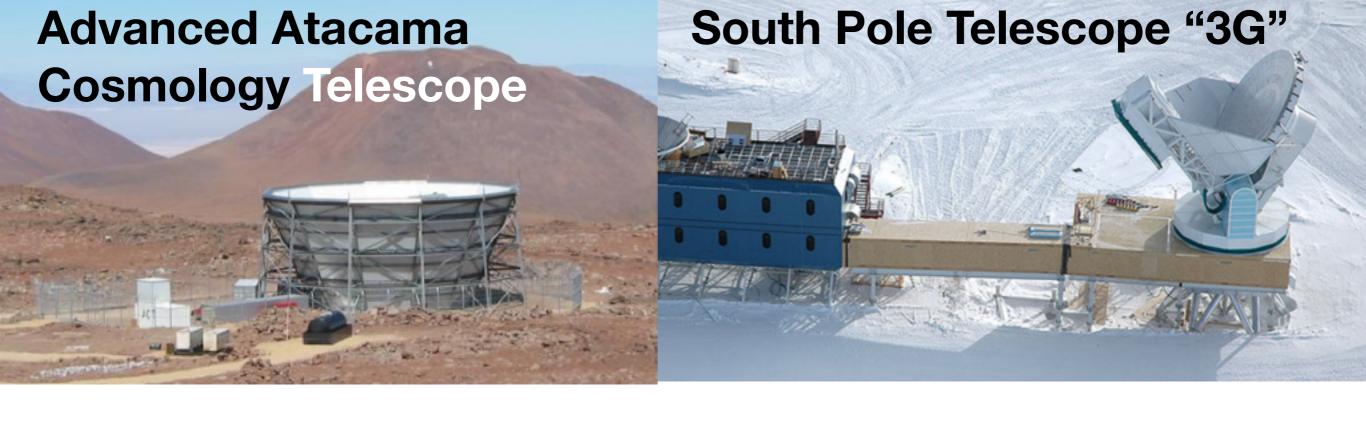
Another implication of lijas et al's argument

$$P(D|\text{alternative}) = \int d^N \theta \ P(D|\theta, \text{alternative}) P(\theta|\text{alternative})$$

- If we had an alternative scenario that has a narrower distribution for P(θ|alternative), then it would be favoured over inflation.
- The odds: P(D|alternative)/P(D|inflation)



CMB Experiments: What comes next?



What comes next?

The Simons Array

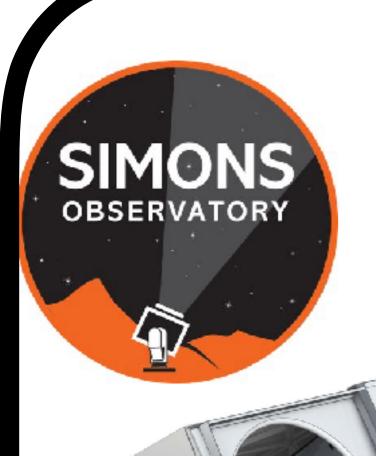


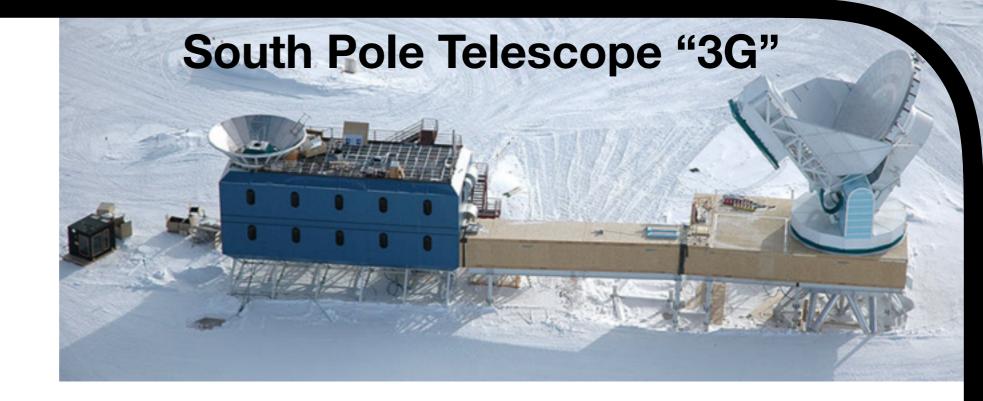










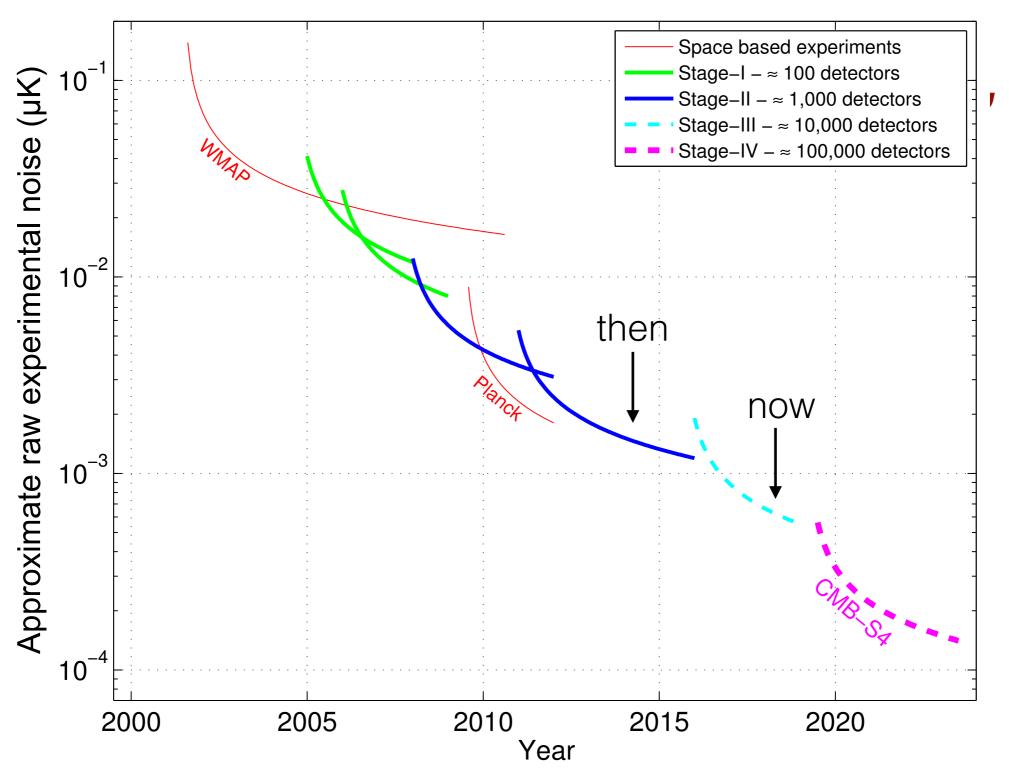


CMB-S4(?)





CMB Stages



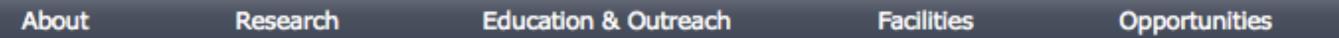
The Biggest Enemy: Polarised Dust Emission

- The upcoming data will NOT be limited by statistics, but by systematic effects such as the Galactic contamination
- Solution: Observe the sky at multiple frequencies, especially at high frequencies (>300 GHz)
- This is challenging, unless we have a superb, highaltitude site with low water vapour

•CCAT-p!

March 17, 2014

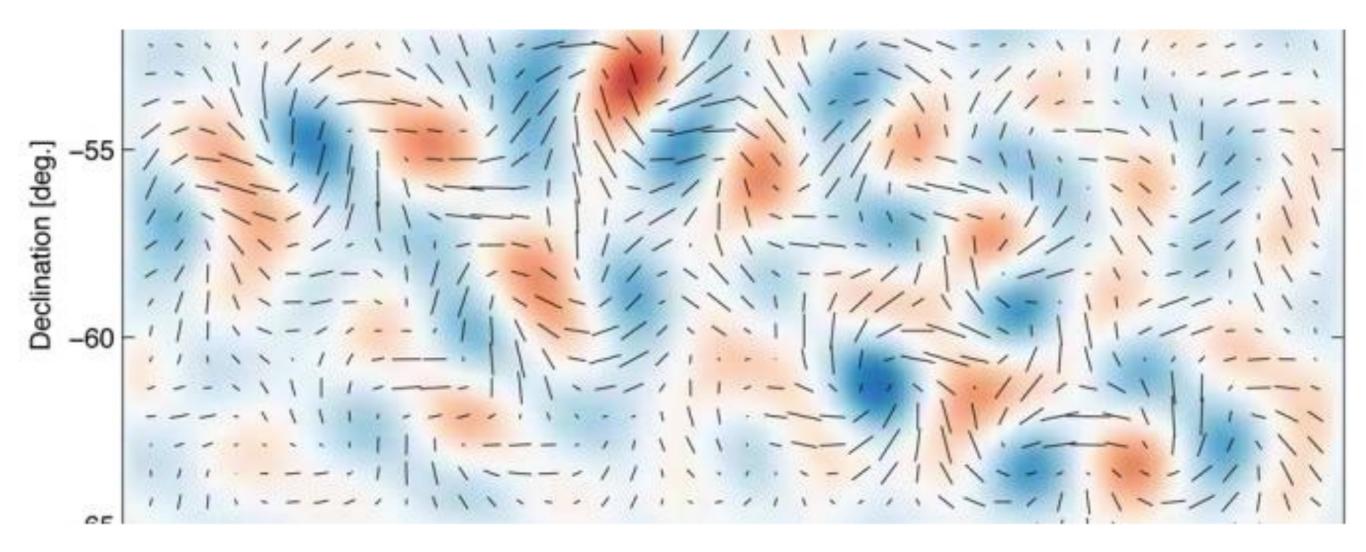
BICEP2's announcement



First Direct Evidence of Cosmic Inflation

Release No.: 2014-05

For Release: Monday, March 17, 2014 - 10:45am



Cambridge, MA - Almost 14 billion years ago, the universe we inhabit burst into existence in an extraordinary event that initiated the Big Bang. In the first fleeting fraction of a second, the universe expanded exponentially, stretching far beyond the view of our best telescopes. All this, of course, was just theory. **SPACE & COSMOS**

The New York Times

Space Ripples Reveal Big Bang's Smoking Gun

By DENNIS OVERBYE MARCH 17, 2014



17. März 2014, 17:34 Gravitationswellen

Signale aus der Geburtsstunde des Universums Von Patrick Illinger

Cambridge, MA - Almost 14 billic that initiated the Big Bang. In the far beyond the view of our best tel

January 30, 2015

Joint Analysis of BICEP2 data and Planck data

SCIENCE

The New York Times

Speck of Interstellar Dust Obscures Glimpse of Big Bang

By DENNIS OVERBYE JAN. 30, 2015



30 January 2015 Last updated at 20:54 GMT



claim was wrong

By Jonathan Amos

Science correspondent, BBC News



Share 📑 💟 🖴

1. Februar 2015, 22:19 Kosmologie

Urknall-Forscher gestehen Irrtum ein

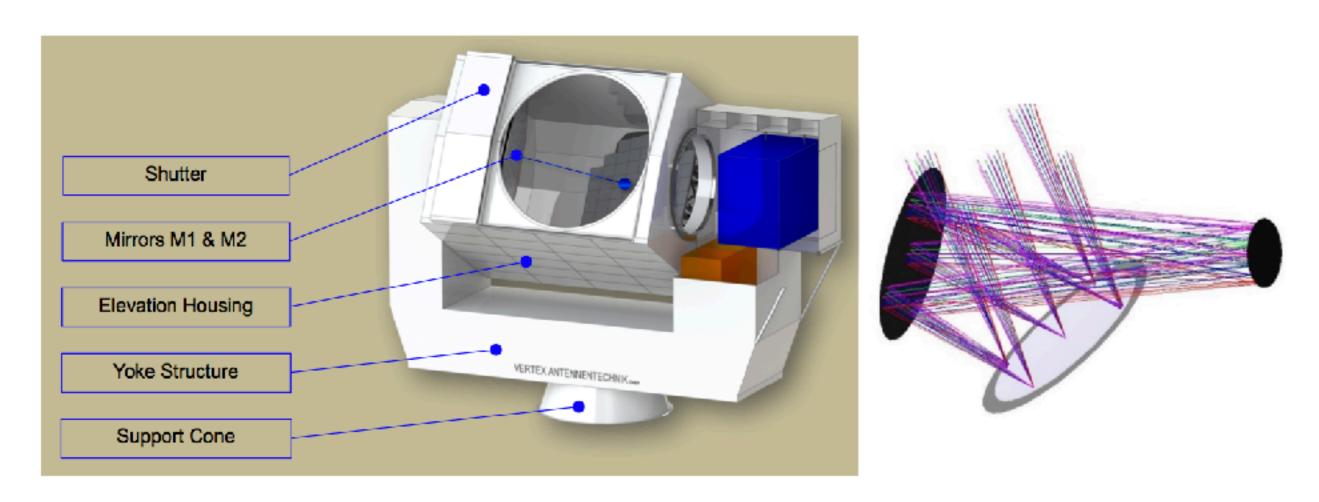
Wissen

Von <u>Marlene Weiß</u>

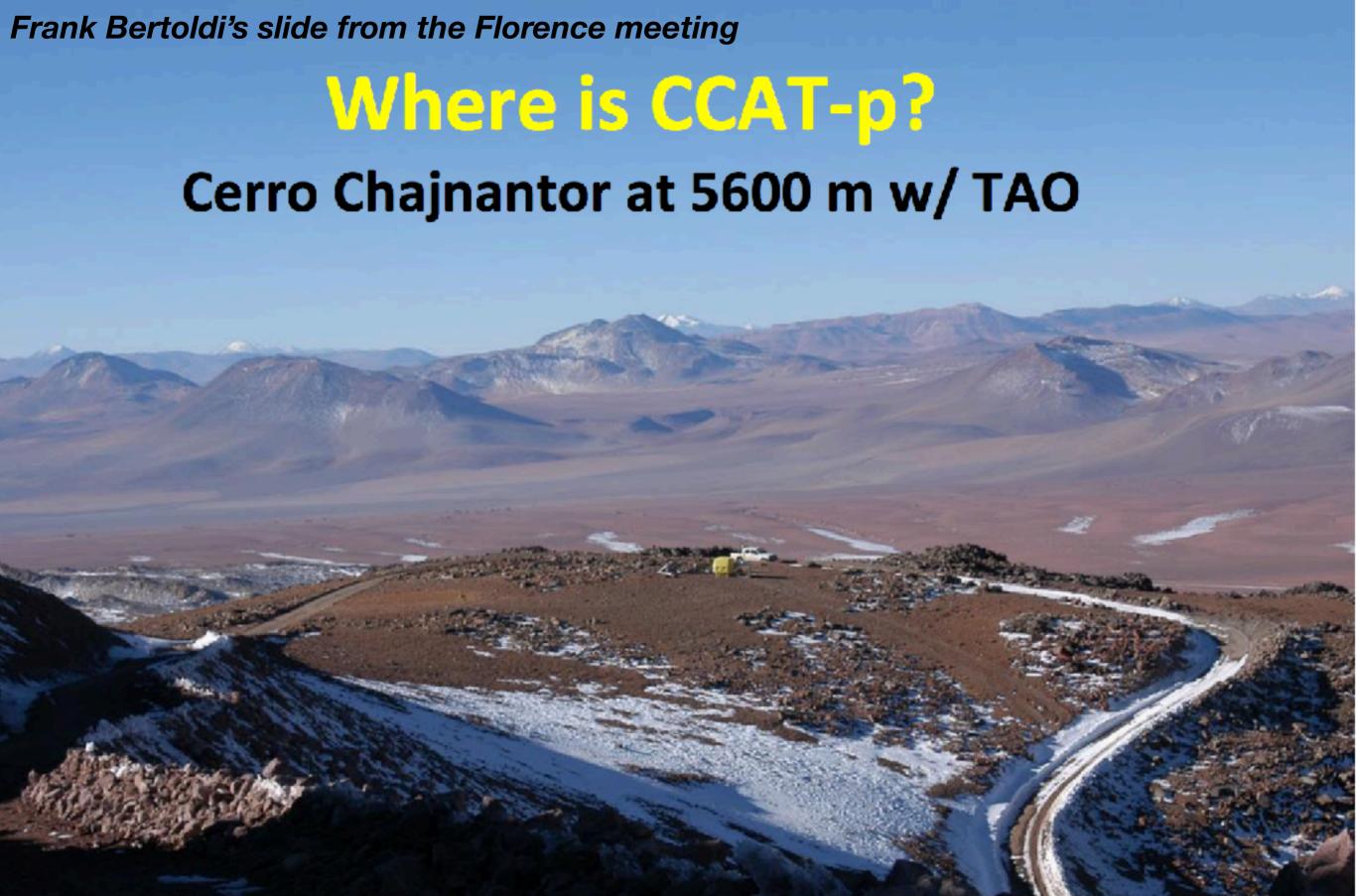
What is CCAT-p?



CCAT-prime is a high surface accuracy / throughput 6 m submm (0.3-3mm) telescope



Cornell U. + German consortium + Canadian consortium + ...

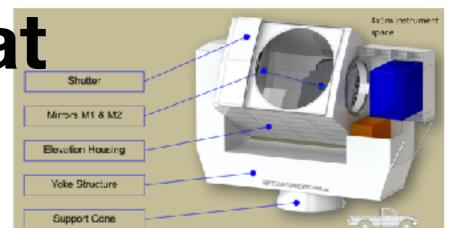




A Game Changer

• CCAT-p: 6-m, Cross-dragone design, on Cerro Chajnantor (5600 m)

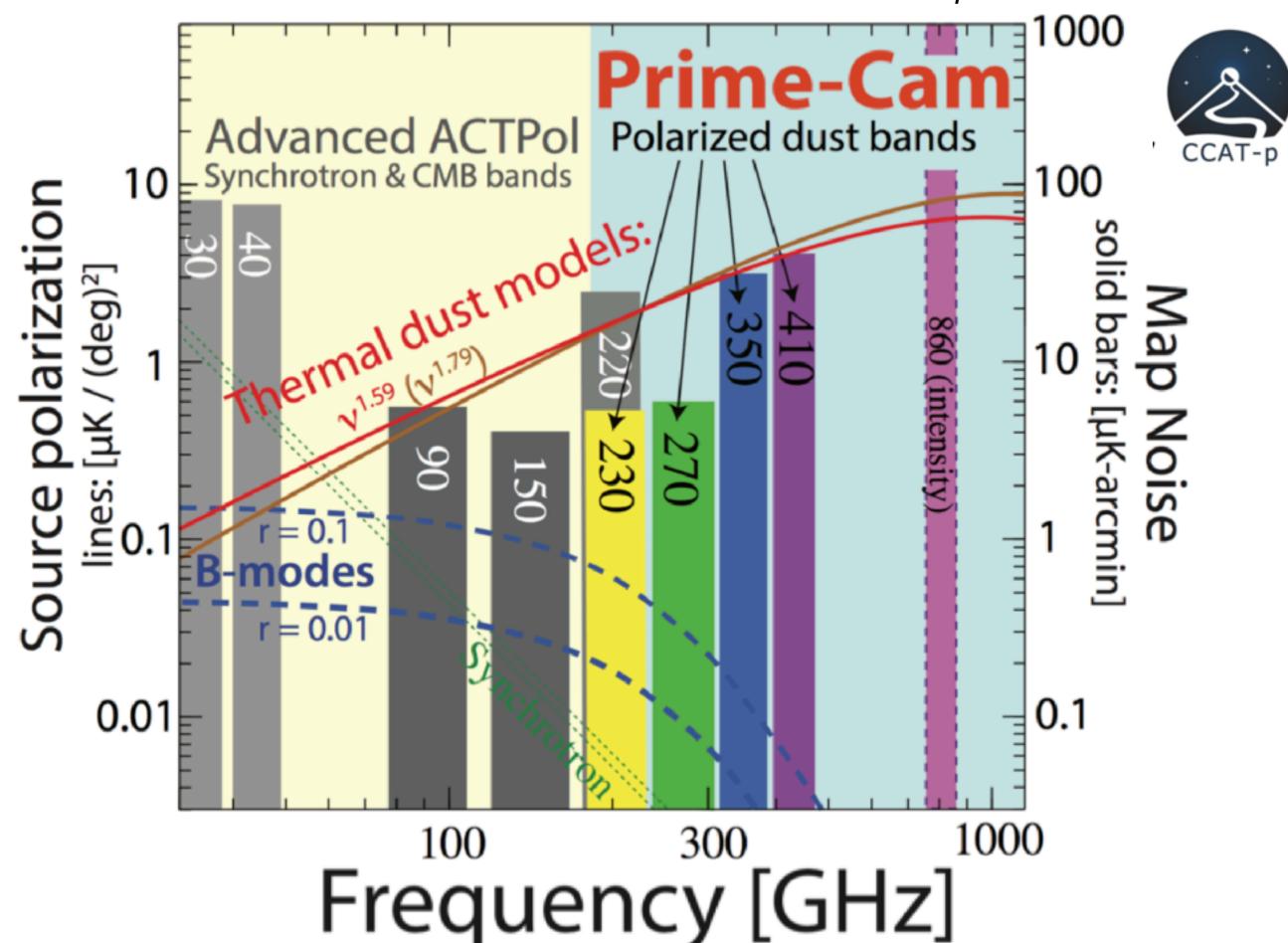
• Germany makes great telescopes!



CCAT-prime

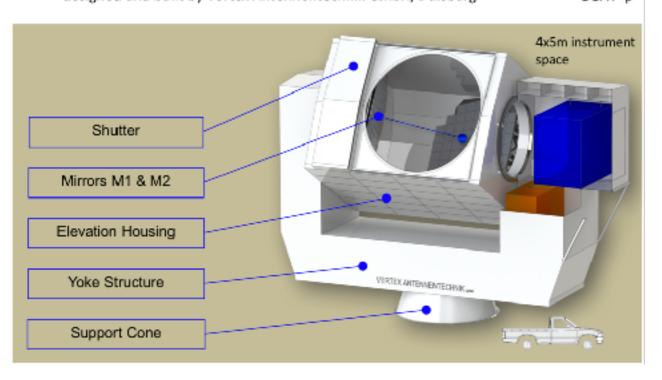
- Design study completed, and the contract has been signed by "VERTEX Antennentechnik GmbH"
 - CCAT-p is a great opportunity for Germany to make significant contributions towards the CMB S-4 landscape (both US and Europe) by providing telescope designs and the "lessons learned" with prototypes.

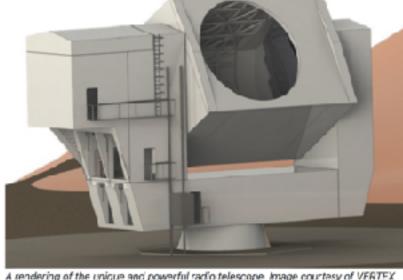
CCAT-p Collaboration



CCAT-prime

designed and built by Vertex Antennentechnik GmbH, Duisburg





A rendering of the unique and powerful radio telescope. Image courtesy of VERTEX ANTENNENTECHNIK.

Simons Observatory (USA)

in collaboration

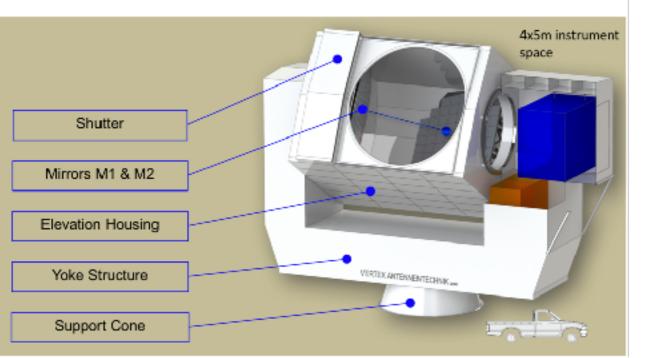


South Pole?

This could be "CMB-S4"

CCAT-prime

designed and built by Vertex Antennentechnik GmbH, Duisburg





A rendering of the unique and powerful radio telescope, Image courtesy of VERTEX ANTENNENTECHNIK

Simons Observatory (USA)

in collaboration



South Pole?

To have even more frequency coverage...

JAXA

+ possible participations from USA, Canada, Europe

LiteBIRD

2025- [proposed]



JAXA

+ possible participations from USA, Canada, Europe

LiteBIRD

2025- [proposed]

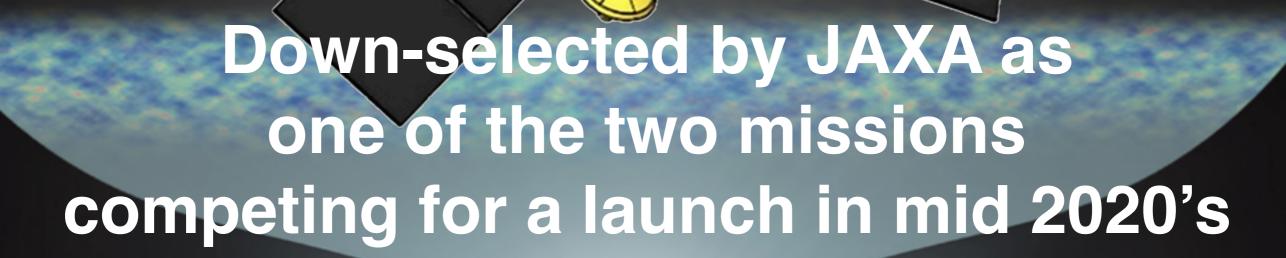


JAXA

+ possible participations from USA, Canada, Europe

LiteBIRD

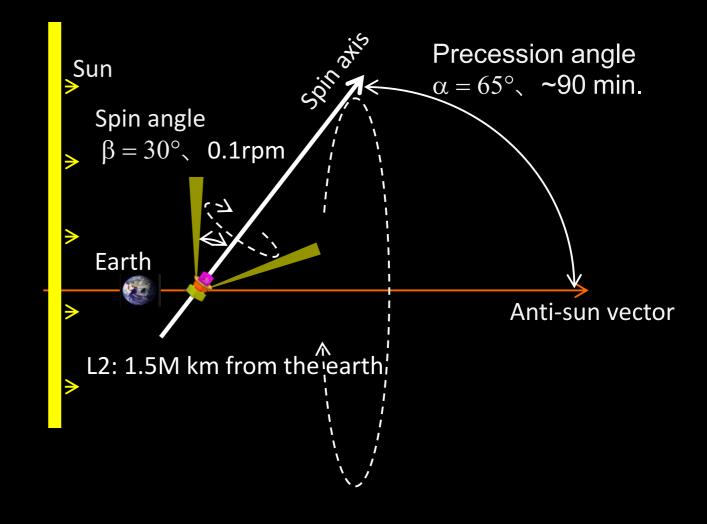
2025- [proposed]



Observation Strategy



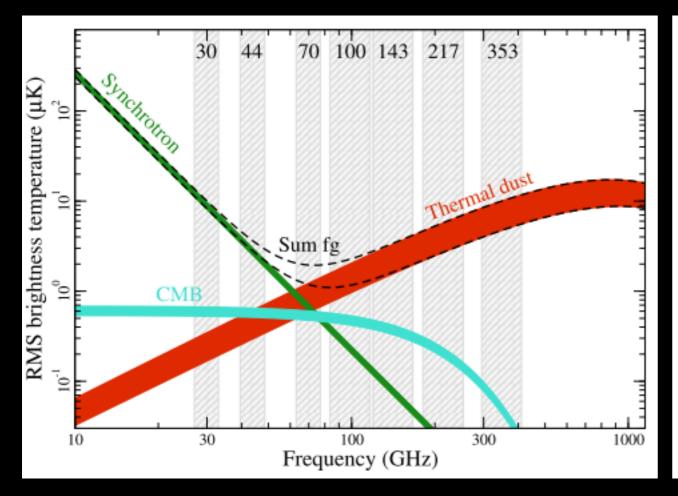
JAXA H3 Launch Vehicle (JAXA)

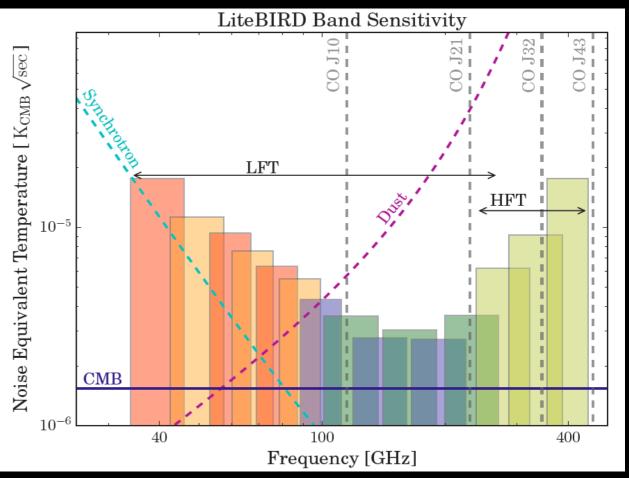


- Launch vehicle: JAXA H3
- Observation location: Second Lagrangian point (L2)
- Scan strategy: Spin and precession, full sky
- Observation duration: 3-years
- Proposed launch date: Mid 2020's

Slide courtesy Toki Suzuki (Berkeley)

Foreground Removal





Polarized galactic emission (Planck X)

LiteBIRD: 15 frequency bands

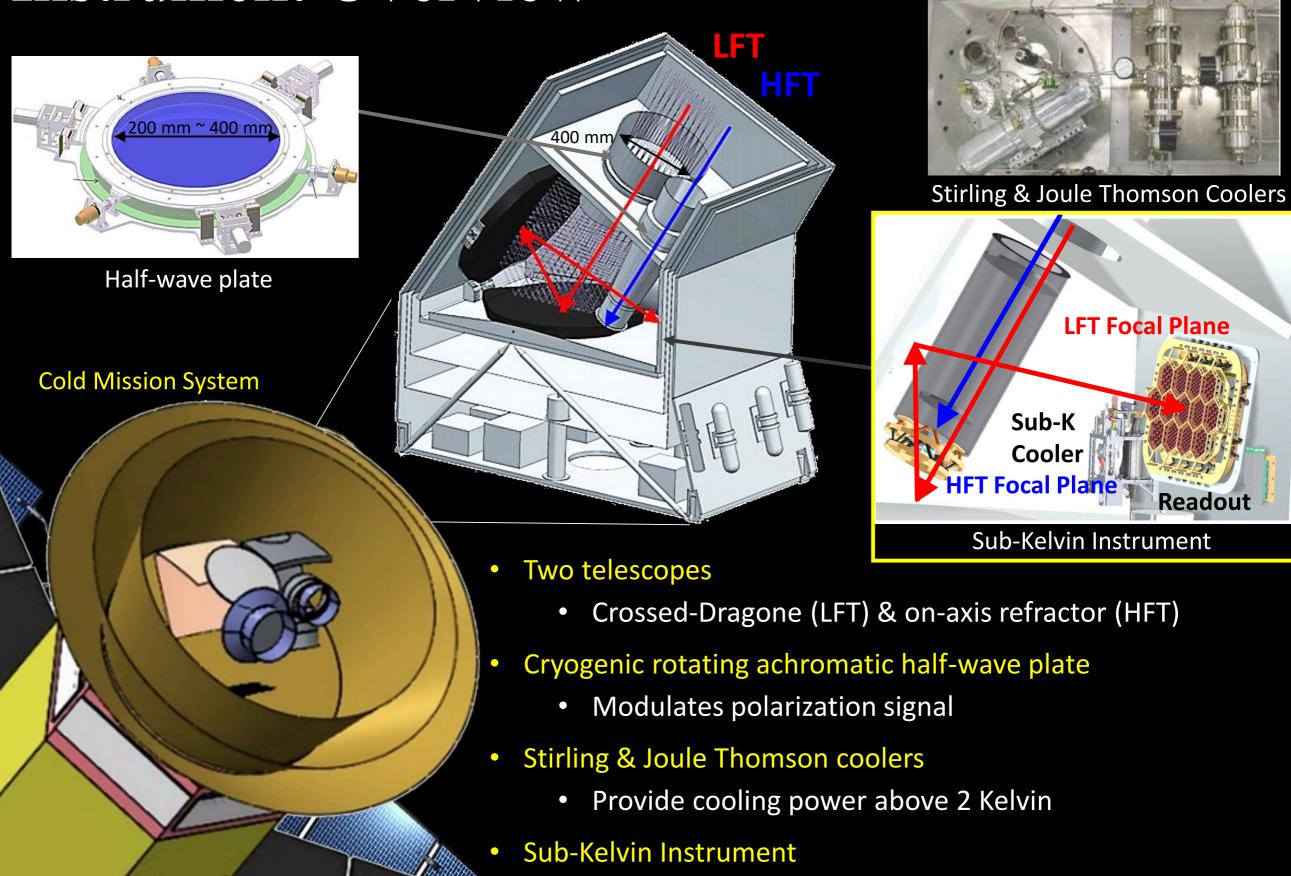
- Polarized foregrounds
 - Synchrotron radiation and thermal emission from inter-galactic dust
 - Characterize and remove foregrounds
- 15 frequency bands between 40 GHz 400 GHz
 - Split between Low Frequency Telescope (LFT) and High Frequency Telescope (HFT)
 - LFT: 40 GHz 235 GHz
 - HFT: 280 GHz 400 GHz

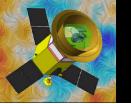
Slide courtesy Toki Suzuki (Berkeley)

Slide courtesy Toki Suzuki (Berkeley)

Detectors, readout electronics, and a sub-kelvin cooler

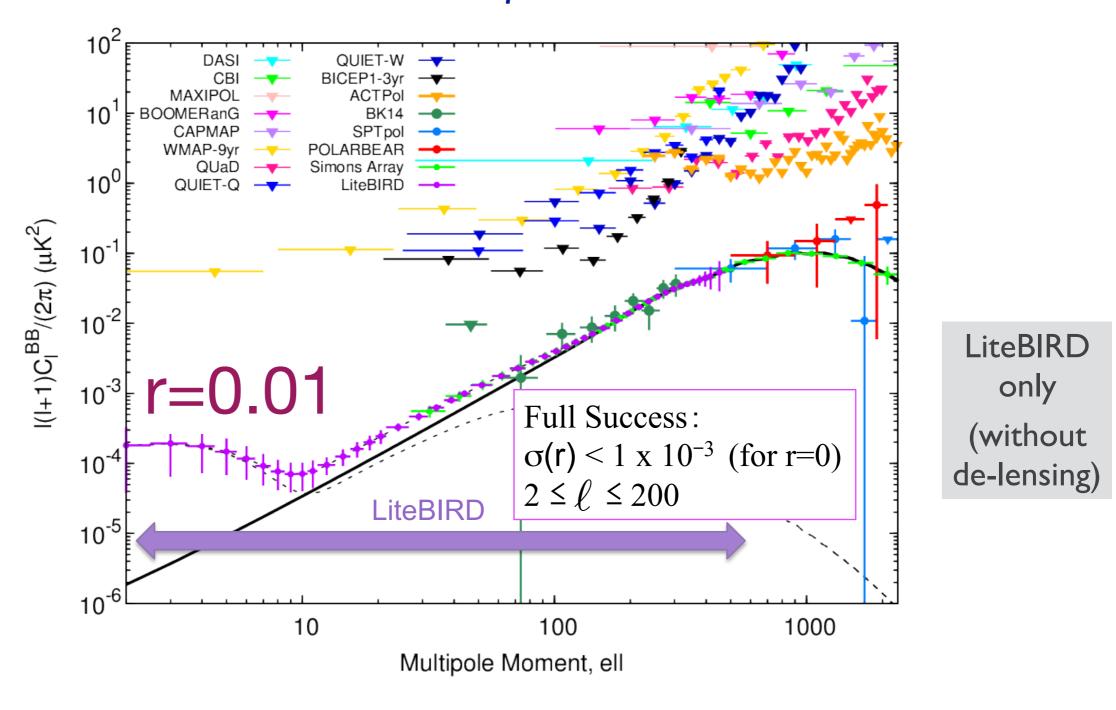
Instrument Overview





The Quest of the Primordial Gravitational Waves

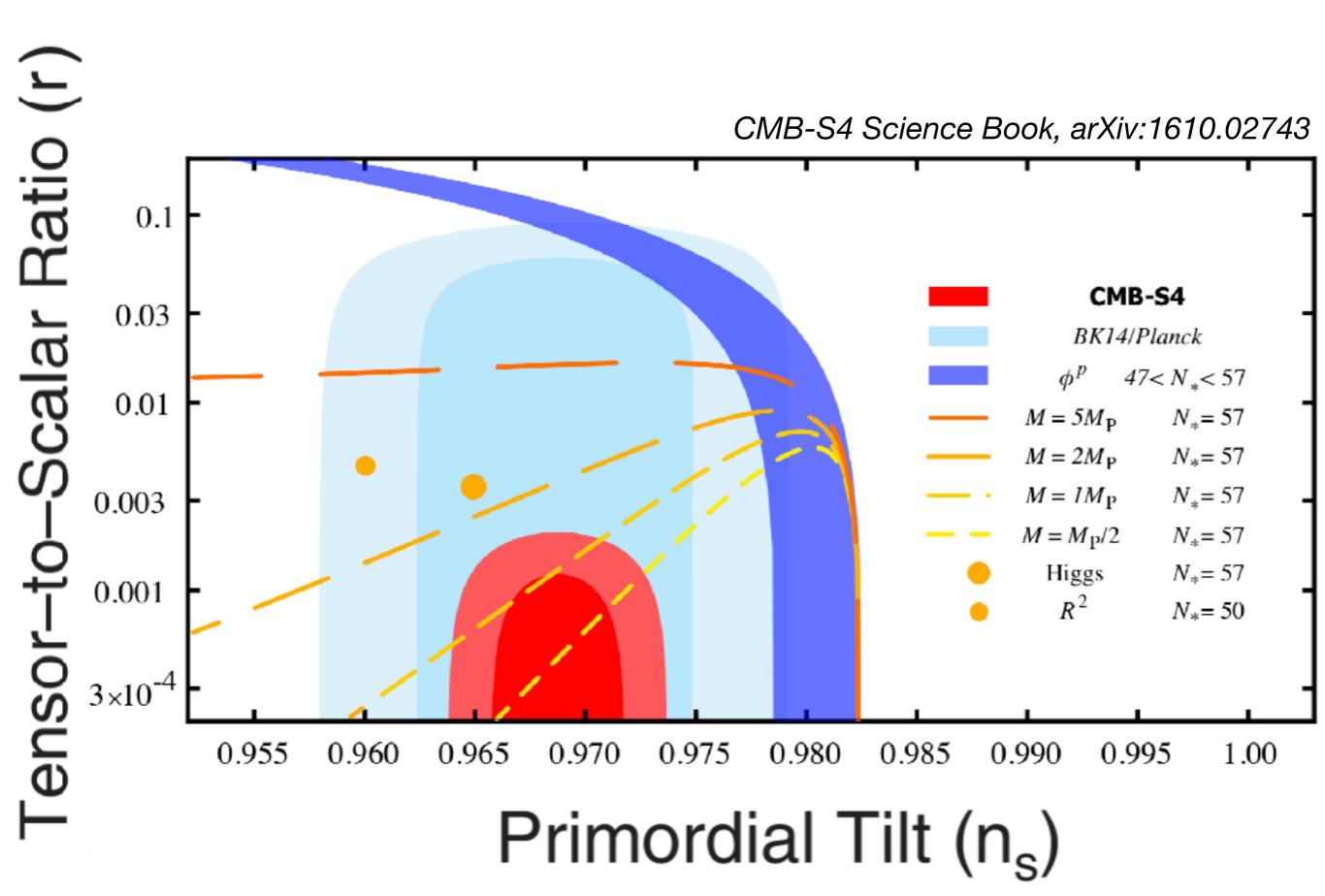
LiteBIRD Expectation



Slide courtesy Ludovic Montier

Target Constraints (CMB Only)

	Today (Planck)	<2025 (SO)	>2025 (LB, CMB-S4)
Scalar power spectrum tilt (n _s)	0.9645 ± 0.0049		± 0.0019
Tensor-to-scalar Ratio (r)	< 0.07 (95%CL)	< 0.006 (95%CL)	< 0.002 (95%CL)
Non-Gaussianity Parameter (f _{NL} local)	0.8 ± 5.0	± 3.0	± 1.8
Axion Isocurvature Power Fraction	< 0.038 (95%CL)		< 0.008 (95%CL)



GW from Inflation

- You might have heard that detection of the B-mode polarisation from primordial gravitational waves gives a measurement of the energy scale of inflation
- This is because, quantising the vacuum equation of motion for a tensor mode perturbation, $\Box h_{ij}=0$, gives $h_{ij}\propto H\propto \sqrt{V/M_{\rm pl}^2}$ in de Sitter space (Grishchuk 1974; Starobinsky 1979)

But, wait a minute...

Are GWs from vacuum fluctuation in spacetime, or from sources?

$$\Box h_{ij} = -16\pi G\pi_{ij}$$

- Homogeneous solution: "GWs from vacuum fluctuation"
- Inhomogeneous solution: "GWs from sources"
 - Scalar and vector fields cannot source tensor fluctuations at linear order (possible at non-linear level)
 - SU(2) gauge field can!

Maleknejad & Sheikh-Jabbari (2013); Dimastrogiovanni & Peloso (2013); Adshead, Martinec & Wyman (2013); Obata & Soda (2016); ...

Important Message

$$\Box h_{ij} = -16\pi G\pi_{ij}$$

- Do not take it for granted if someone told you that detection of the primordial gravitational waves would be a signature of "quantum gravity"!
 - Only the homogeneous solution corresponds to the vacuum tensor metric perturbation. There is no a priori reason to neglect an inhomogeneous solution!
 - Contrary, we have several examples in which detectable B-modes are generated by sources [U(1) and SU(2)]

Experimental Strategy Commonly Assumed So Far

- 1. Detect CMB polarisation in multiple frequencies, to make sure that it is from the CMB (i.e., Planck spectrum)
- 2. Check for scale invariance: Consistent with a scale invariant spectrum?
 - Yes => Announce discovery of the vacuum fluctuation in spacetime
 - No => WTF?

New Experimental Strategy: New Standard!

- 1. Detect CMB polarisation in multiple frequencies, to make sure that it is from the CMB (i.e., Planck spectrum)
- 2. Consistent with a scale invariant spectrum?
- 3. Parity violating correlations consistent with zero?
- 4. Consistent with Gaussianity?

 If, and ONLY IF Yes to all => Announce discovery of the vacuum fluctuation in spacetime

If not, you may have just discovered new physics during inflation!

- 2. Consistent with a scale invariant spectrum?
- 3. Parity violating correlations consistent with zero?
- 4. Consistent with Gaussianity?

 If, and ONLY IF Yes to all => Announce discovery of the vacuum fluctuation in spacetime

GW from Axion-SU(2) Dynamics



$$\mathcal{L} = \mathcal{L}_{GR} + \mathcal{L}_{\phi} + \mathcal{L}_{\chi} - \frac{1}{4} F^{a}_{\mu\nu} F^{a\mu\nu} + \frac{\lambda \chi}{4f} F^{a}_{\mu\nu} \tilde{F}^{a\mu\nu}$$

- φ: inflaton field => Just provides quasi-de Sitter background
- χ: pseudo-scalar "axion" field. Spectator field (i.e., negligible energy density compared to the inflaton)
- Field strength of an SU(2) field $A^a_
 u$:

$$F^{a}_{\mu\nu} \equiv \partial_{\mu}A^{a}_{\nu} - \partial_{\nu}A^{a}_{\mu} - g\epsilon^{abc}A^{b}_{\mu}A^{c}_{\nu}$$

Background and Perturbation



 In an inflating background, the SU(2) field has a background solution:

$$A_i^a = [\text{scale factor}] \times Q \times \delta_i^a$$

$$Q \equiv (-f\partial_{\chi}U/3g\lambda H)^{1/3}$$

U: axion potential

Perturbations contain a tensor mode (as well as S&V)

$$\delta A_i^a = t_{ai} + \cdots$$

$$t_{ii} = \partial_a t_{ai} = \partial_i t_{ai} = 0$$

Scenario

- The SU(2) field contains tensor, vector, and scalar components
- The tensor components are amplified strongly by a coupling to the axion field
 - Only one helicity is amplified => GW is chiral (well-known result)
- Brand-new result: GWs sourced by this mechanism are strongly non-Gaussian!

Agrawal, Fujita & EK, PRD, 97, 103526 (2018)

Gravitational Waves

Defining canonically-normalised circular polarisation modes as

$$\psi_{L,R} \equiv (aM_{\rm Pl}/2)(h_+ \pm ih_\times)$$

• The equations of motion for L and R modes are ($x \equiv k/aH$)

$$\partial_x^2 \psi_{R,L} + \left(1 - \frac{2}{x^2}\right) \psi_{R,L} = \frac{2\sqrt{\epsilon_E}}{x} \partial_x t_{R,L} + \frac{2\sqrt{\epsilon_B}}{x^2} \left(m_Q \mp x\right) t_{R,L}$$

$$m_Q\equiv gQ/H=$$
a few $\epsilon_B\equiv g^2Q^4/(HM_{
m Pl})^2\ll 1$ $\epsilon_E\equiv (HQ+\dot Q)^2/(HM_{
m Pl})^2\ll 1$

Spin-2 Field from SU(2)

The equations of motion for L and R modes of SU(2) are

$$\begin{split} \partial_x^2 t_{R,L} + \left[1 + \frac{2}{x^2} \left(m_Q \, \xi \right) \right] t_{R,L} \\ & \text{the minus sign gives an instability -> exponential amplification of } t_{\rm R}! \\ &= -\frac{2\sqrt{\epsilon_E}}{x} \partial_x \psi_{R,L} + \frac{2}{x^2} \left[(m_Q \mp x) \sqrt{\epsilon_B} + \sqrt{\epsilon_E} \right] \psi_{R,L} \\ & \xi \equiv \frac{\lambda}{2fH} \dot{\chi} \simeq m_Q + \frac{1}{m_Q} \\ & m_Q \equiv gQ/H \, = \text{a few} \end{split}$$

$$m_Q \equiv gQ/H =$$
a few $\epsilon_B \equiv g^2Q^4/(HM_{\rm Pl})^2 \ll 1$ $\epsilon_E \equiv (HQ + \dot{Q})^2/(HM_{\rm Pl})^2 \ll 1$

Spin-2 Field from SU(2)

The equations of motion for L and R modes of SU(2) are

$$\begin{split} \partial_x^2 t_{R,L} + \left[1 + \frac{2}{x^2} \left(m_Q \, \xi \right) \mp x (m_Q + \xi)\right] t_{R,L} \\ & \text{the minus sign gives an instability -> exponential amplification of } t_{\rm R}! \\ &= -\frac{2\sqrt{\epsilon_E}}{x} \partial_x \psi_{R,L} + \frac{2}{x^2} \left[\left(m_Q \mp x\right) \sqrt{\epsilon_B} + \sqrt{\epsilon_E}\right] \psi_{R,L} \end{split}$$

- The produced gravitational waves are totally chiral!
- The solution (when all the parameters are constant and the terms on the right hand side are ignored):

$$t_R(x) = \frac{1}{\sqrt{2k}} i^\beta \, W_{\beta,\alpha}(-2ix) \quad {\alpha \equiv -i\sqrt{2m_Q\xi - 1/4} \choose \beta \equiv -i(m_Q + \xi)} \quad {\beta \equiv -i(m_Q + \xi)}$$
 [Whittaker function]

Gravitational Waves

Defining canonically-normalised circular polarisation modes as

$$\psi_{L,R} \equiv (aM_{\rm Pl}/2)(h_+ \pm ih_\times)$$

• The equations of motion for L and R modes are ($x \equiv k/aH$)

$$\partial_x^2 \psi_{R,L} + \left(1 - \frac{2}{x^2}\right) \psi_{R,L} = \frac{2\sqrt{\epsilon_E}}{x} \partial_x t_{R,L} + \frac{2\sqrt{\epsilon_B}}{x^2} \left(m_Q \mp x\right) t_{R,L}$$

Inhomogeneous solution:

$$\lim_{x \to 0} \psi_R^{(s)}(x) = \frac{1}{\sqrt{2kx}} \left[\mathcal{F}_E \sqrt{\epsilon_E} + \mathcal{F}_B \sqrt{\epsilon_B} \right]$$

F_E, F_B: some complicated functions

Power Spectrum!

$$\mathcal{P}_h^{(s)}(k) = \frac{H^2}{\pi^2 M_{\rm Pl}^2} \left| \sqrt{2kx} \lim_{x \to 0} \psi_R^{(s)}(x) \right|^2 = \frac{\epsilon_B H^2}{\pi^2 M_{\rm Pl}^2} \mathcal{F}^2$$

$$\mathcal{F}^2 \equiv \left| \mathcal{F}_B + \sqrt{\epsilon_E/\epsilon_B} \mathcal{F}_E \right|^2 \approx \exp(3.6 m_Q)$$

- This exponential dependence on m_Q makes it possible to have P_{sourced} >> P_{vacuum}
- New Paradigm

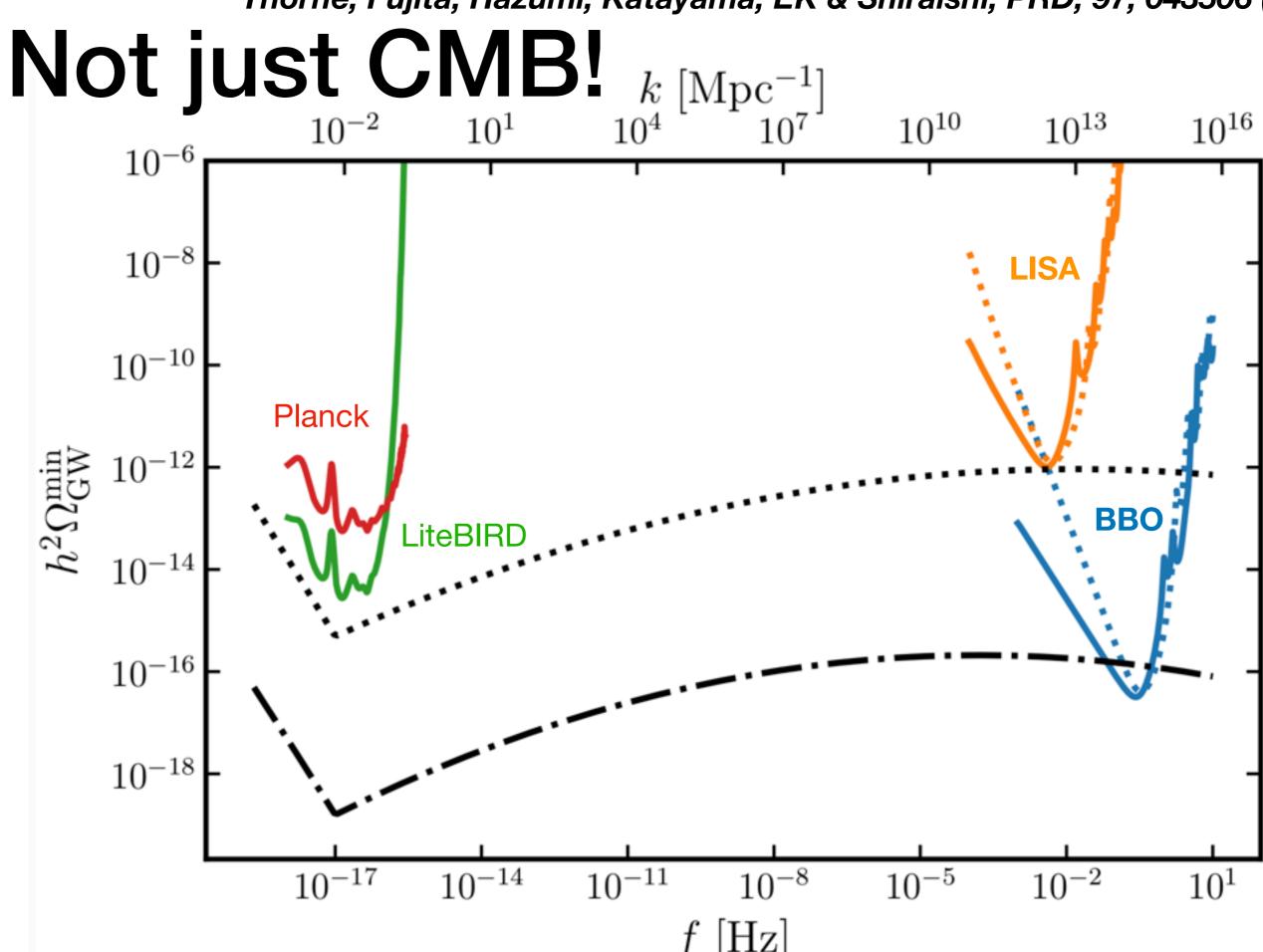
Phenomenology

$$\partial_x^2 t_{R,L} + \left[1 + \frac{2}{x^2} \left(m_Q \xi \mp x (m_Q + \xi)\right)\right] t_{R,L} = \dots$$

the minus sign gives an instability -> exponential amplification of t_R!

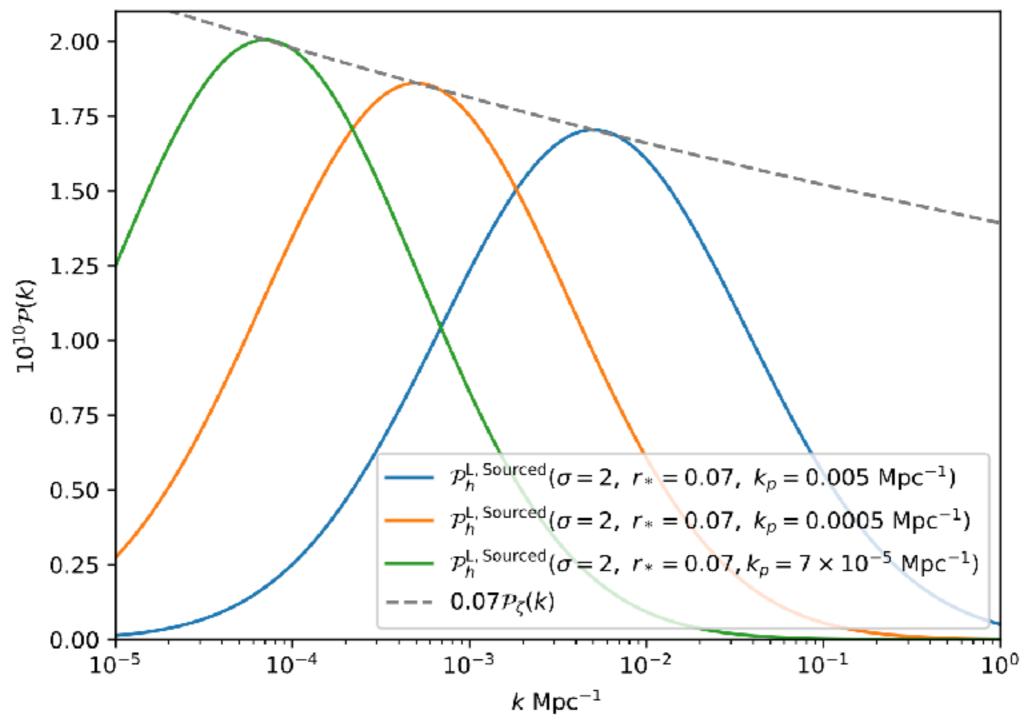
$$\xi \equiv rac{\lambda}{2fH}\dot{\chi} \simeq m_Q + rac{1}{m_Q} \ m_Q \equiv gQ/H = {
m a few}$$

- The scale-dependence of the produced tensor modes is determined by how m_Q changes with time
- E.g., Axion rolling faster towards the end of inflation:
 BLUE TILTED power spectrum! Therefore...



Thorne, Fujita, Hazumi, Katayama, EK & Shiraishi, PRD, 97, 043506 (2018)

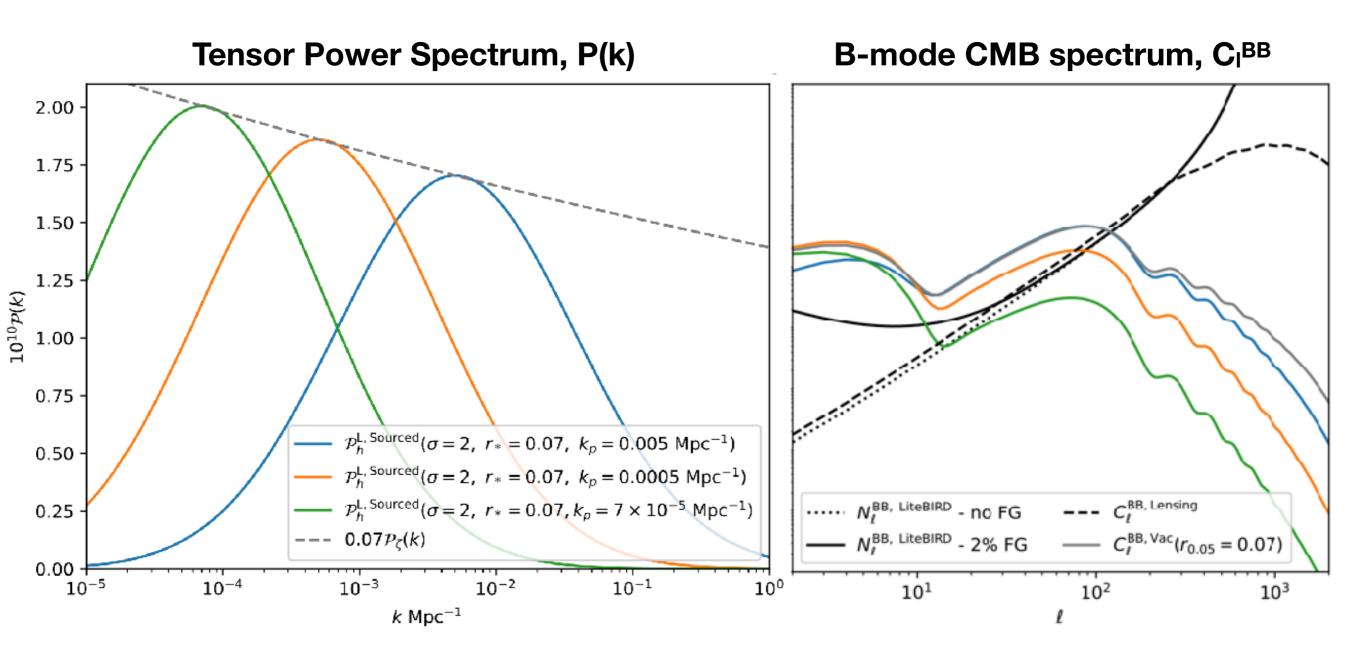
Example Tensor Spectra



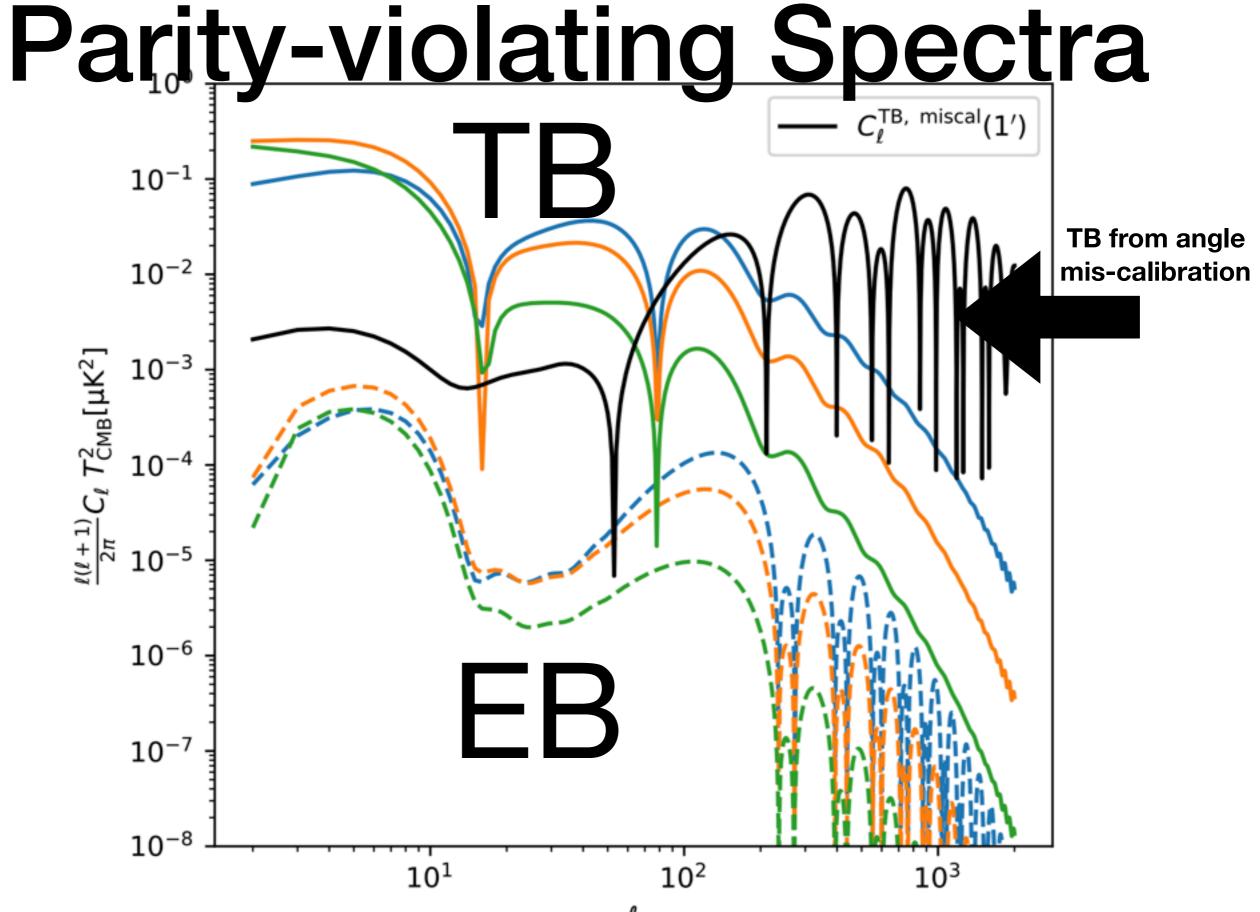
Sourced tensor spectrum can also be bumpy

Thorne, Fujita, Hazumi, Katayama, EK & Shiraishi, PRD, 97, 043506 (2018)

Example Tensor Spectra



The B-mode power spectrum still looks rather normal



Angle mis-calibration can be distinguished easily!

Large bispectrum in GW from SU(2) fields



Aniket Agrawal (MPA)

$\frac{B_h^{RRR}(k,k,k)}{P_h^2(k)} \approx \frac{25}{\Omega_A}$



Tomo Fujita (Kyoto)

$$\langle \hat{h}_R(\mathbf{k}_1)\hat{h}_R(\mathbf{k}_2)\hat{h}_R(\mathbf{k}_3)\rangle = (2\pi)^3 \delta\left(\sum_{i=1}^3 \mathbf{k}_i\right) B_h^{RRR}(k_1, k_2, k_3)$$

- $\Omega_A \ll 1$ is the energy density fraction of the gauge field
- B_h/P_h² is of order unity for the vacuum contribution
 [Maldacena (2003); Maldacena & Pimentel (2011)]
- Gaussianity offers a powerful test of whether the detected GW comes from the vacuum or sources

NG generated at the tree level

$$L_3^{(i)} = c^{(i)} \left[\epsilon^{abc} t_{ai} t_{bj} \left(\partial_i t_{cj} - \frac{m_Q^2 + 1}{3m_Q \tau} \epsilon^{ijk} t_{ck} \right) \right]$$

$$c^{(i)} = g = m_Q^2 H/\sqrt{\epsilon_B} M_{
m Pl} \sim 10^{-2}$$
 ψ [GW]

$$\epsilon_B \equiv \frac{g^2 Q^4}{H^2 M_{\rm Pl}^2} \simeq \frac{2\Omega_A}{1 + m_Q^{-2}} \ll 1$$

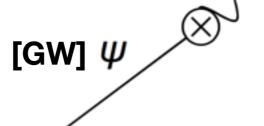
$$m_Q \equiv gQ/H \hspace{0.2cm}$$
 [m_Q ~ a few]

This diagram generates second-order equation of motion for GW

t [tensor SU(2)]

 $\delta A_i^a = t_{ai} + \cdots$

[tensor SU(2)] $t \sim$



NG generated at the tree level

$$L_3^{(i)} = c^{(i)} \left[\epsilon^{abc} t_{ai} t_{bj} \left(\partial_i t_{cj} - \frac{m_Q^2 + 1}{3m_Q \tau} \epsilon^{ijk} t_{ck} \right) \right]$$

$$c^{(i)} \ = \ g \ = \ m_Q^2 H/\sqrt{\epsilon_B} M_{\rm Pl} \, {\color{gray} \sim} \, {\color{gray} 10^{-2}}^{} \, {\color{gray} \frac{m_Q}{\tau}} t_{ij} t_{jl} t_{li} \bigg] \qquad \qquad \qquad \psi \, [{\rm GW}]$$

$$\epsilon_B \equiv \frac{g^2 Q^4}{H^2 M_{\rm Pl}^2} \simeq \frac{2\Omega_A}{1 + m_Q^{-2}} \ll 1$$

$$m_Q \equiv gQ/H \hspace{0.2cm}$$
 [m_Q ~ a few]

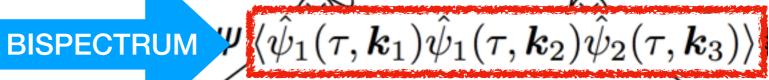
This diagram generates second-order equation of motion for GW

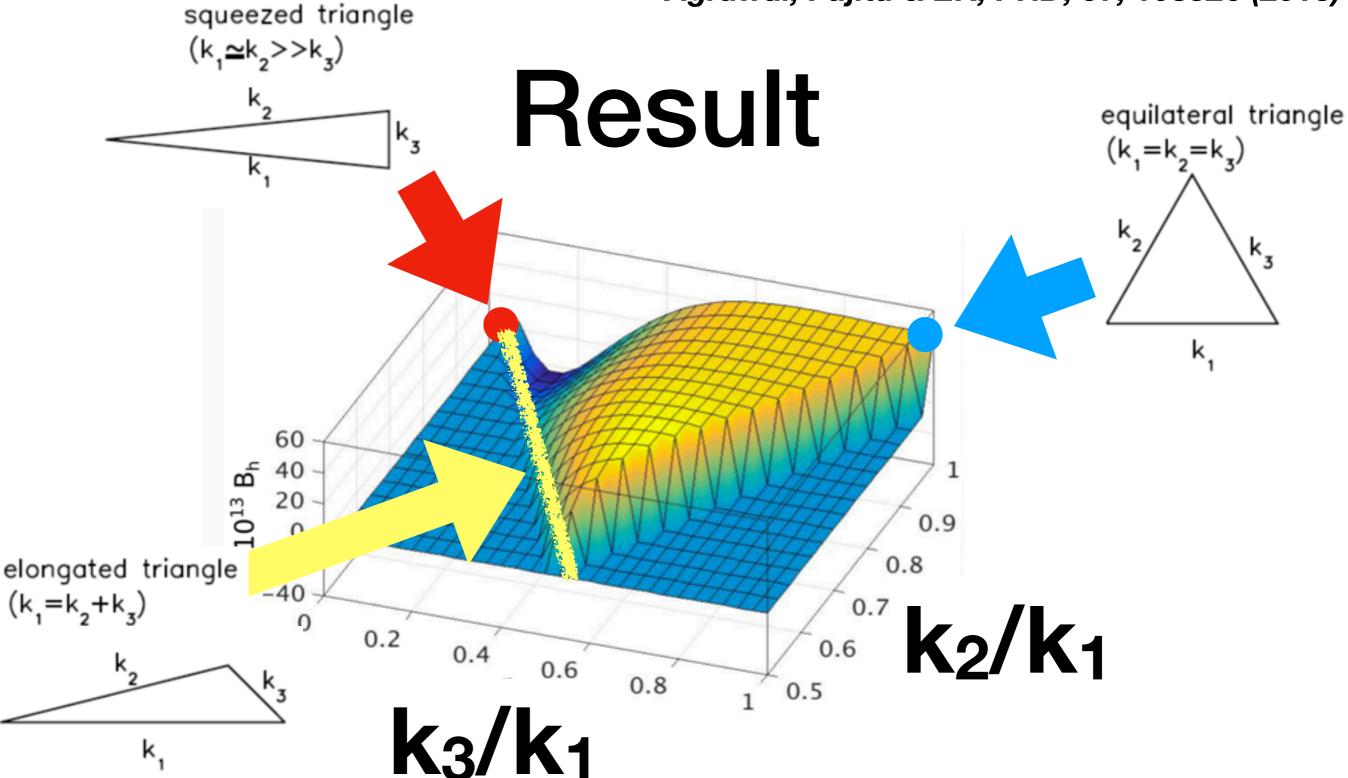
t [tensor SU(2)]

$$\delta A_i^a = t_{ai} + \cdots$$

[tensor SU(2)] $t \sim 1$

t [tensor SU(2)]





 This shape is similar to, but not exactly the same as, what was used by the Planck team to look for tensor bispectrum

Current Limit on Tensor NG

 The Planck team reported a limit on the tensor bispectrum in the following form:

$$f_{\text{NL}}^{\text{tens}} \equiv \frac{B_h^{+++}(k, k, k)}{F_{\text{scalar}}^{\text{equil.}}(k, k, k)}$$

- The denominator is the **scalar** equilateral bispectrum template, giving $F_{\rm scalar}^{\rm equil.}(k,k,k)=(18/5)P_{\rm scalar}^2(k)$
- The current 68%CL constraint is $f_{
 m NL}^{
 m tens} = 400 \pm 1500$

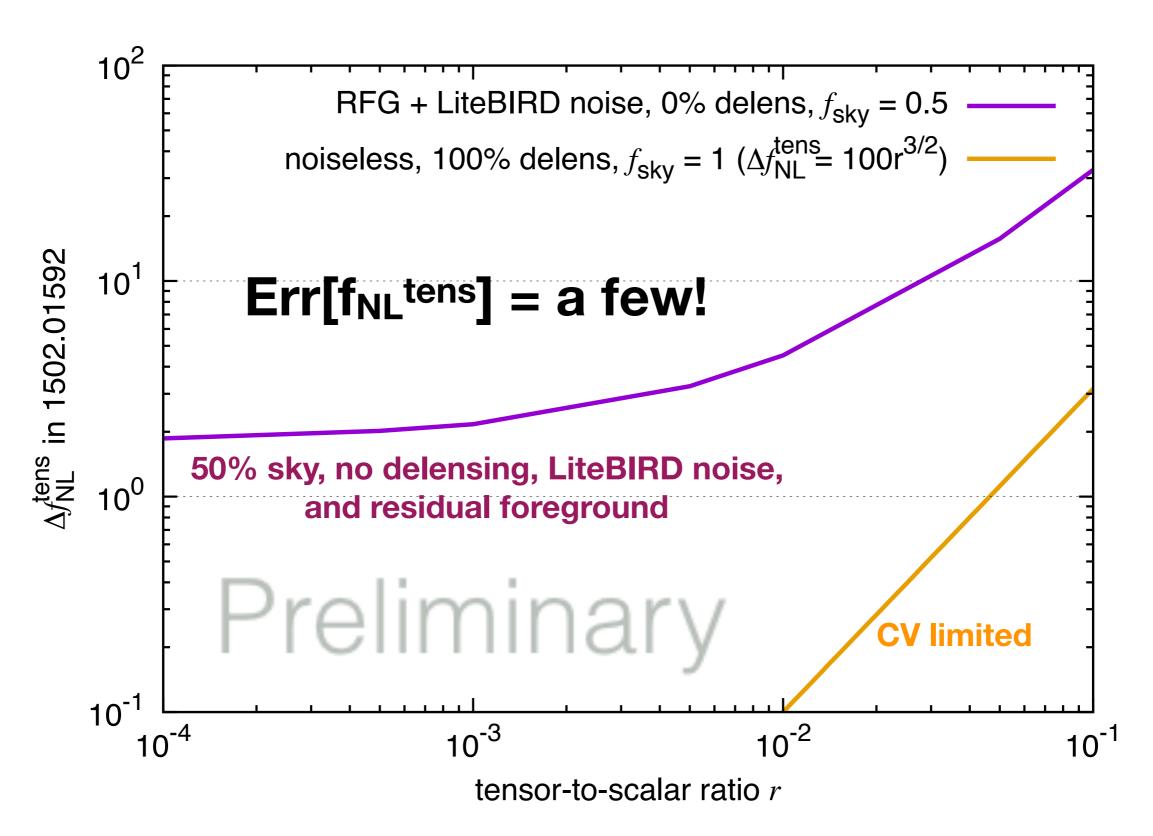
SU(2), confronted

The SU(2) model of Dimastrogiovanni et al. predicts:

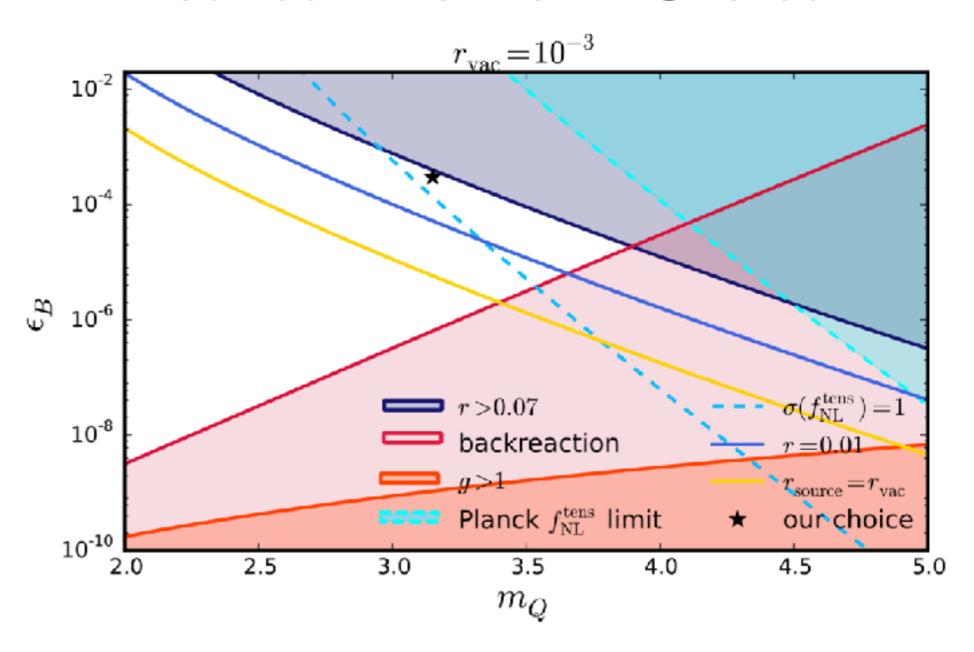
$$f_{
m NL}^{
m tens} pprox rac{125}{18\sqrt{2}} rac{r^2}{\epsilon_B} pprox 2.5 rac{r^2}{\Omega_A}$$

- The current 68%CL constraint is $f_{
 m NL}^{
 m tens} = 400 \pm 1500$
 - This is already constraining!

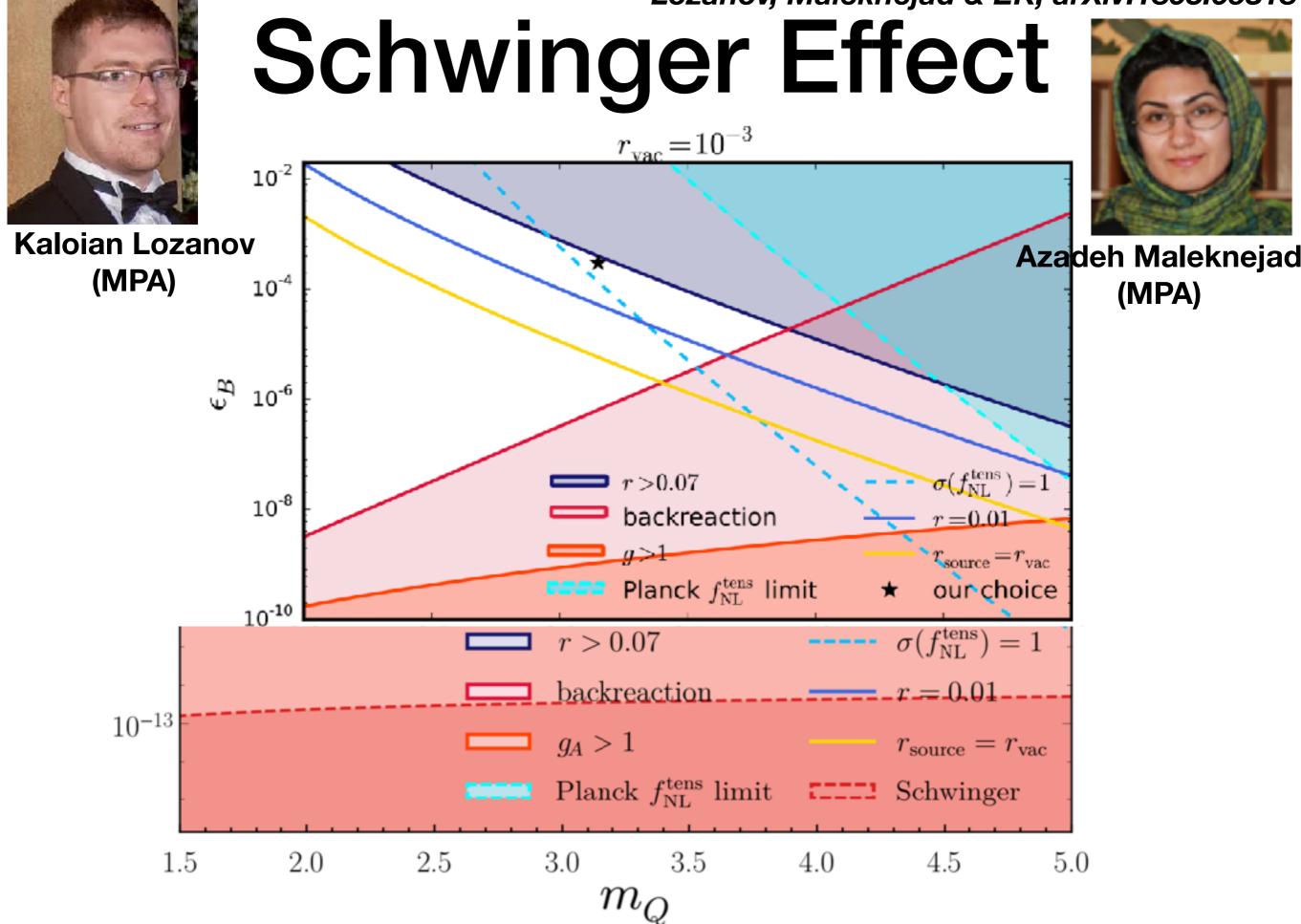
LiteBIRD would nail it!



Parameter Scan



(MPA)



Further Remarks

- "Guys, you are complicating things too much!"
- NO. These sources (eg., gauge fields) should be ubiquitous in a high-energy universe. They have every right to produce GWs if they are around
- Sourced GWs with r>>0.001 can be phenomenologically more attractive than the vacuum GW from the large-field inflation [requiring super-Planckian field excursion]. Better radiative stability, etc
- Rich[er] phenomenology: Better integration with the Standard Model; reheating; baryon synthesis via leptogenesis, etc. Testable using many more probes!

Better embedding in String Theory?

Observable Chiral Gravitational Waves from Inflation in String Theory

Evan McDonough^{1,*} and Stephon Alexander^{1,†}

 $^1Department\ of\ Physics,\ Brown\ University,\ Providence,\ RI,\ USA.\ 02903$

We consider gravitational wave production during inflation in type IIB string theory, and the possibility of observable gravitational waves in small field inflation. We show that the gauge field excitations on a set of coincident D7 branes, itself critical for moduli stabilization and hence intrinsic to inflation in string theory, coupled with axion fields from bulk fluxes, can act as a spectator sector during inflation. This results in a large production of chiral gravitational waves, even for relatively small values of the axion-gauge field coupling. We extend this to include a monodromy for the axion, and demonstrate that in both cases an observable level of gravitational waves is produced in small field inflation in string theory, with a spectrum that is maximally chiral. Finally, we demonstrate the consistency with moduli stabilization and with arbitrary (large or small field) inflationary dynamics of the host model, considering as an explicit example Kahler Moduli Inflation.

arXiv:1806.05684

Speculation

- You might have heard that the Ekpyrotic/Cyclic/Bounce cosmologies cannot produce detectable gravitational waves
- Can we use the axion-SU(2) mechanism to produce detectable gravitational waves from these cosmologies?
 - To do this, you first need to show that the isotropic configuration of SU(2) is an attractor in these cosmologies
 - I don't know if this is the case; worth checking?

Conclusions

- CMB has played and continues to play vital roles in testing our wild ideas about the physics of the early Universe
 - Tremendous progress (7 orders of magnitude in power!)
 over the last 25 years
 - Another two orders of magnitude in planning over the next decade
- New paradigm for the gravitational waves from the early Universe! Do not ignore the right hand side of the wave equation!